

# Syllabus

## I. Basics Concepts in Observational Astronomy:

- Telescopes
- coordinate systems
- Image Quality

## II. Signal and Sources of Noise

- Detectors
- Poisson statistics
- shot noise
- sky
- Read noise
- dark current

## III. Observing Strategies & Planning your observing night

## IV. Basics of Data Reduction

- Bias, Flats, Darks
- What, Why, When, How long and How many

## V. Data Reduction

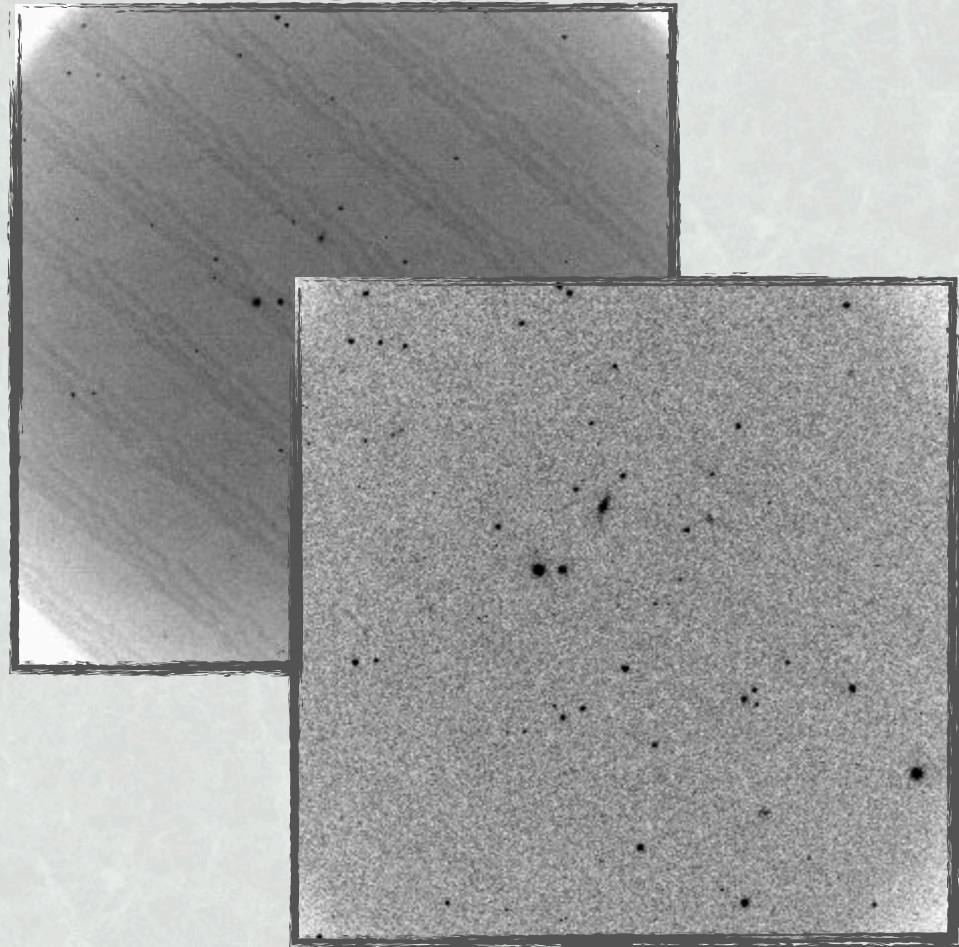
- Simple arithmetics!
- Bringing in the computer tools\*
- Using basic IRAF routines or Python

## VI. Basic Aperture Photometry

# Observational Astronomy & Data Reduction

Lecture 4:  
Basics of Data Reduction

<https://tinyurl.com/ISYA2018-ObservationalAstro>



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Observatório do Valongo



# A beautiful night at OPD



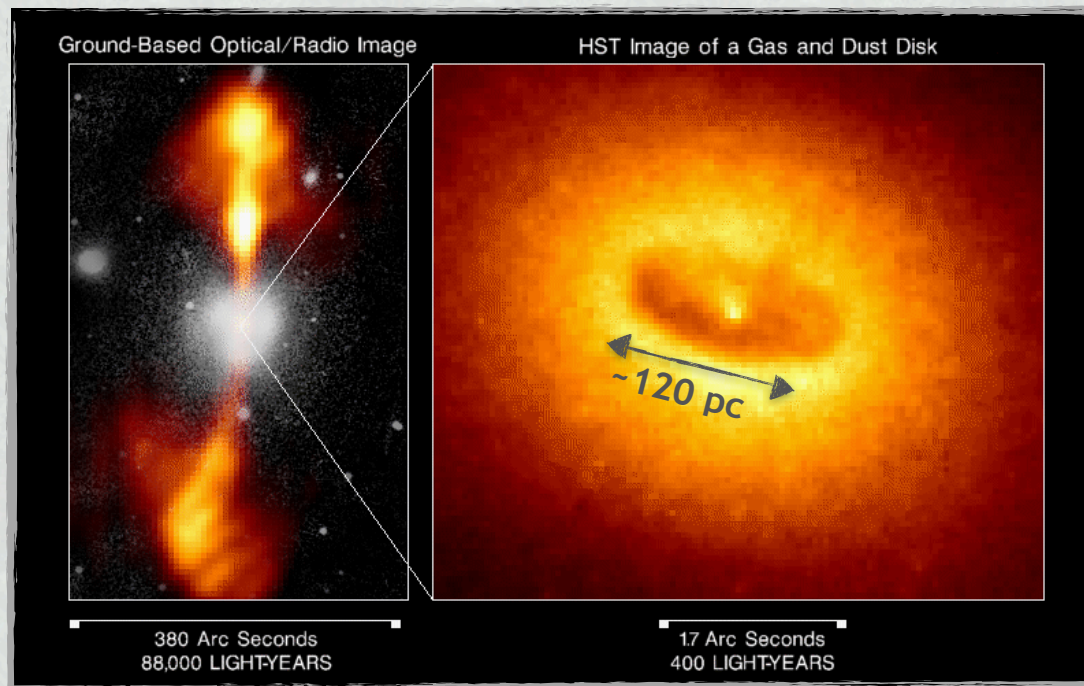
Câmera All Sky

<http://lnapadrao.lna.br/videos/videos-home/camera-allsky-do-opd>

# Science: *Probing for variability in AGNs*

## Science Background

- Dimensions of structure surrounding supermassive black holes (SMBHs) — too small to probe with direct imaging!



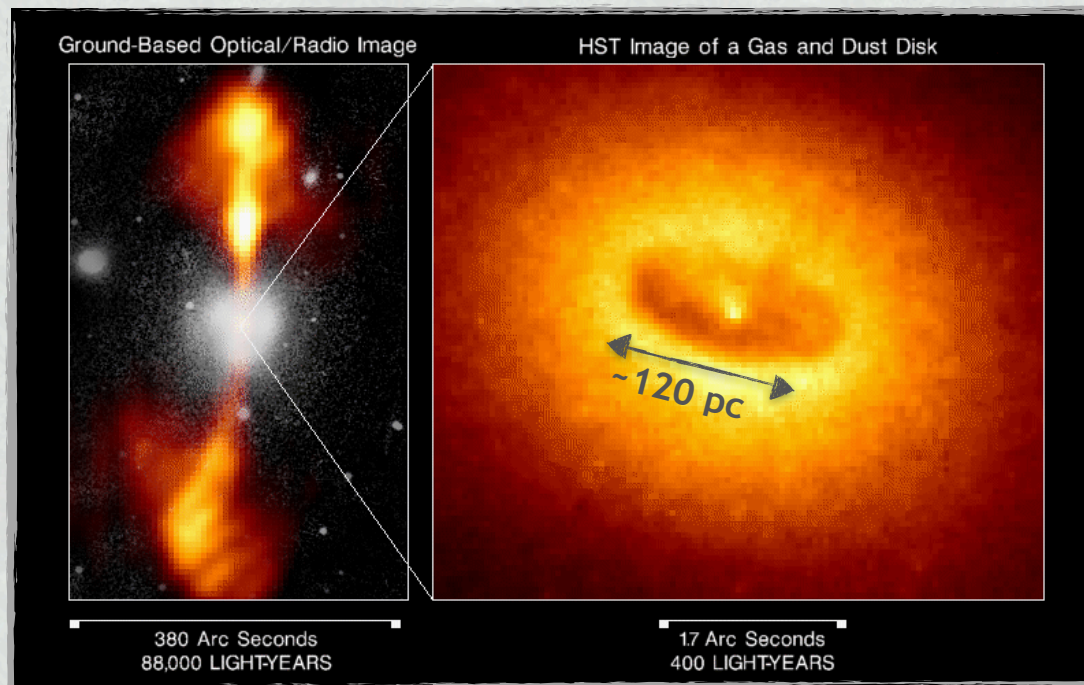
NGC4261



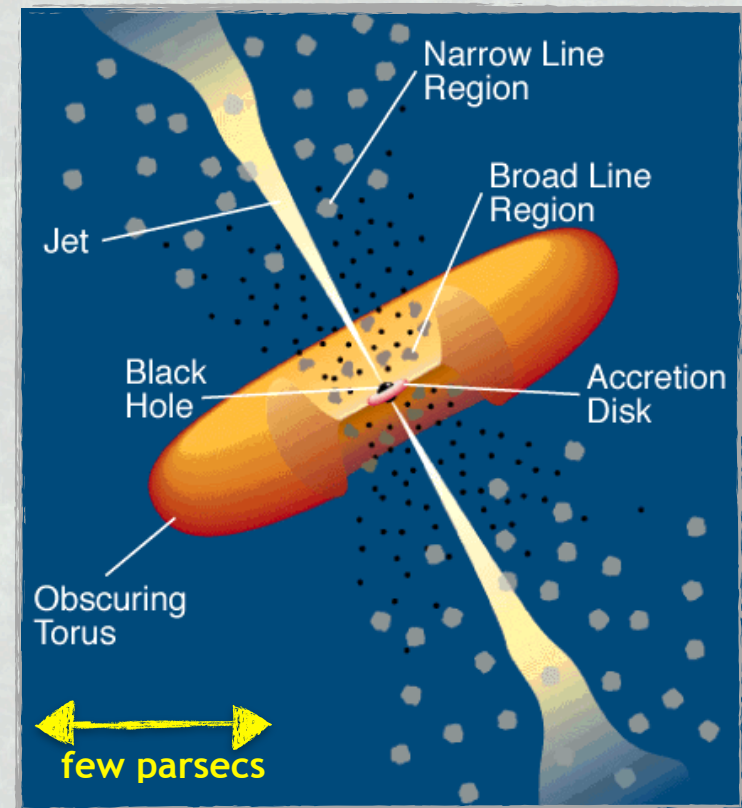
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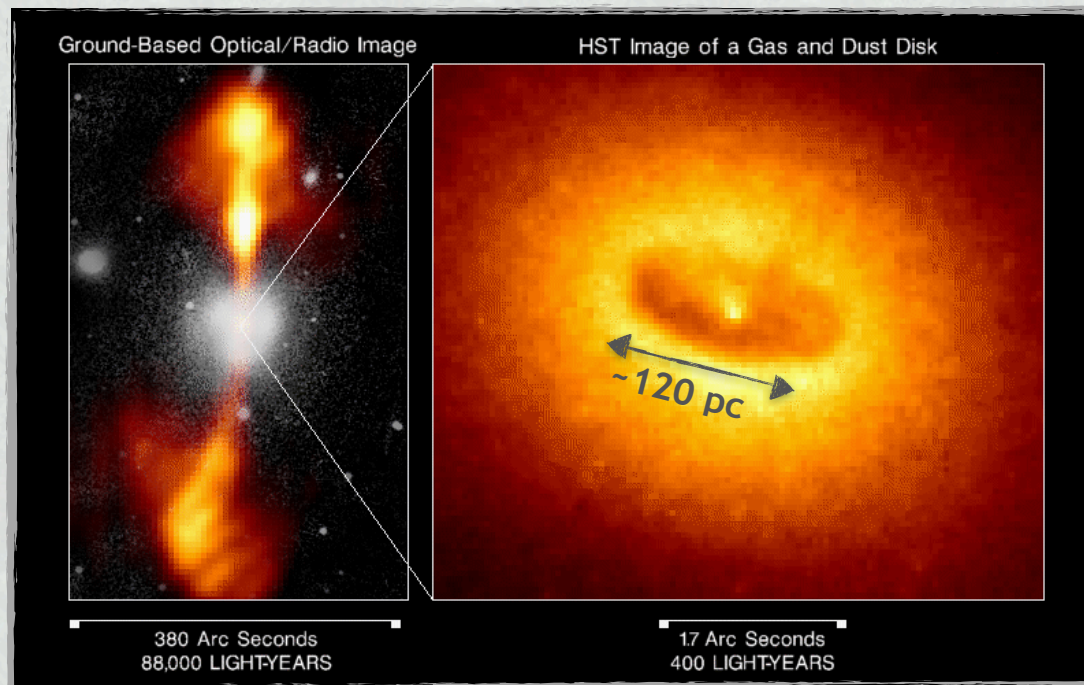


