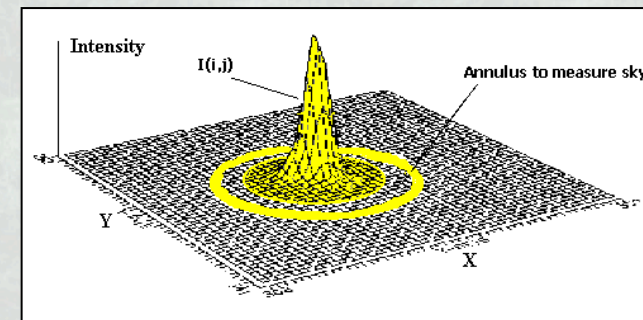
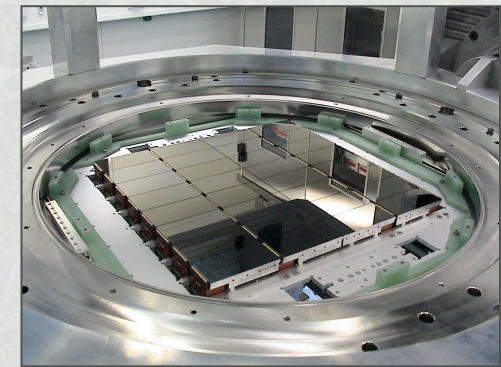
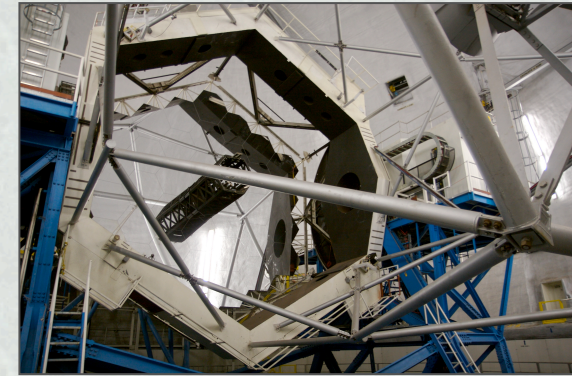
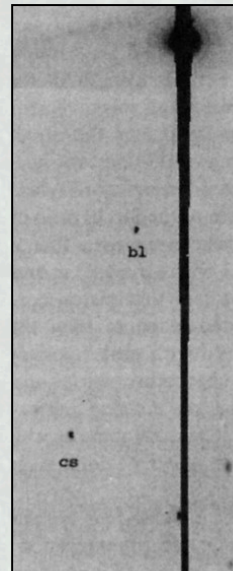
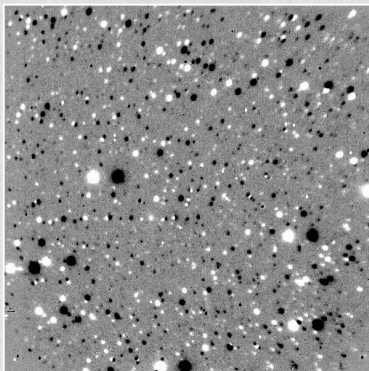
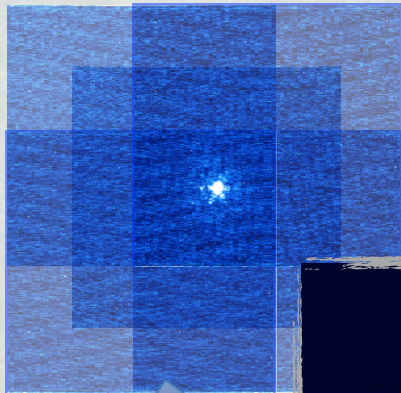