Urry & Padovani 1995

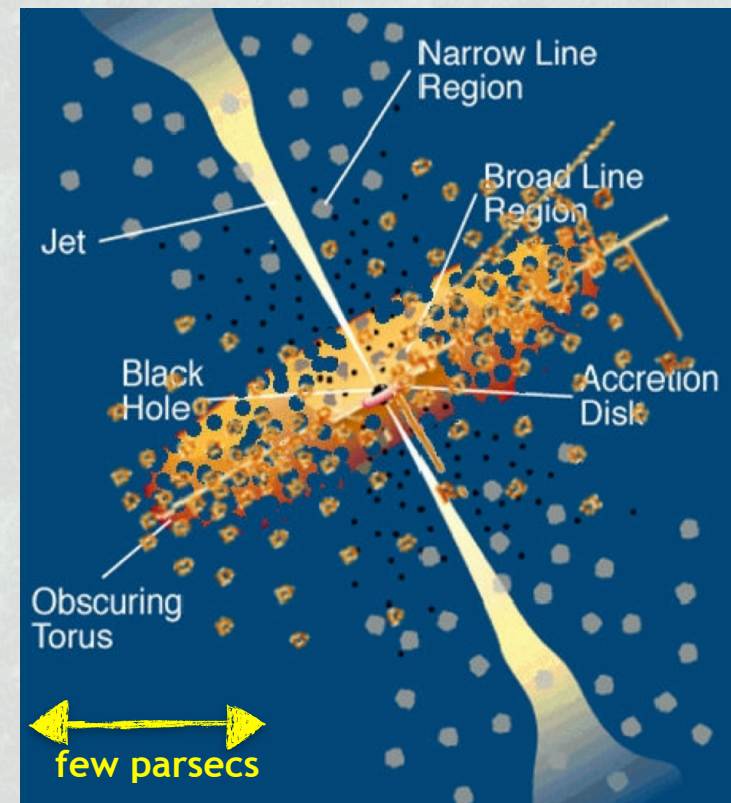
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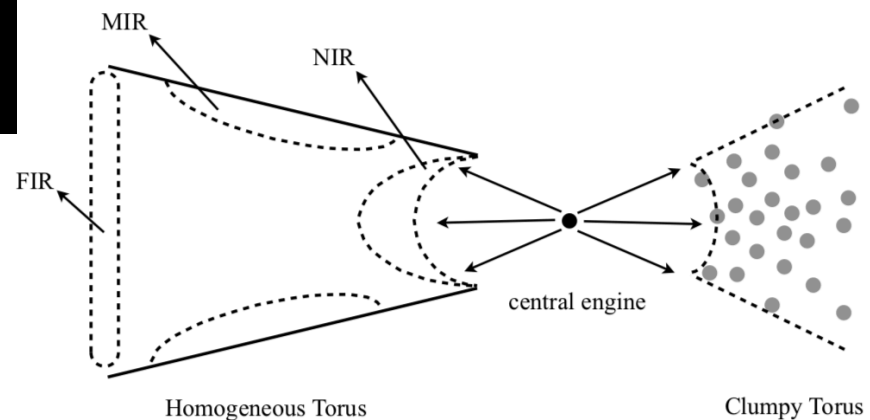
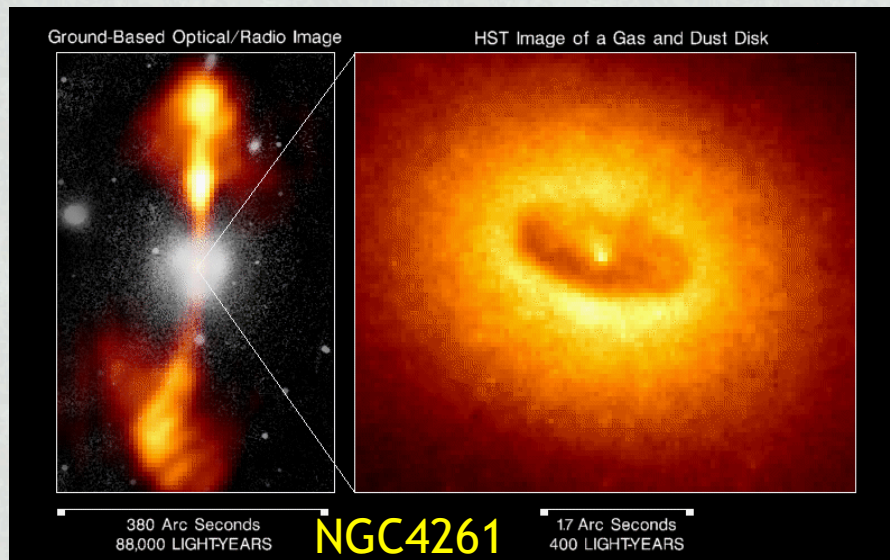
Urry & Padovani 1995  
(adapted — taken from  
Takuma Izumi's talk @ ALMA Long Baseline  
Workshop in Kyoto, 2017:  
<https://alma-intweb.mtk.nao.ac.jp/~diono/>



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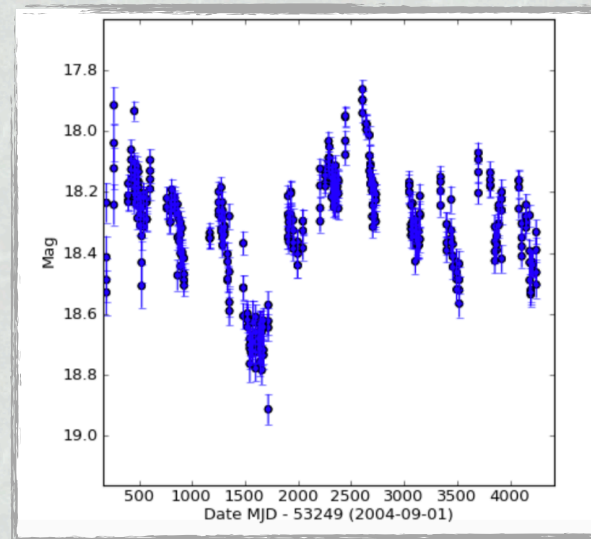
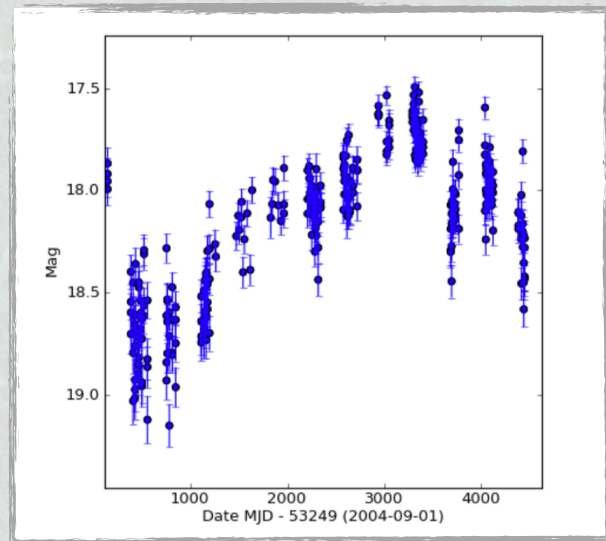
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# Science: *Probing for variability in AGNs*

## Proposal

- Probe for variability in AGNs. Repeat photometry measurements for a handful of sources and (in time!) build lightcurves for individual AGNs.

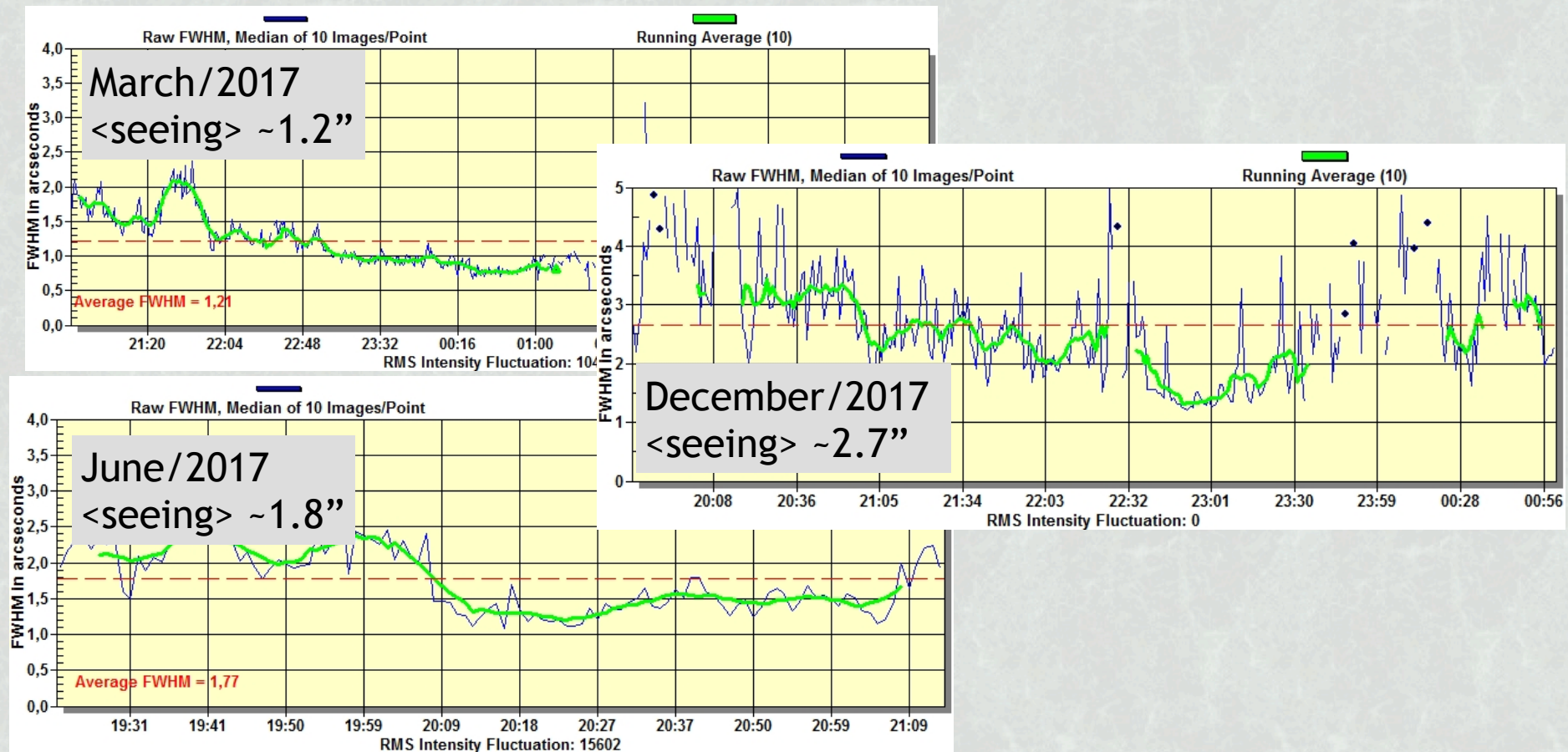




# Science: *Probing for variability in AGNs*

## Why OPD?

- To test for variability, we only need point-source photometry – no need for spatial resolution! Good compromise between student training at OPD and science return.



# Science: *Probing for variability in AGNs*

## Sample

- For starters, we need to test the adequacy of OPD for this kind of science. Hence, going after known micro-variable AGNs (Romero+99) as well as non-variable AGNs to have a control sample.

**Table 1.** Observed AGNs

Object	$\alpha_{1950.0}$	$\delta_{1950.0}$	$z$	$m_V$	Type
0537 – 441	05 37 21.1	–44 06 45.0	0.894	16.48	RBL
0637 – 752	06 37 23.25	–75 13 38.2	0.651	15.75	RLQ
1034 – 293	10 34 55.9	–29 18 27.0	0.312	16.46	RLQ
1101 – 232	11 01 11.1	–23 13 20.0	0.186	16.55	XBL
1120 – 272	11 20 34.2	–27 13 35.0	0.389	16.80	RQQ
1125 – 305	11 25 04.0	–30 28 14.0	0.673	16.30	RQQ
1127 – 145	11 27 35.6	–14 32 54.0	1.187	16.90	RLQ
1144 – 379	11 44 30.9	–37 55 31.0	1.048	16.20	RBL
1157 – 299	11 57 10.0	–29 55 10.0	0.207	16.40	RQQ
1244 – 255	12 44 06.7	–25 31 25.0	0.638	17.41	RLQ
1256 – 229	12 56 27.6	–22 54 28.0	?	17.30	RBL
1349 – 439	13 49 52.5	–43 57 55.0	?	16.37	RBL
1510 – 089	15 10 08.9	–08 54 48.0	0.360	16.54	RLQ
1519 – 273	15 19 37.3	–27 19 30.0	?	17.70	RBL
2005 – 489	20 05 46.6	–48 58 43.0	0.071	13.40	RBL
2155 – 304	21 55 58.3	–30 27 54.0	0.116	13.09	XBL
2200 – 181	22 00 27.0	–18 16 14.0	1.160	15.30	RQQ
2254 – 204	22 54 00.5	–20 27 43.0	?	16.60	RBL
2316 – 423	23 16 20.9	–42 23 14.0	0.055	16.00	XBL
2340 – 469	23 40 34.2	–46 56 42.0	1.970	16.40	RQQ
2341 – 444	23 41 08.2	–44 23 58.0	1.900	16.50	RQQ
2344 – 465	23 44 02.3	–46 29 10.0	1.890	16.40	RQQ
2347 – 437	23 47 57.5	–43 42 31.0	2.900	16.30	RQQ



# Read-out noise — no way to escape it!

- A consequence of how CCDs are read:
  - Electrons are moved around → creates a current → adds an additional noise to the signal
  - The read-out noise depends on the CCD; it's characteristic of the chip

- Within an aperture of radius  $r$ , the read-out noise will be:

$$\sigma_{\text{RN}} = \sqrt{\pi r^2 \text{RN}^2} = \sqrt{n_{\text{pix}} \text{RN}^2}$$

where  $\text{RN}^2$  = quantity of electrons read per read-out, per pixel

- For  $n$  exposures:

$$\sigma_{\text{RN}} = \sqrt{n_{\text{exp}} \times n_{\text{pix}} \text{RN}^2}$$

→ S/N decreases by  $\sqrt{n_{\text{exp}}}$

# Read-out noise — no way to escape it!

- In certain cases, it may be a good idea to minimize the read-out noise by **binning pixels at the time when the image is generated**
  - i.e., **redefine a grid of “coarser” pixels**:
    - ▶ 2×2 pixels in original grid → 1 pixel on the new grid
- **Pros:**
  - **Read-out noise is reduced**
  - **Faster read-out!** → we gain time during the observations → more time for science!
- **Cons:**
  - **Spatial resolution may be reduced** (depending on what the size of the pixel is compared to the PSF... more on this later!)

→ Need to balance these pros and cons



# Read-out noise — strategy to get rid of it

- The value of RN may be estimated based on an extremely short dark exposure — **a zero-exposure image = *bias frame***
  - CCD is read without being exposed to any light
  - The result shows the electronic noise of the camera, the noise generated when any image is produced.
- It's important to consider that the **read-out noise varies from pixel to pixel and from read-out to read-out.**
  - hence, a set of bias frames is necessary to create a **“master” bias** (from median-combining all individual bias frames) representative of the read-out noise
- The **“master bias” frame is thus subtracted from ALL images taken through the night** (as well as calibration images taken in the afternoon) to effectively remove the read-out noise.

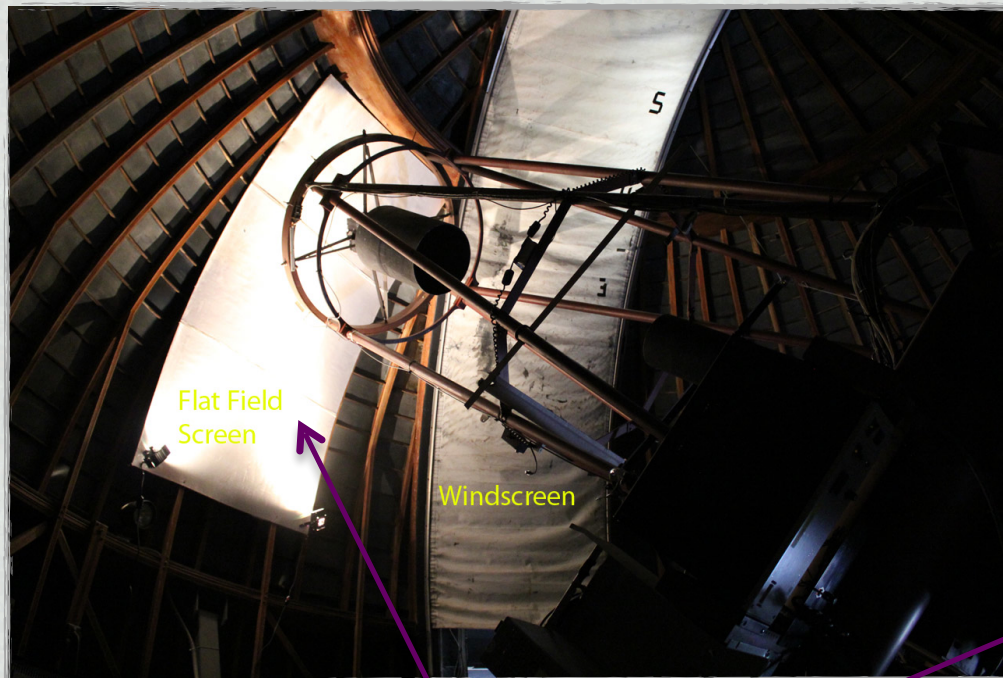
# Flat field – CCDs are not homogeneously sensitive

- Some errors may be introduced due to the **non-homogeneity in pixel sensitivity**
  - The pixel-to-pixel response in a CCD may vary
    - Each pixel may have a slightly different response
    - Difficult to measure precisely!
  - This can negatively affect your results
- **Flat-fields** = reference images to correct for this effect
  - Need to be made with the same filters used for the science images

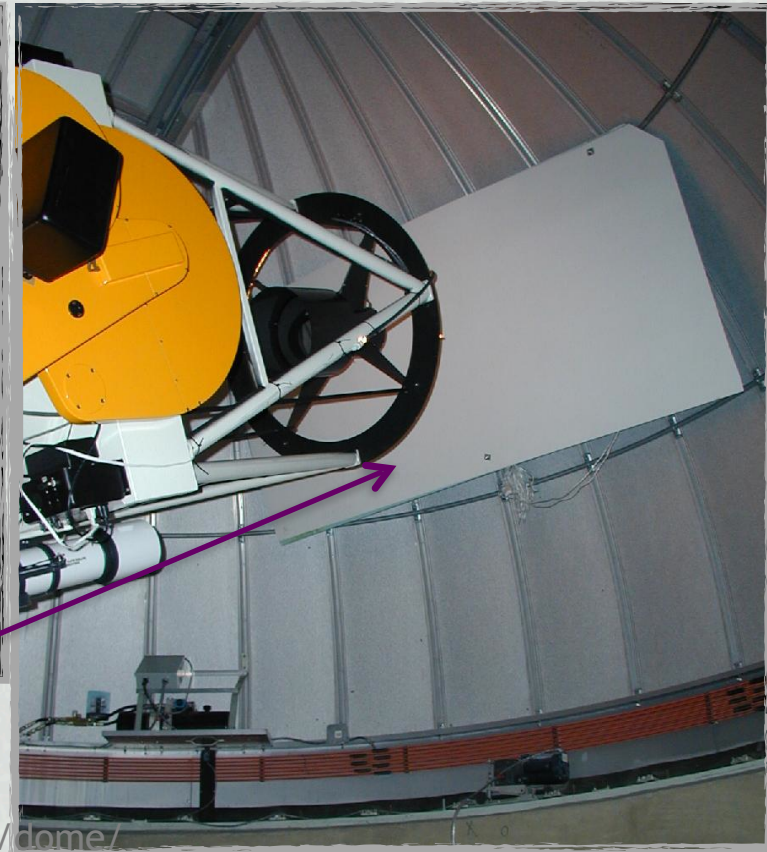


# Flat field – different ways of obtaining them

- There are many “types” of flat-fields that can be taken as part of an observing program:
  - “**dome flats**”: obtained by exposing the CCD to a blank screen (within the dome) uniformly illuminated by a lamp



Screen for “dome flat field”



[http://www.jca.umbc.edu/telescope/  
UsersGuides/TakingFlats.html](http://www.jca.umbc.edu/telescope/UsersGuides/TakingFlats.html)

<http://mthamilton.ucolick.org/techdocs/telescopes/Nickel/dome/>



# Flat field – different ways of obtaining them

- There are many “types” of flat-fields that can be taken as part of an observing program:
  - “dome flats”
  - “**twilight flats**”: pointing to the sky immediately after the sunset (or just before the Sun rises, at the end of the night), during twilight
    - ▶ The sky is still too bright for stars to appear, so it presents a nice naturally-illuminated wide screen!
    - ▶ Particularly useful when using blue filters, since quartz lamps for dome flats are rather red

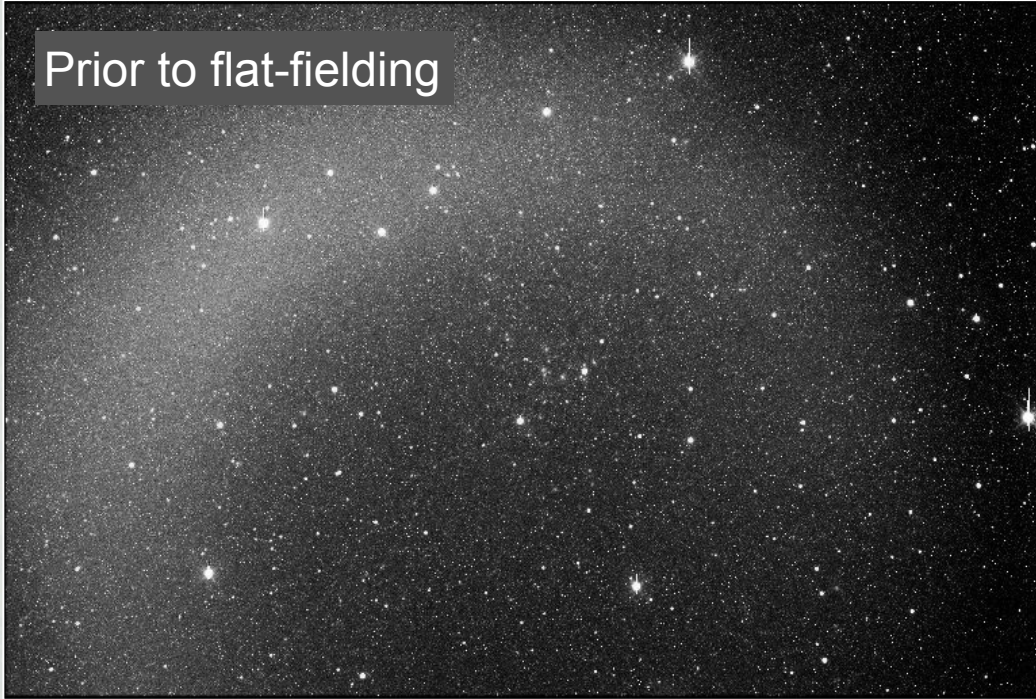


# Flat field – different ways of obtaining them

- There are many “types” of flat-fields that can be taken as part of an observing program:
  - “dome flats”
  - “twilight flats”
  - “sky flats”:
    - Created by median-combining many science images (with different pointings and few bright stars) taken with one same filter.
      - If field stars are present within individual frames, they will be removed by median-combining with other images that do not include these stars.

# Flat field – subtraction

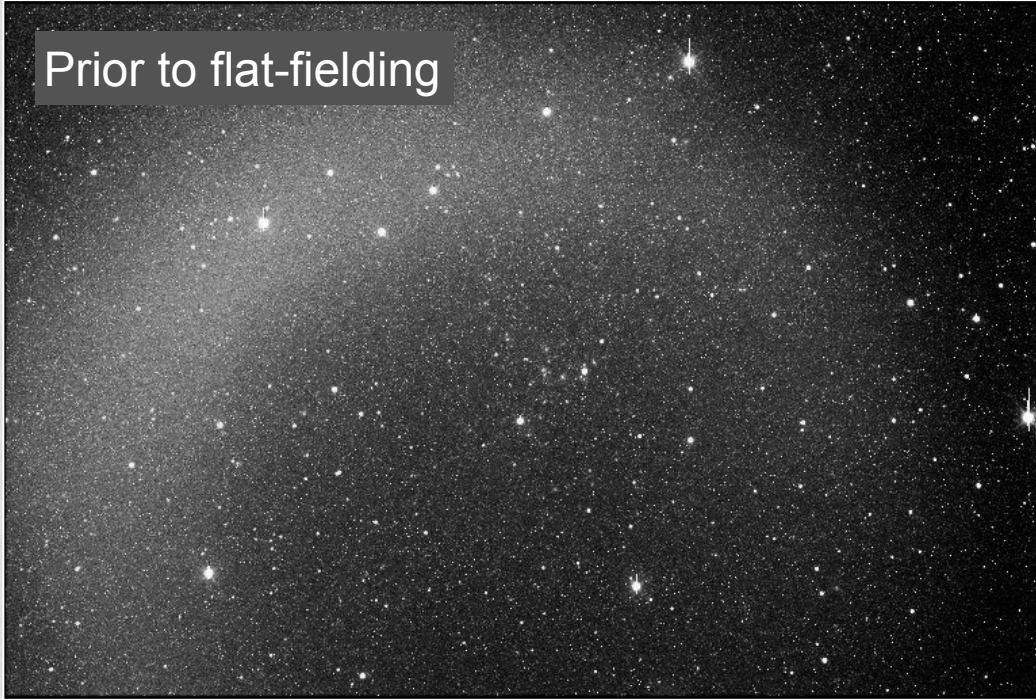
Prior to flat-fielding





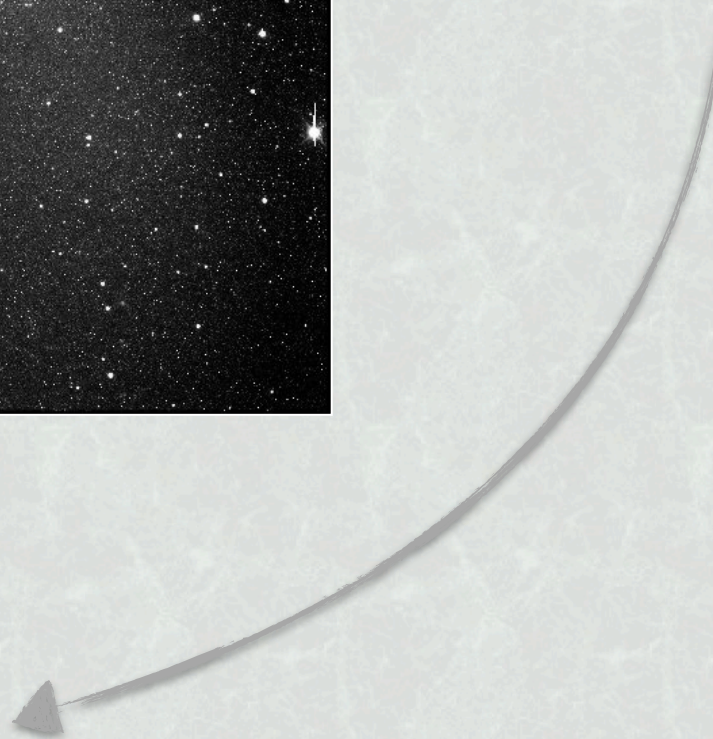
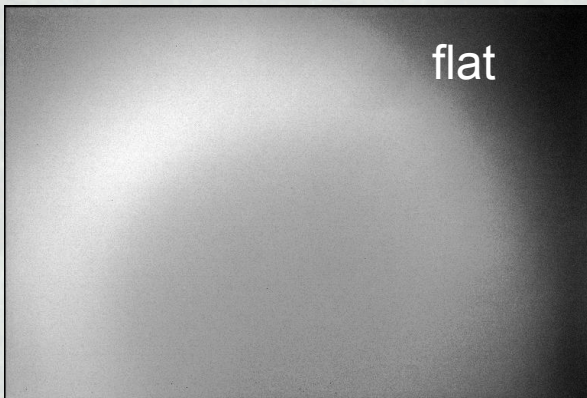
# Flat field – subtraction

Prior to flat-fielding



Similarly to other calibration images, a set of flats should be taken to create a “master” flat (for each filter).