Observational Astronomy & Data Reduction



Karín Menéndez-Delmestre
Observatório do Valongo

Syllabus

I. Basics Concepts in Observational Astronomy:

- Telescopes
- coordinate systems
- Image Quality

II. Signal and Sources of Noise

- Detectors
- Poisson statistics
- shot noise
- sky
- Read noise
- dark current

III. Observing Strategies & Planning your observing night

IV. Basics of Data Reduction

- Bias, Flats, Darks
- What, Why, When, How long and How many

V. Data Reduction

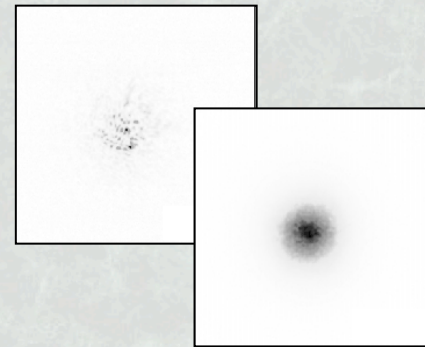
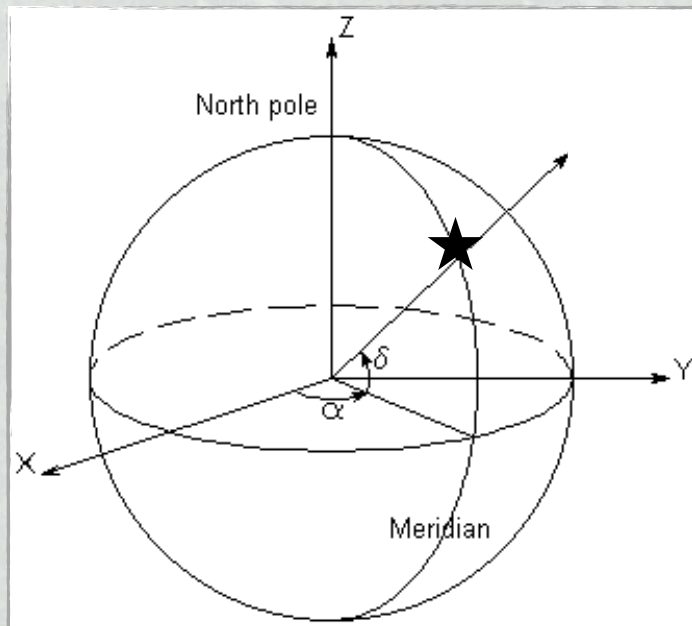
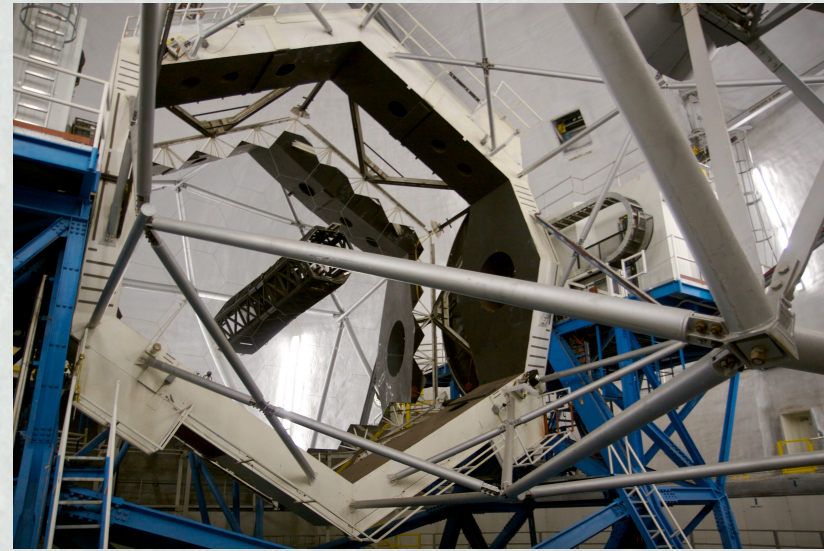
- Simple arithmetics!
- Bringing in the computer tools*
- Using basic IRAF routines or Python

VI. Basic Aperture Photometry

Observational Astronomy & Data Reduction

Lecture 1:

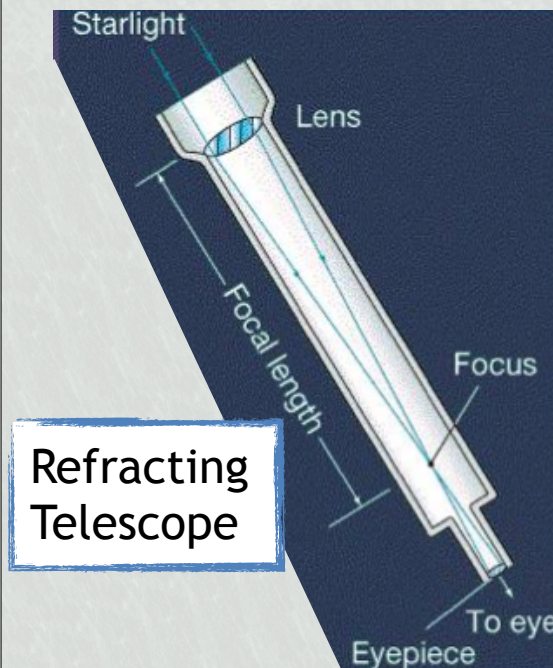
Telescopes
Coordinates
Image quality



Karín Menéndez-Delmestre
Observatório do Valongo

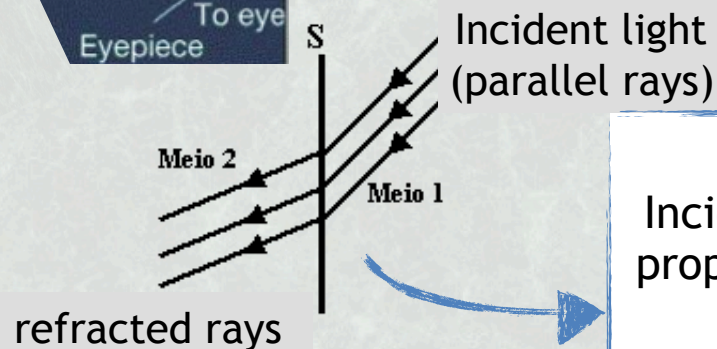
Telescopes

- Optical system that consists of:
 - **Objective**: primary optical element (lens/mirror)



A bit of telescope history...

- Invented in 1608 by Lippershey, the Netherlands
- First used for astronomical purposes by Galileu in 1610 (Italy)

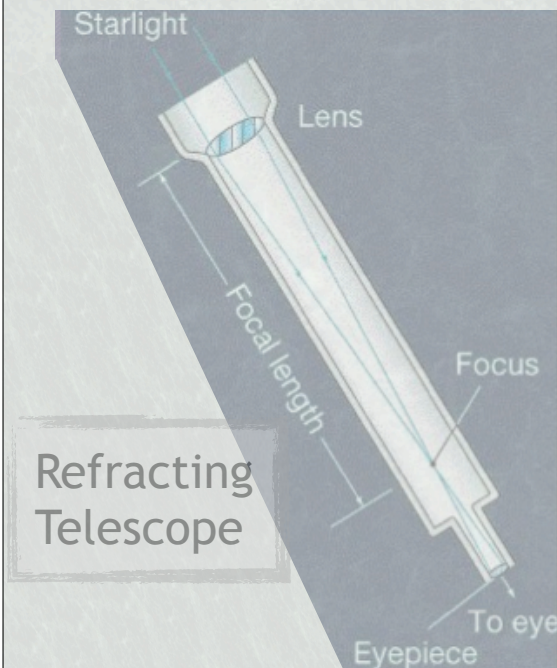


Refraction:

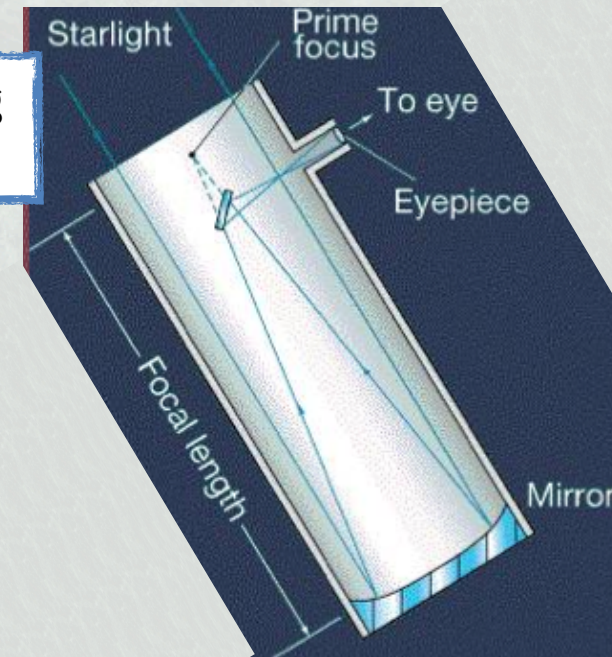
Incident light goes through S and continues to propagate. S separates two transparent media (air/water, water/glass, etc.)