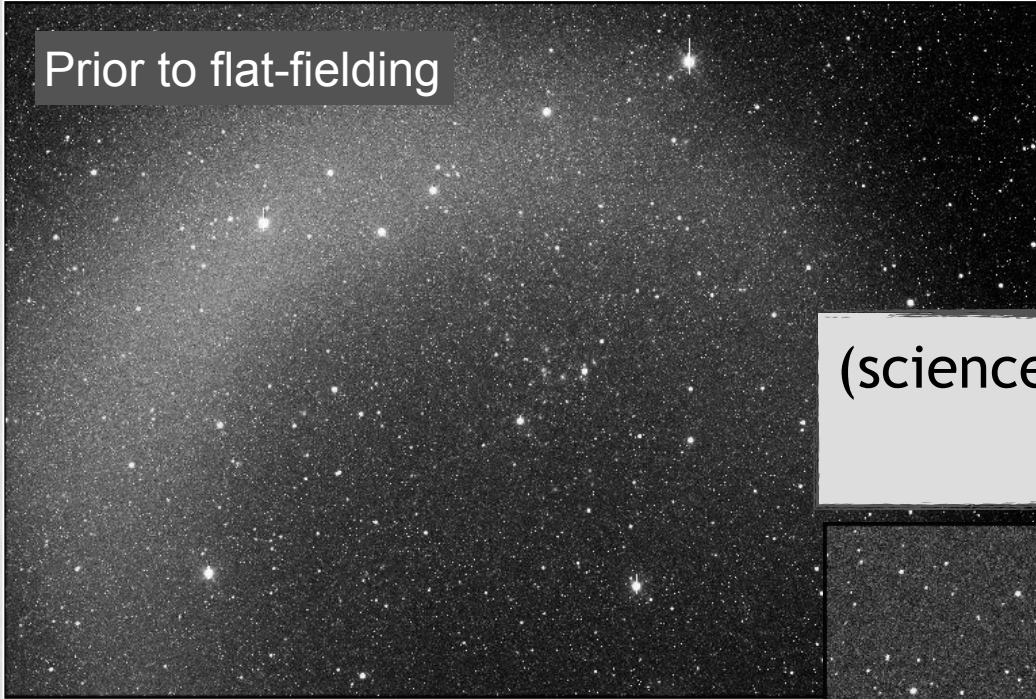
flat





# Flat field – subtraction

Prior to flat-fielding



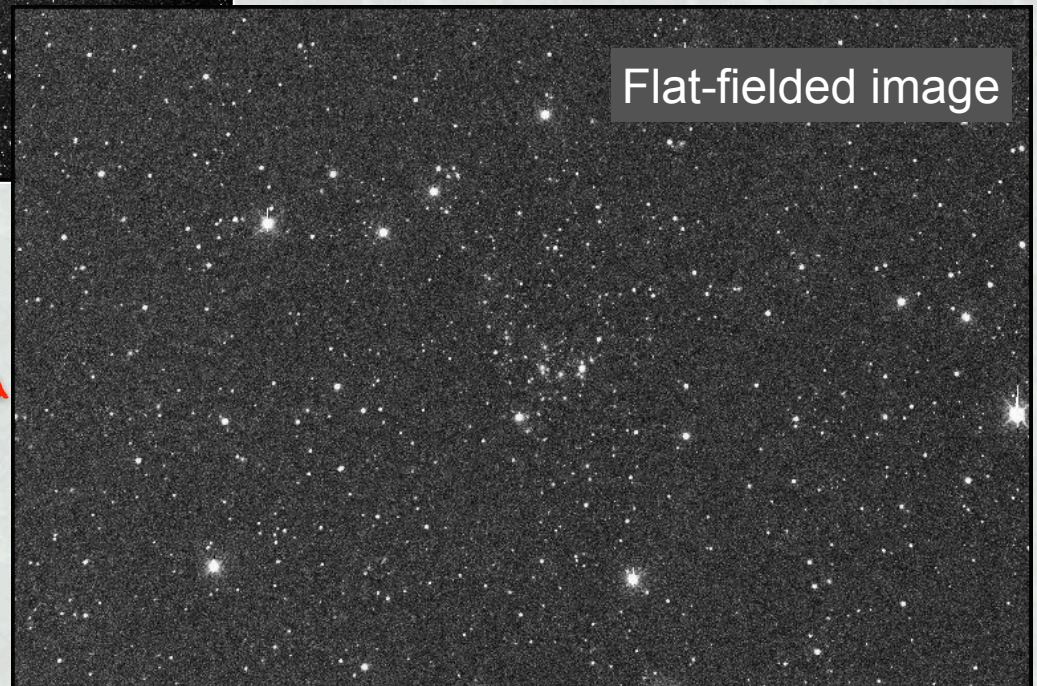
Similarly to other calibration images, a set of flats should be taken to create a “master” flat (for each filter).

$$(\text{science frame}) - (\text{“master” flat}) = \text{flat-fielded science frame}$$

flat



Flat-fielded image





# Signal-to-Noise – adding different sources of noise

- Signal/Noise (S/N)
  - Where N = total of noises
- Considering the independent sources of noise:

$$\rightarrow N^2 = (N_{\text{shot}})^2 + (N_{\text{sky}})^2 + (N_{\text{read-out}})^2 + (N_{\text{dark}})^2$$

$$\rightarrow N = \sqrt{(\sigma_{\text{shot}})^2 + (\sigma_{\text{sky}})^2 + (\sigma_{\text{read-out}})^2 + (\sigma_{\text{dark}})^2}$$

- The resulting S/N is give by:

$$\frac{S}{N} = \frac{N_{\star}}{\sqrt{N_{\star} + n_{\text{pix}}(N_S + N_D + N_R^2)}}$$

*shot noise*  
(Poisson)

Sky noise within target's  
aperture (Poisson)

Dark current

Read-out  
noise

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- The resulting S/N is give by:
- Considering time dependence:

$$\frac{S}{N} = \frac{N_{*}}{\sqrt{N_{*} + n_{\text{pix}}(N_S + N_D + N_R^2)}}$$

$$S/R = \frac{R_{*} t}{\left[ R_{*} t + R_{\text{sky}} t n_{\text{pix}} + n_{\text{pix}} R N^2 + D t n_{\text{pix}} \right]^{1/2}}$$

shot noise  
(Poisson)

Sky noise within target's  
aperture (Poisson)

Read-out  
noise

Dark current

$R_{*}$  = rate of target's photons  
 $R_{\text{sky}}$  = rate of sky photons



# Signal-to-Noise – combining multiple exposures

- We frequently choose to combine multiple exposures (*stacking*) rather than doing one long integration.
- What's the effect in the S/N?
  - Consider  $M$  exposures, with a total exposure of:

$$T_{total} = t_{exp} \times M$$

where  $t_{exp}$  = integration time for an individual exposure

For an individual exposure, the S/N is given by:

$$S/N = \frac{R_* T_{total} / M}{\left[ \frac{R_* \times T_{total}}{M} + \frac{R_{sky} \times T_{total} \times n_{pix}}{M} + n_{pix} RN^2 + \frac{D \times T_{total} \times n_{pix}}{M} \right]^{1/2}}$$

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For stacking multiple images:

$$\text{Signal} = \frac{R_* T_{total}}{M} \times M = S_{Exp\_Indv} \times M$$

$$\text{Noise} = \left[ \frac{R_* \times T_{total}}{M} \times M + \frac{R_{sky} \times T_{total} \times n_{pix}}{M} \times M + n_{pix} RN^2 \times M + \frac{D \times T_{total} \times n_{pix}}{M} \times M \right]^{1/2}$$



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$$R = \left[ R_* \times T_{total} + R_{sky} \times T_{total} \times n_{pix} + n_{pix} RN^2 \times M + D \times T_{total} \times n_{pix} \right]^{1/2}$$

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→ The contributions from the shot noise and the sky noise are the same as those for a single long exposure, but the contribution from the readout noise increases by a factor of  $M$  (i.e., the number of exposures)



# Signal-to-Noise – Limiting cases

- If we consider the ideal case of an excellent CCD, the total noise is generally well represented by the shot noise and the sky noise:

$$\text{Noise} \approx \sqrt{[(\sigma_{\text{shot}})^2 + (\sigma_{\text{sky}})^2]}$$

- This allows us to simplify the expression for S/N:

$$S/N \approx \frac{R_* t}{[R_* t + R_{\text{sky}} t n_{\text{pix}}]^{1/2}} \approx \frac{R_*}{[R_* + R_{\text{sky}} n_{\text{pix}}]^{1/2}} \times t^{1/2}$$

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- Faint sources:

- Broad band imaging is usually limited by the brightness of the sky:

$$S/R \cong \frac{R_* t}{\sqrt{n_{\text{pix}} R_{\text{sky}} t}} \propto t^{1/2}$$

- Bright sources:

- Limited by the shot noise:

$$S/R \cong \sqrt{R_* t} \propto t^{1/2}$$



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- Bright sources:

- Limited by the shot noise:

$$S/R \cong \sqrt{R_* t} \propto t^{1/2}$$

→ To increase the S/N by a factor of 2, we need to increase the observing time by 4!

$$S/R \propto t^{1/2}$$

# Signal-to-Noise – Read-out dominated cases

- In the case when the read-out noise dominates, the S/N can be written as:

$$S/R \approx \frac{R_* t}{[n_{\text{pix}} R N^2]^{1/2}} \propto (n_{\text{pix}} R N^2)^{-1/2}$$



M100

1s

← Short exposure, dominated by read-out noise... need longer exposures!



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M100

1s

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10s

## Applications:

- Narrow-band imaging
  - Few photons within a thin  $\lambda$  range
  - Typical exposures can be up to ~1h
- Echelle Spectroscopy



1000s

# Signal-to-Noise – Read-out dominated cases

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$$S/R \approx \frac{R_* t}{[n_{\text{pix}} R N^2]^{1/2}} \propto (n_{\text{pix}} R N^2)^{-1/2}$$

(1) Noise goes as  $(n_{\text{pix}})^{-1/2}$

→ Possible to alter the “binning” and reduce the noise introduced.

- By going to a 2x2 binning, the noise is reduced by  $(2 \times 2 \text{ pix})^{-1/2}$  → a gain in S/N of a factor of 2!
- Price to pay? Resolution
  - In case of imaging: spatial resolution
    - » Make sure to keep binning so that at least 2-3 “final” pixels cover the PSF
  - in case of spectroscopy: spectral resolution
    - » At least 2-3 “final” pixels across a spectral lines of interest



# Signal-to-Noise – Read-out dominated cases

- In the case when the read-out noise dominates, the S/N can be written as:

$$S/N \approx \frac{R_* t}{[n_{\text{pix}} RN^2]^{1/2}} \propto (n_{\text{pix}} RN^2)^{-1/2}$$

(2) Noise in this case is independent of time

→ Good idea to increase integration time of each individual image to minimize the number of exposures (and, hence, the read-out noise).

- Limit?

# Signal-to-Noise – Read-out dominated cases

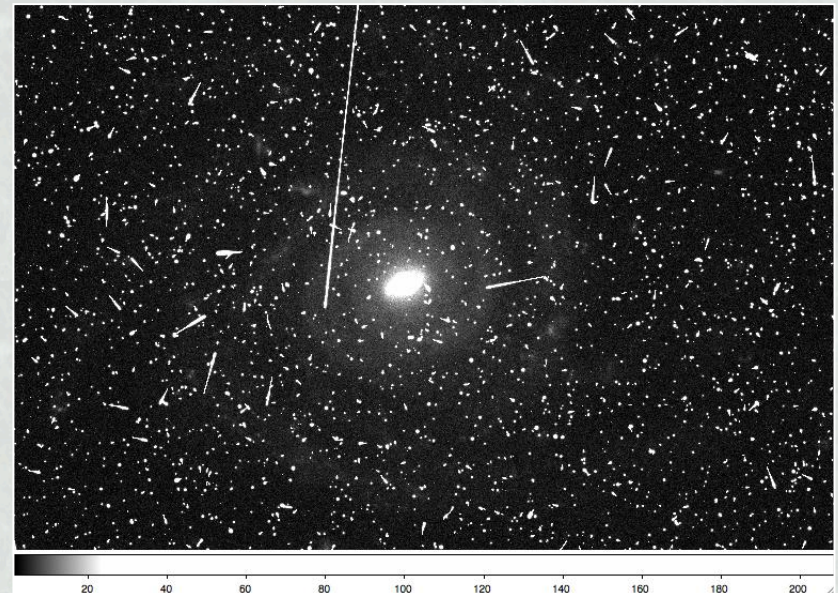
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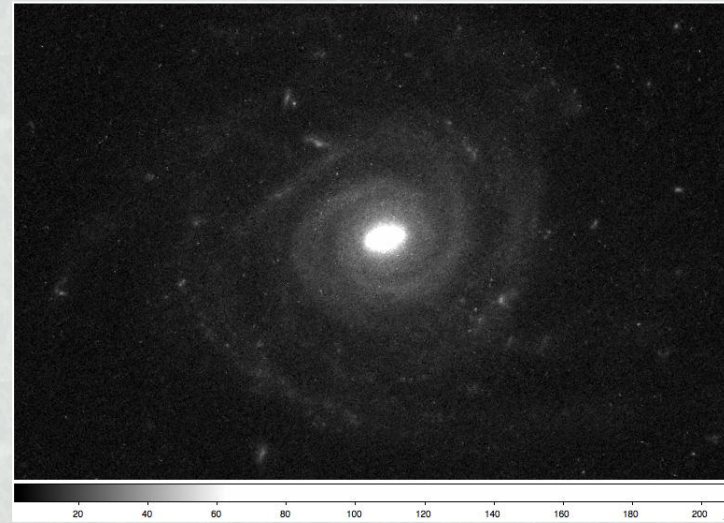
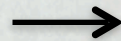
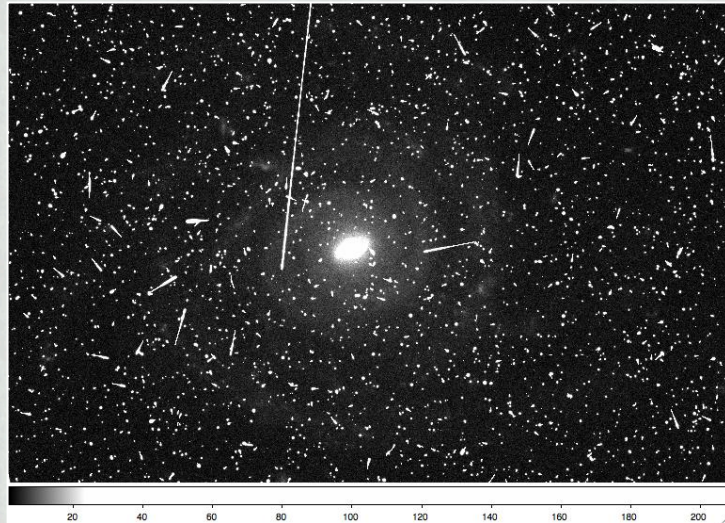
- Limit? **Cosmic rays!**





# Cosmic Rays

- Cosmic rays interact with the CCD array
  - Leave traces or dots in the image (their position always varies!)
- Multiple exposures and combine!
  - *sigma clip* algorithms that evaluate all values for each pixel and exclude those values from individual exposures that go beyond  $\sim 3\sigma$  from the distribution.



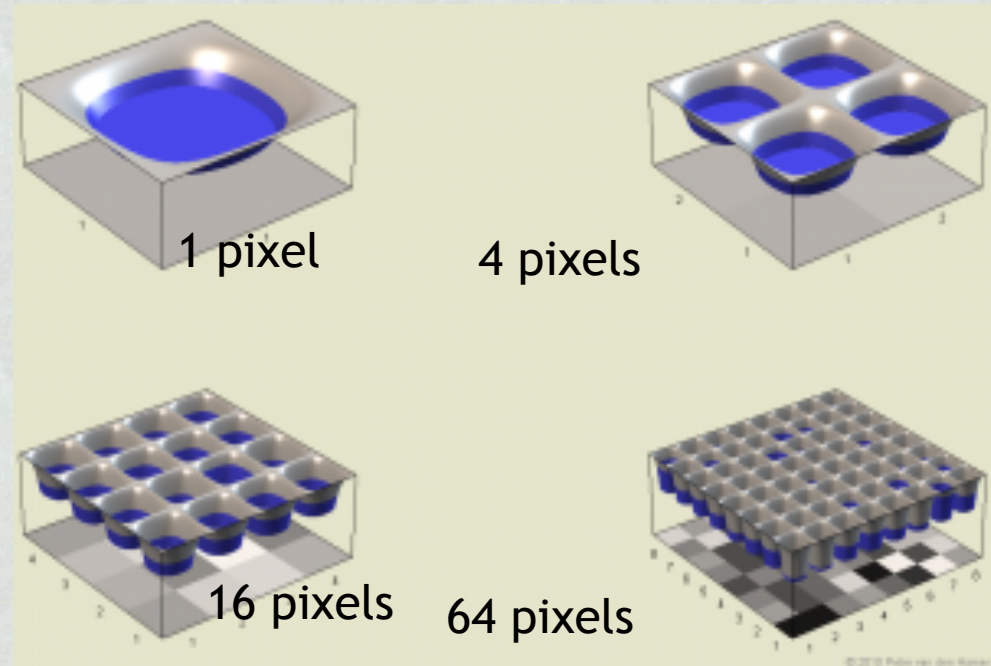
# Signal-to-Noise – Surface brightness

- In the case where you are not dealing with a point source, need to consider the spatial extension of your source.
- If the science goal is to study spatial details:
  - Higher spatial resolution is great
  - However... is higher resolution always better?



# Signal-to-Noise – Surface brightness

- In the case where you are not dealing with a point source, need to consider the spatial extension of your source.
- If the science goal is to study spatial details:
  - Higher spatial resolution is great
  - However... is higher resolution always better? Not always!
- Consider an extended source observed with different pixel scales:
  - The finer the pixel grid, the finer the detail
    - But S/N per pixel is lower!



# Observing strategy – planning!

- How much integration to reach the desired S/N?
- Decisions:
  - Split into how many exposures? Integration time for each individual exposure?
  - Dithering pattern
- Considerations:
  - Will the noise be dominated by the shot noise? The sky? read-out?
  - Need to avoid saturation!
    - Either the science target itself, or other sources in the vicinity that may affect the analysis
  - Cosmic rays – how badly. Can they affect your science?
    - Better not to let them accumulate for too long! They can hit precisely your region of interest!



# *Dithering*

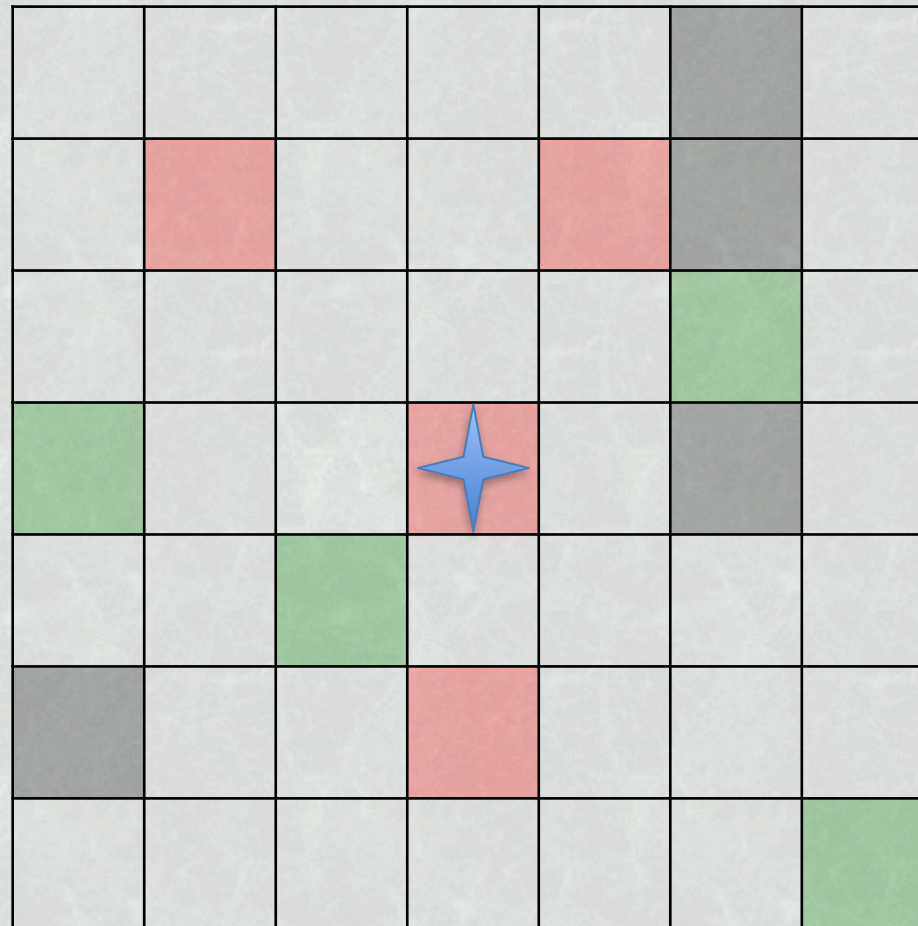
- Consists of varying the telescope pointing between one exposure and the next
  - Offsets are usually small (a few arcseconds) and do not require the intervention of the telescope operator
  - In the case of large telescopes:
    - the observer only manipulates the instrument and can implement these small offsets