Telescopes

- Optical system that consists of:
 - **Objective**: primary optical element (lens/mirror)

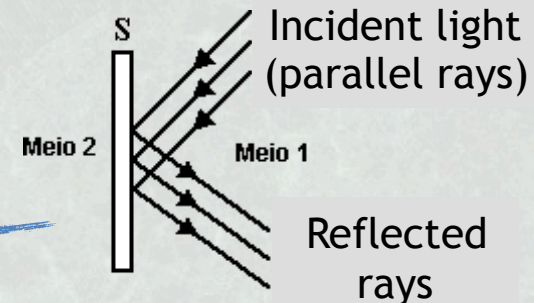


Reflecting Telescope



Reflection:

Incident light is returns to the same medium. S is a well polished metallic-like (e.g., mirror) surface.

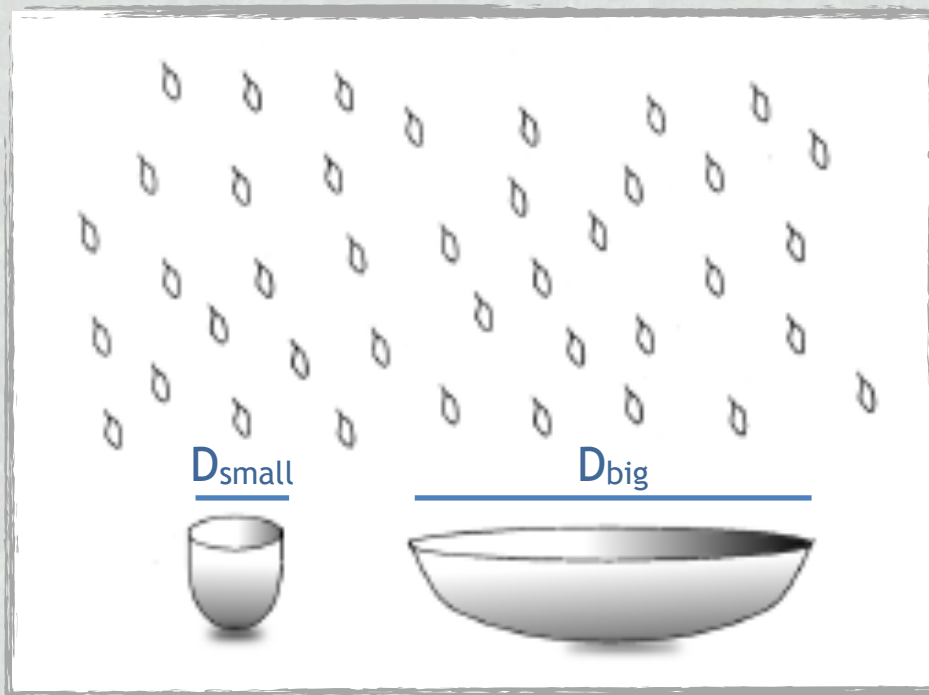


Telescopes

- Optical system that consists of:
 - **Objective**: primary optical element (lens/mirror)
 - What for? Capture light!
 - At the focal plane → form an image!
 - A **detector** (e.g., CCD) → camera, or
 - eyepiece

Telescopes - basic functions

- Main function: collect photons
 - A telescope captures radiation intercepted by its **aperture**
 - The bigger the aperture, the larger the quantity of photons collected
 - collecting capacity is proportional to the area.



If photons of light
are like raindrops,
then telescopes
are like buckets.