# *Dithering* - sample your target with different regions from your CCD

- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels

Observation No 1

Detector Array



dead pixels

hot pixels

cosmic rays

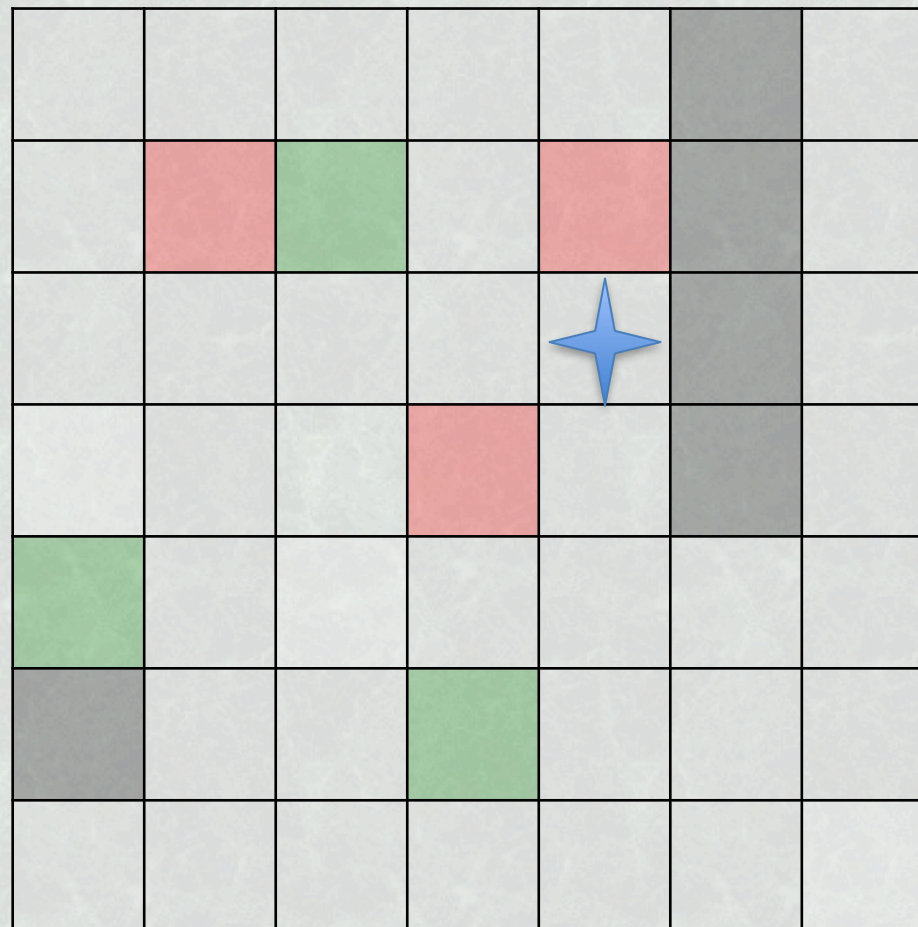


# *Dithering* - sample your target with different regions from your CCD

- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels

Observation No 2

Detector Array



dead pixels

hot pixels

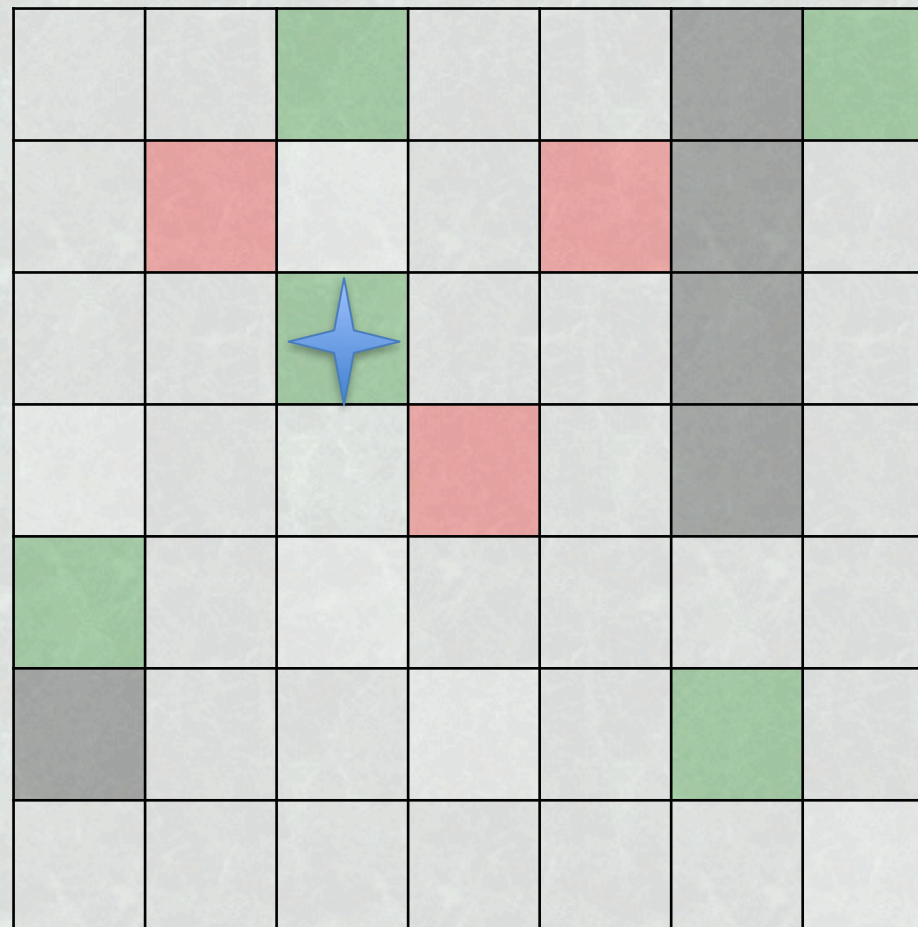
cosmic rays

# *Dithering* - sample your target with different regions from your CCD

- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels

Observation No 3

Detector Array



dead pixels

hot pixels

cosmic rays

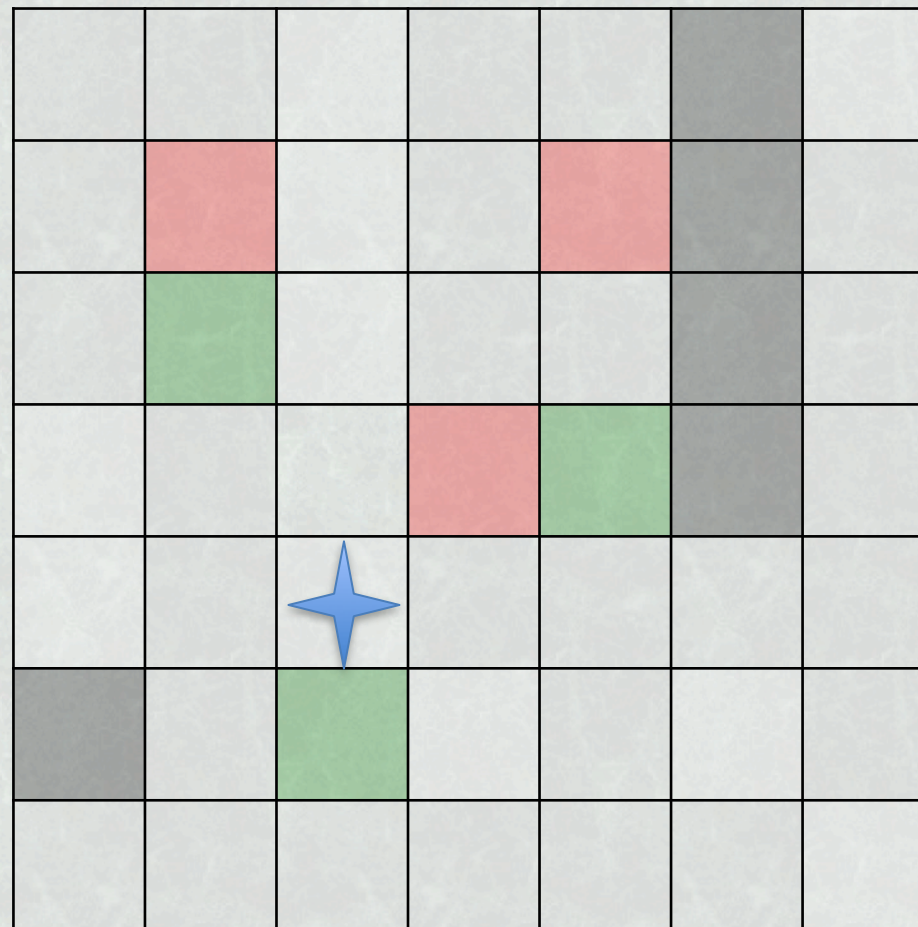


# *Dithering* - sample your target with different regions from your CCD

- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels

Observation No 4

Detector Array



dead pixels

hot pixels

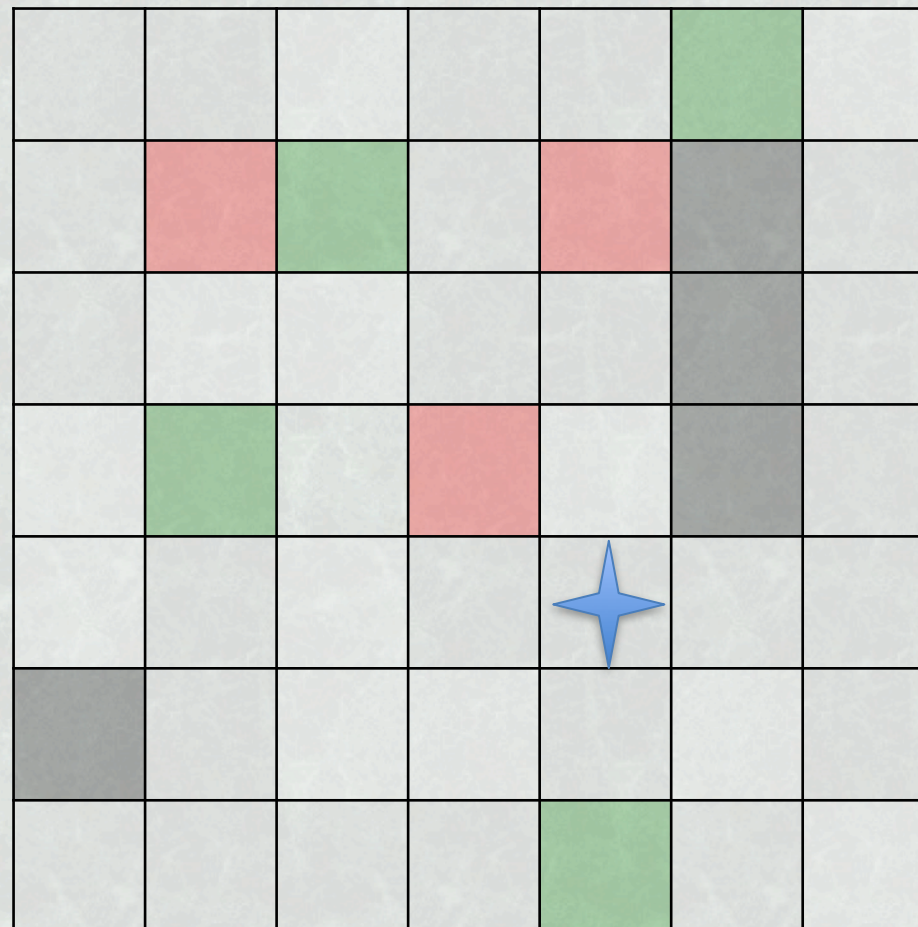
cosmic rays

# *Dithering* - sample your target with different regions from your CCD

- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels

Observation No 5

Detector Array



dead pixels

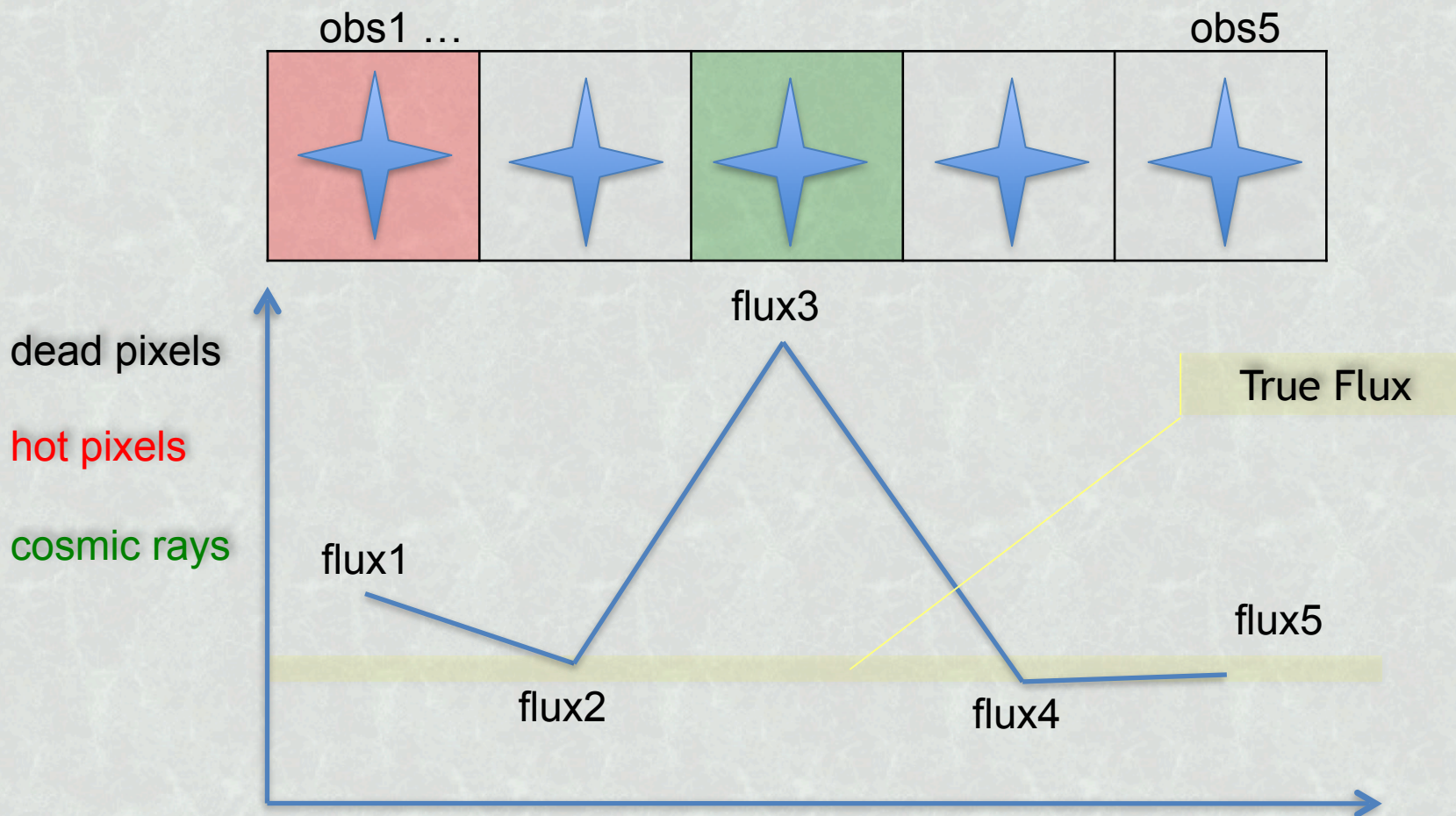
hot pixels

cosmic rays



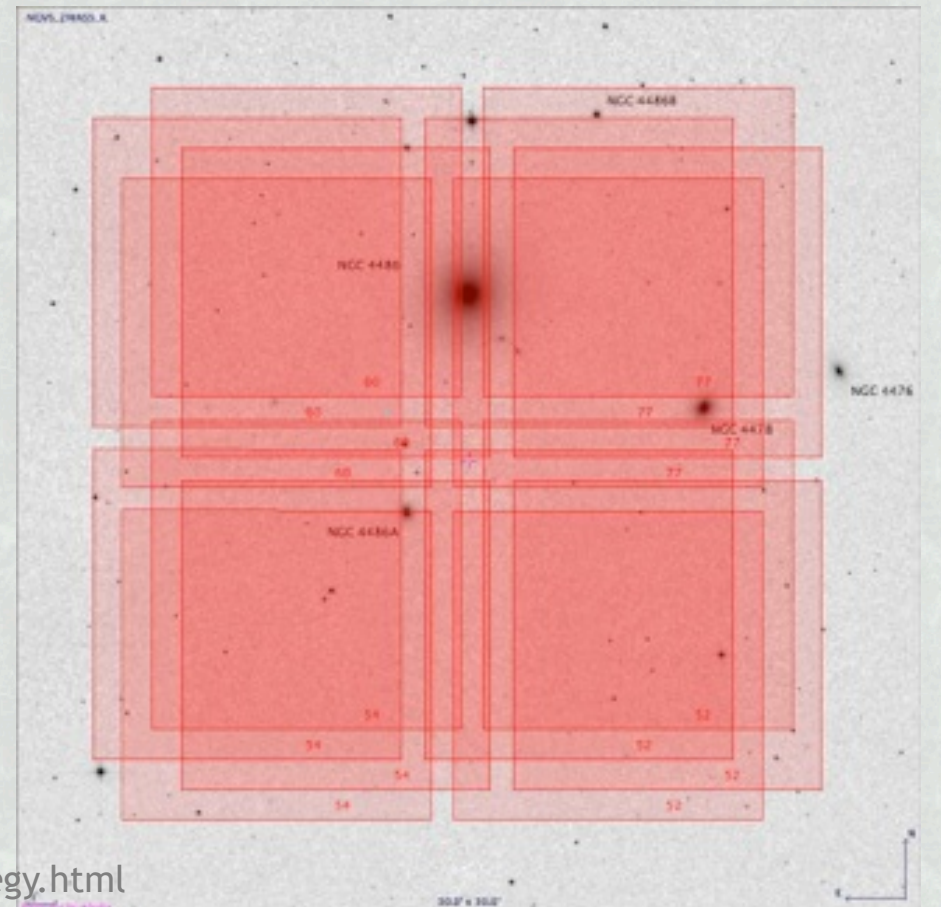
# *Dithering* - sample your target with different regions from your CCD

- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels



# *Dithering* - cover a wider field

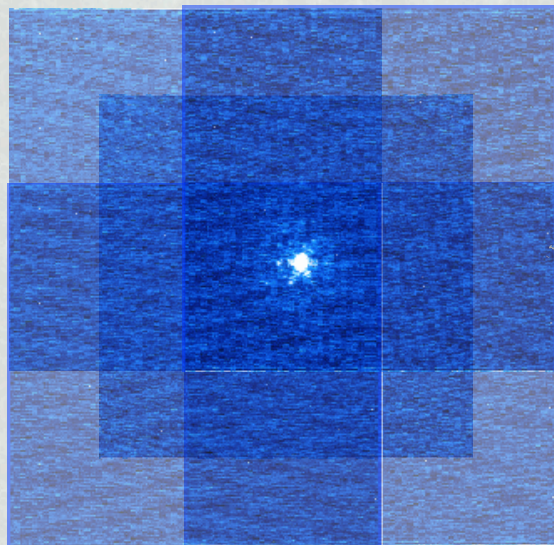
- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels
  - Fill the gap between multiple CCDs



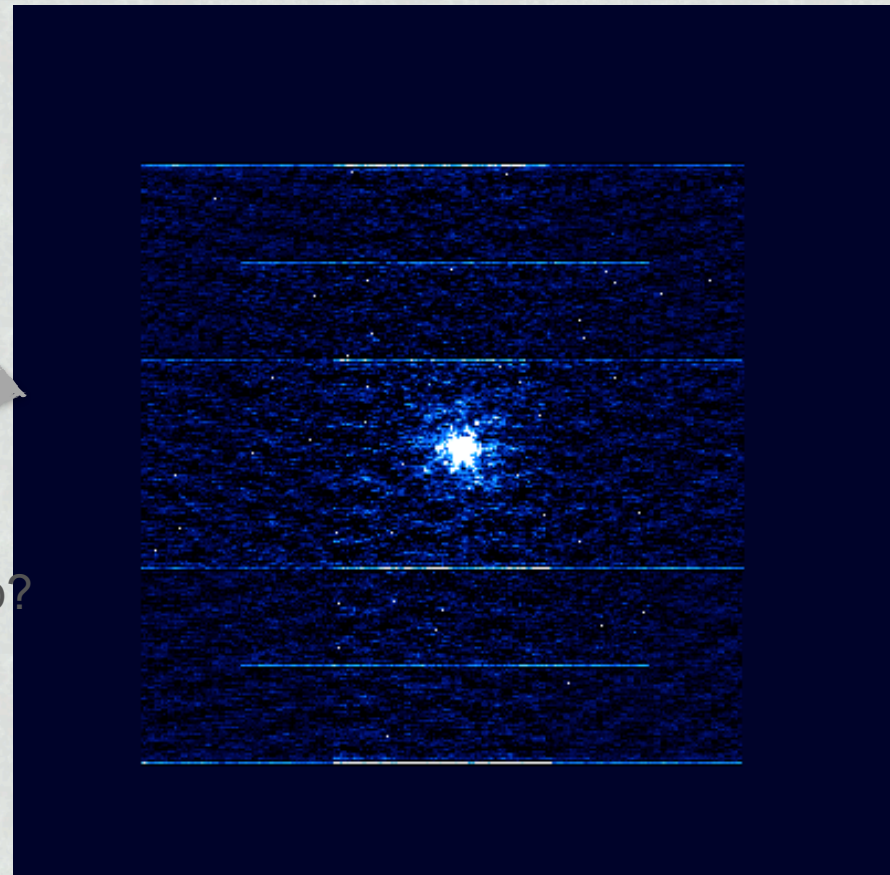


# *Dithering* - cover a wider field

- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels
  - Fill the gap between multiple CCDs

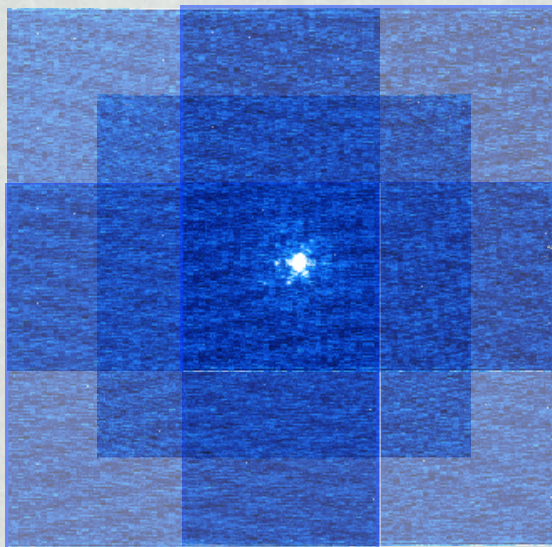


Offset and  
simply sum up?  
**No!**



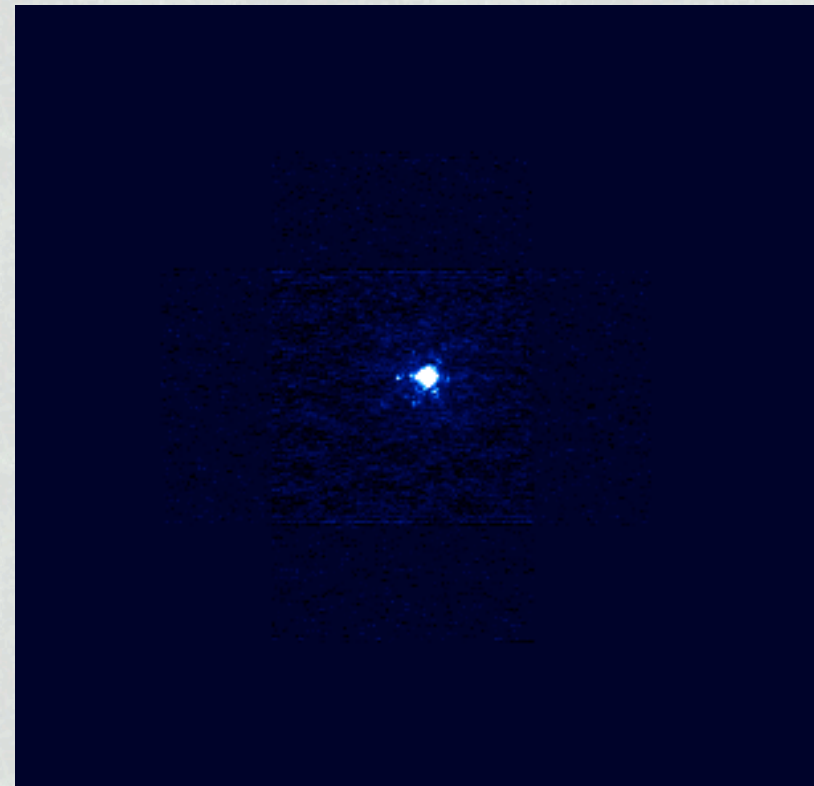
# *Dithering* - cover a wider field

- What's the motivation?
  - Minimize the impact of: cosmic rays, “dead” pixels, “hot” pixels
  - Fill the gap between multiple CCDs



Median combine  
provides much better  
results!

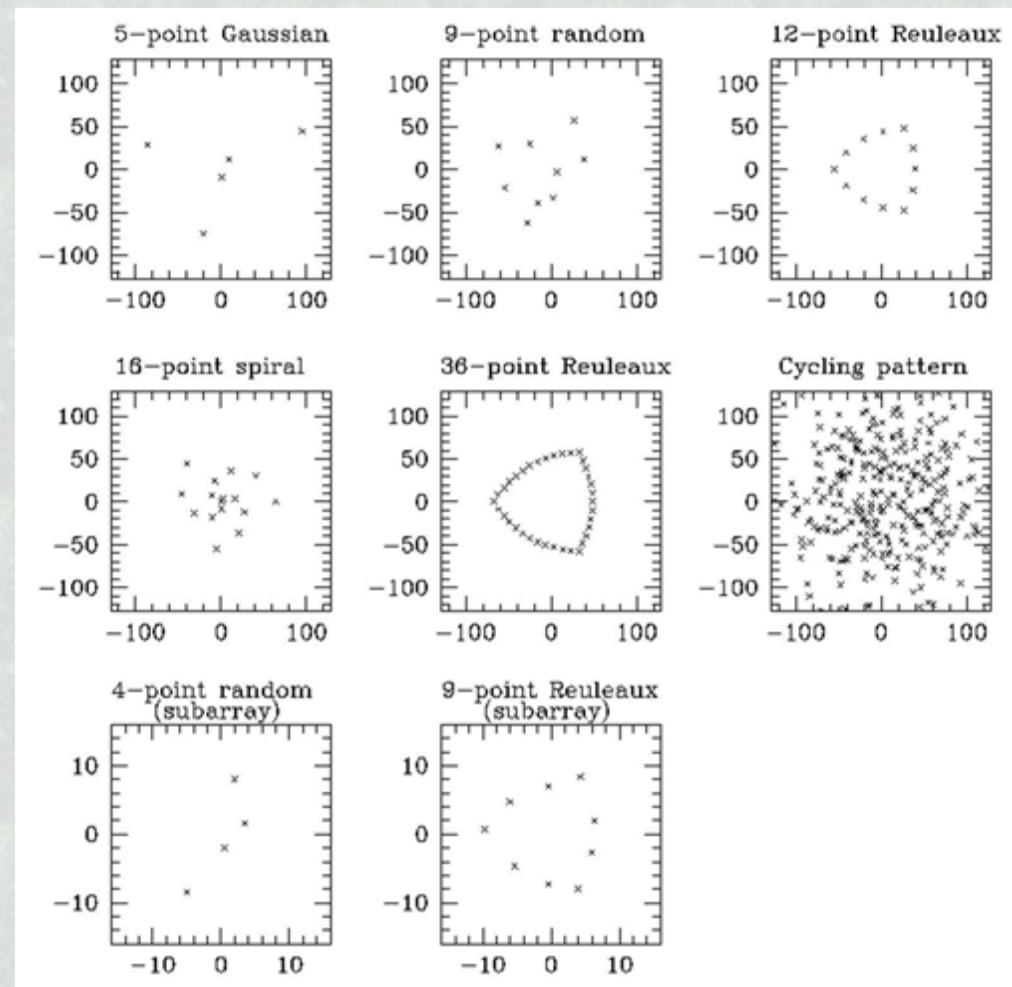
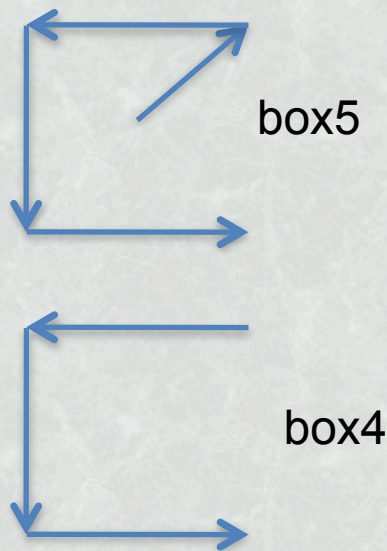
Offset and  
simply sum up?  
**No!**





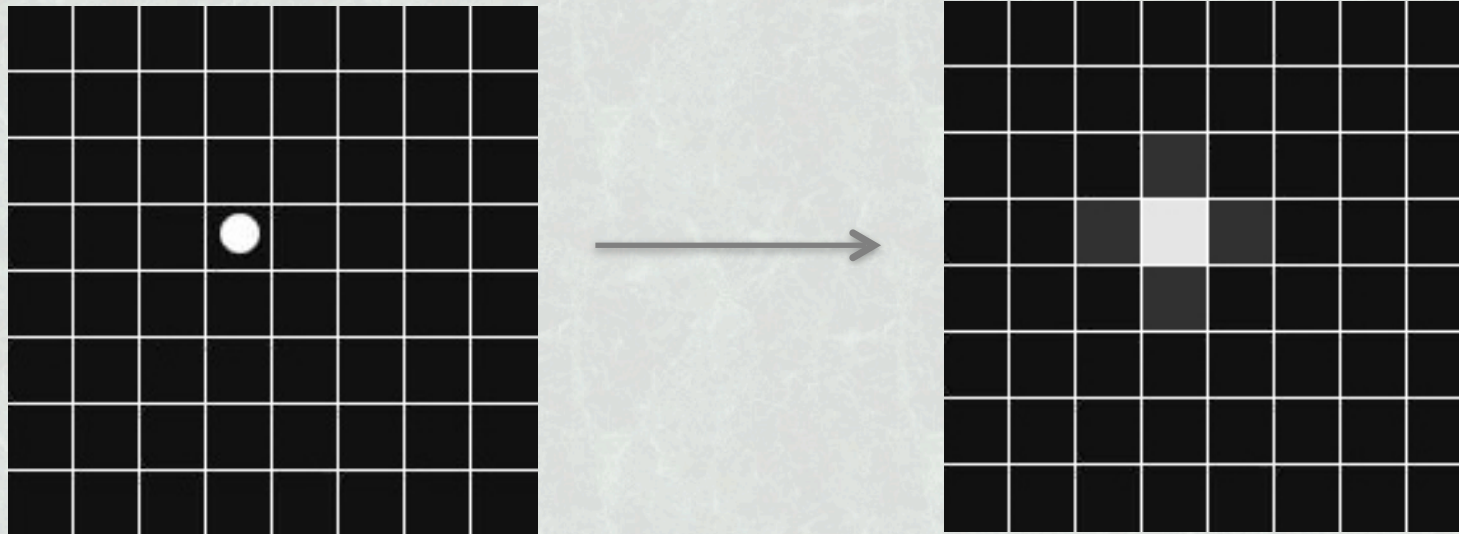
# *Dithering* - sample your target with different regions from your CCD

- What's the motivation?
- Multiple options of dithering patterns



# Sampling – consider the PSF!

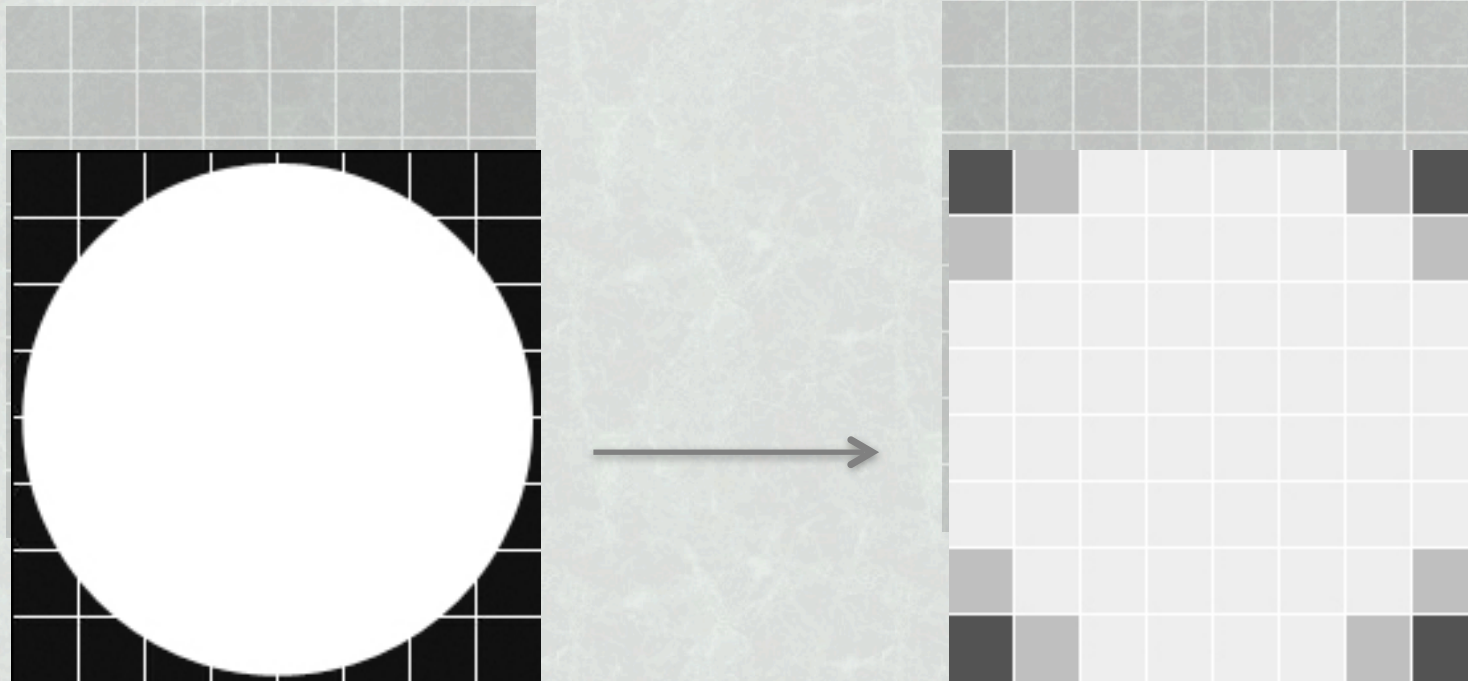
- Under-sampling, over-sampling and Nyquist sampling





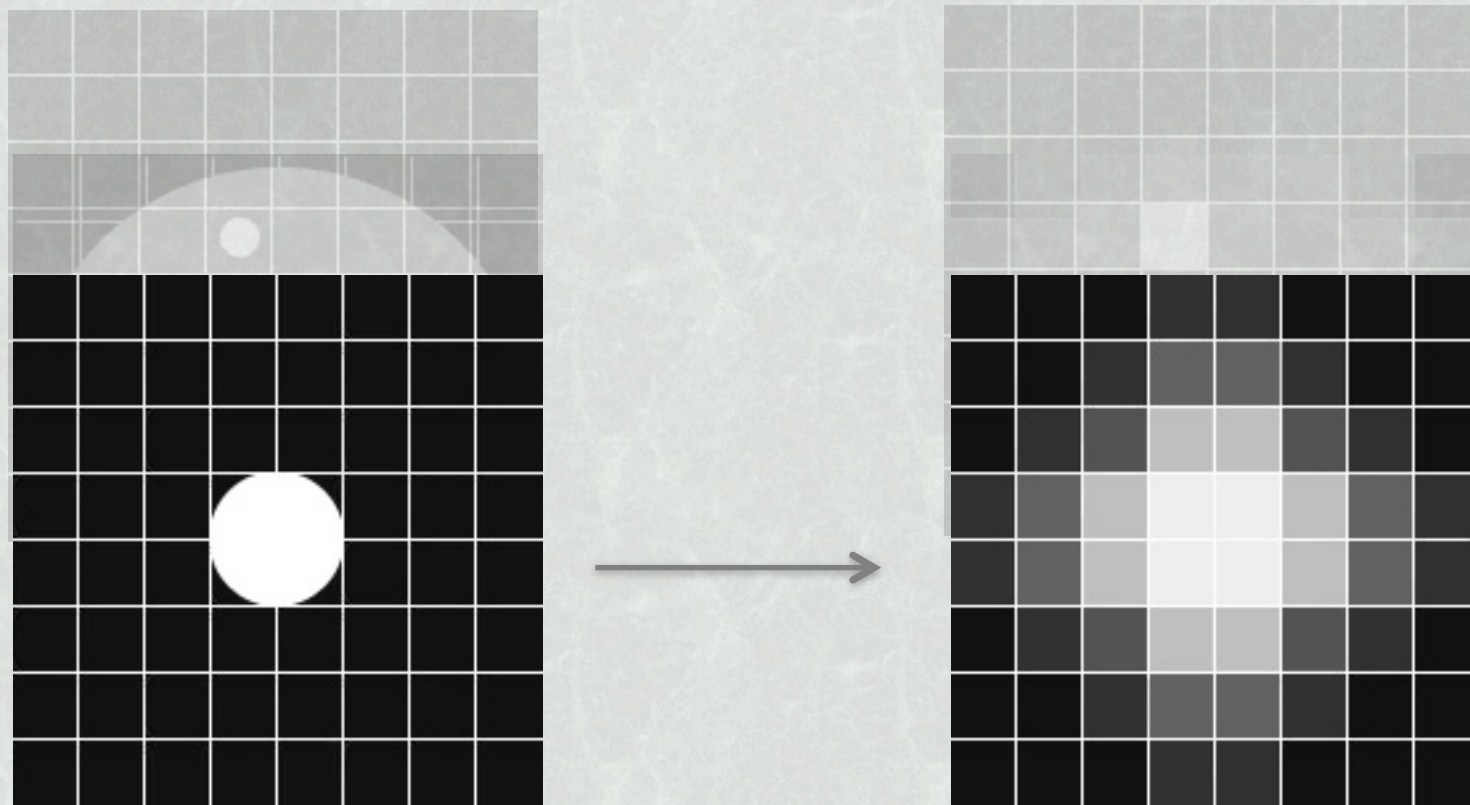
# Sampling – consider the PSF!

- Under-sampling, **over-sampling** and Nyquist sampling



# Sampling – consider the PSF!

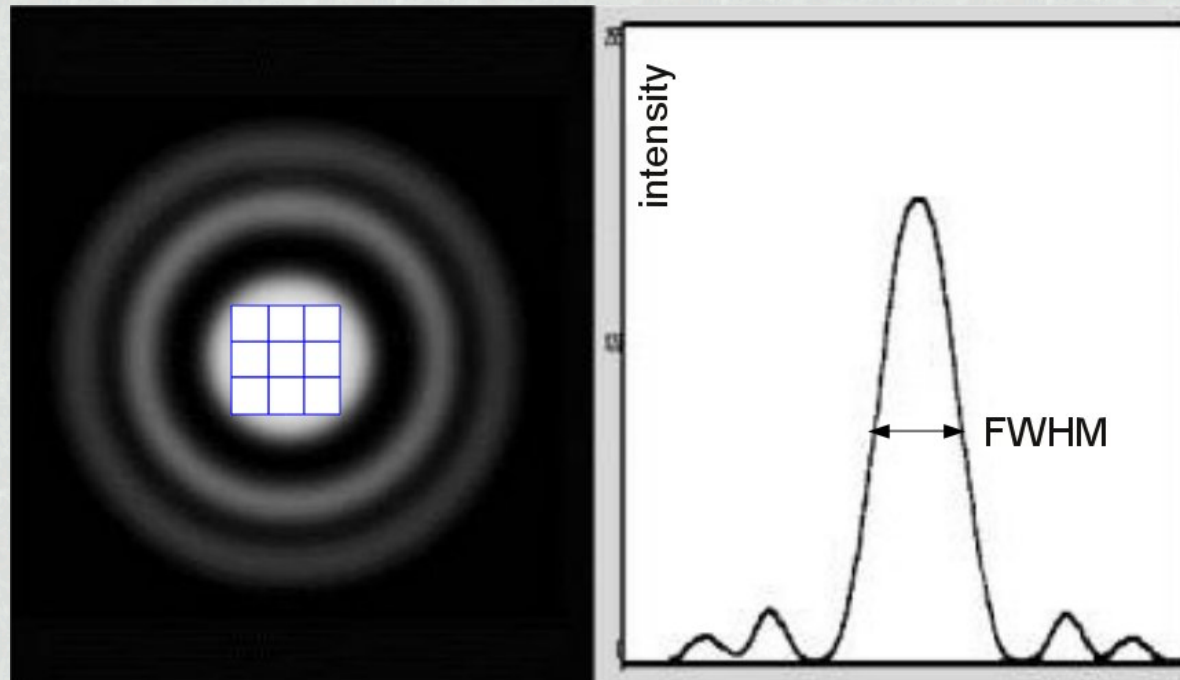
- Under-sampling, over-sampling and Nyquist sampling





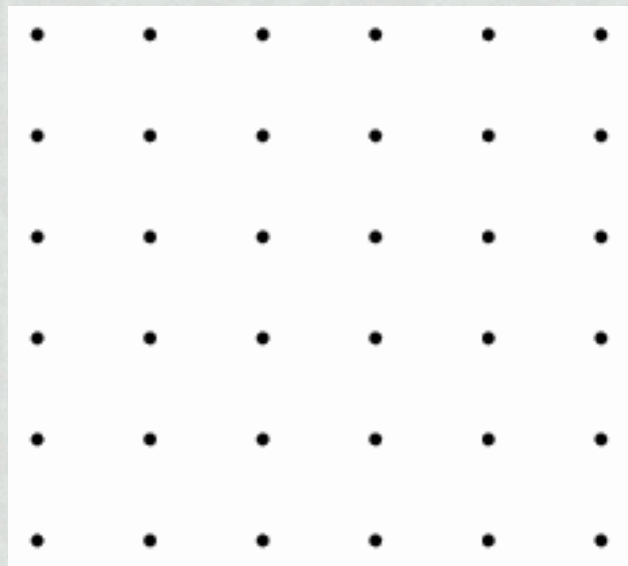
# Sampling – consider the PSF!

- Nyquist criterium (for “Nyquist sampling”):
  - Ideally the PSF should be covered by ~2-3 pixels  
[in spectroscopy: ~2-3 spaxels]

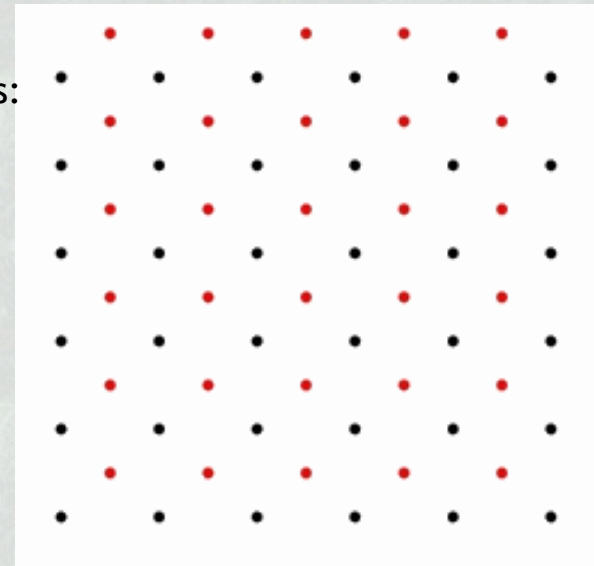
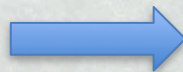


# Sampling – consider the PSF!

- Nyquist criterium (for “Nyquist sampling”):
  - Ideally the PSF should be covered by ~2-3 pixels  
[in spectroscopy: ~2-3 spaxels]
  - If detector pixels are larger (or comparable) to the PSF size, may opt for dithering with non-integer pixel offsets to attain Nyquist sampling.



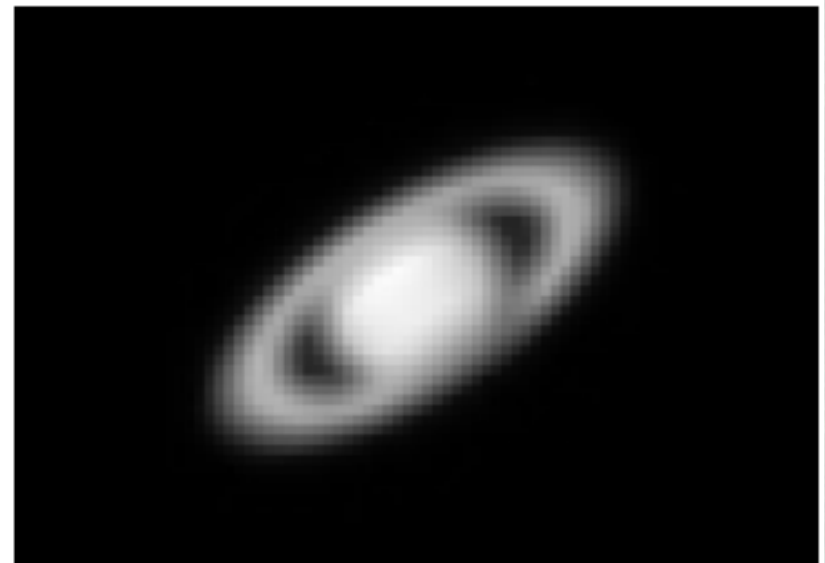
Offsets entre images:  
 $(n+1/2, m+1/2)$





# Sampling – consider the PSF!

- Nyquist criterium (for “Nyquist sampling”):
  - Ideally the PSF should be covered by ~2-3 pixels  
[in spectroscopy: ~2-3 spaxels]
  - If detector pixels are larger (or comparable) to the PSF size, may opt for dithering with non-integer pixel offsets to attain Nyquist sampling.



# IRAF & ds9 — the very basics

- Here in Socorro:
  - Open a terminal and go to `/home/isya/IRAF`
  - Open ds9 from the terminal (i.e., type “ds9 &”)
  - On the terminal’s command line, type “ecl”
    - ▶ You’re in the IRAF environment!
      - Note: Little hiccup: we’ll have to open images directly using the pull-down menus from ds9



# IRAF & ds9 – the very basics

- Once on IRAF, common routines you'll use (also on remote computer!)
  - *imstat* <file> → Get basic statistic on the image/region
  - *display* <file> <frame>
  - *imexamine* <file> → quickly check source profiles (<r>, <s>, <j>)
  - *imheader* <file> → View image header
    - Also *dfits*
      - e.g., for multiple headers in one go: *dfits d\*.fits l+ | grep EXPTIME*
  - *imarith* <file1> <file2> <operation> <output\_file>
  - *imcombine*
- To use IRAF routines:
  - directly on *iraf* command line by inputting the routine name and main input parameters
  - Explicitly open the parameter list by typing “epar <routine>” on the *iraf* command line.

Note: for help in any *iraf* routine, type “help <routine>” on *iraf* command line

# Data Reduction – getting ready

- Each group will create their own sub-directory under */home/isya/ObservationalAstronomy/Group\_<number>*
- Create a subdirectory called “rawdata” and copy the night’s data onto this directory, as well as the log sheet. This will be your local go-to folder if you (by mistake) erase an important file.
  - “LOG\_OPD160\_13julho2018\_ISYA2018\_original” (Excel)
- Consider the different types of images taken through the night of remote observations and, within the group’s directory, create subdirectories for the different types of images taken
- Use the header routines as well as the log sheet to verify that the files are well allocated to the different directories
  - What additional subdivision should be made in the flats and darks subdirectories?



# Data Reduction — let's start!

- Create all relevant *master* images
  - Master bias
  - Master flat (each filter)
  - Master dark (each exposure time)
- Consider how should each of the following “corrections” should be executed:
  - Correcting for readout noise
  - Correcting for the accumulation of dark current
  - Correcting for the non-homogeneity in sensitivity of the CCDs pixels
- Which mathematical operations need to be implemented?
- Go for it!