Telescopes - basic functions

- Main function: collect photons
 - A telescope captures radiation intercepted by its aperture
 - The bigger the aperture, the larger the quantity of photons collected
 - collecting capacity is proportional to the area.
 - Telescope size = aperture size = diameter of objective
 - In small telescopes, we measure the aperture in *mm* or *cm*
 - big ones, in *meters*!
 - Can also think in terms of how long it takes to collect a fixed amount of energy
 - telescopes with larger apertures will collect in a shorter amount of time:

$$t_{\text{big}} = (D_{\text{big}}/D_{\text{small}})^2 t_{\text{small}}$$

where t_{big} is the
integration time for the
bigger telescope with
diameter D_{big}

Question #1

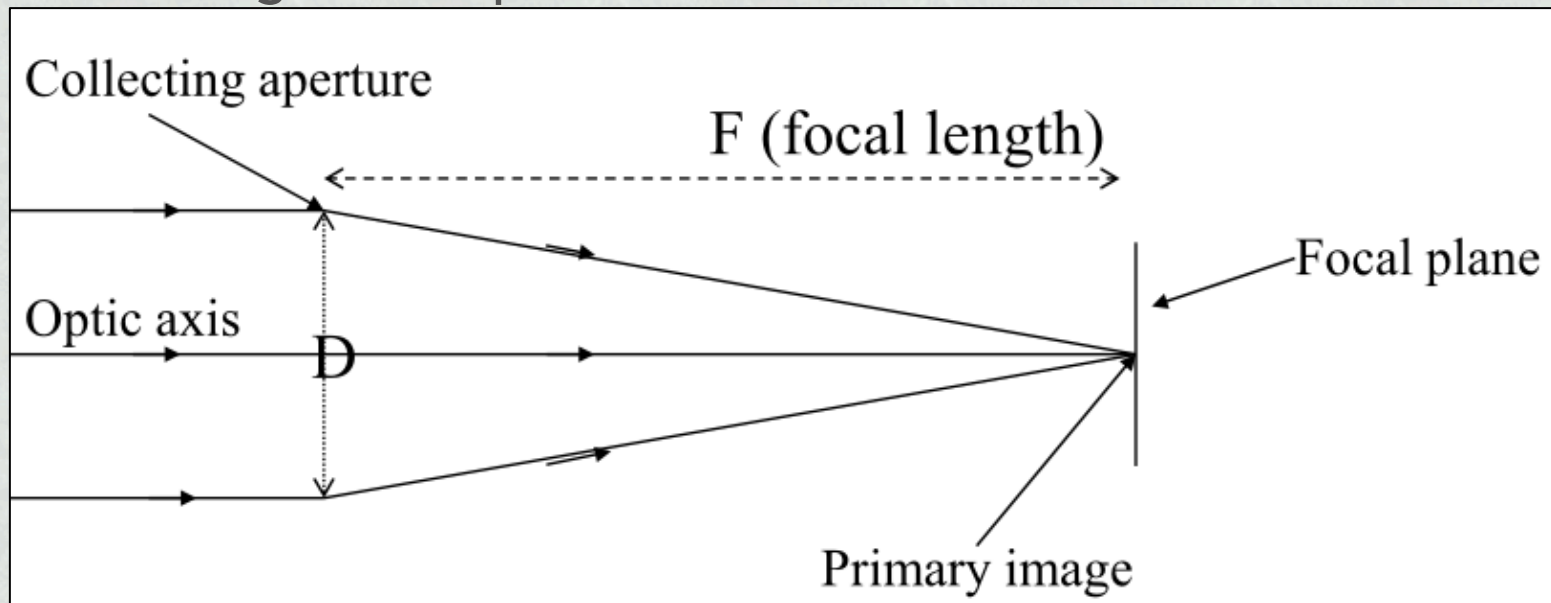
- How much faster can a 10m telescope collect light compared to a human eye?

Eye: ~7mm

Telescopes - optical properties

- Fundamental properties of any telescope:
 - **Focal distance** (F): distance (from the objective) at which the image of an infinitely-far away object is formed
= distance between lens/mirror and the focal plane

Refracting Telescope

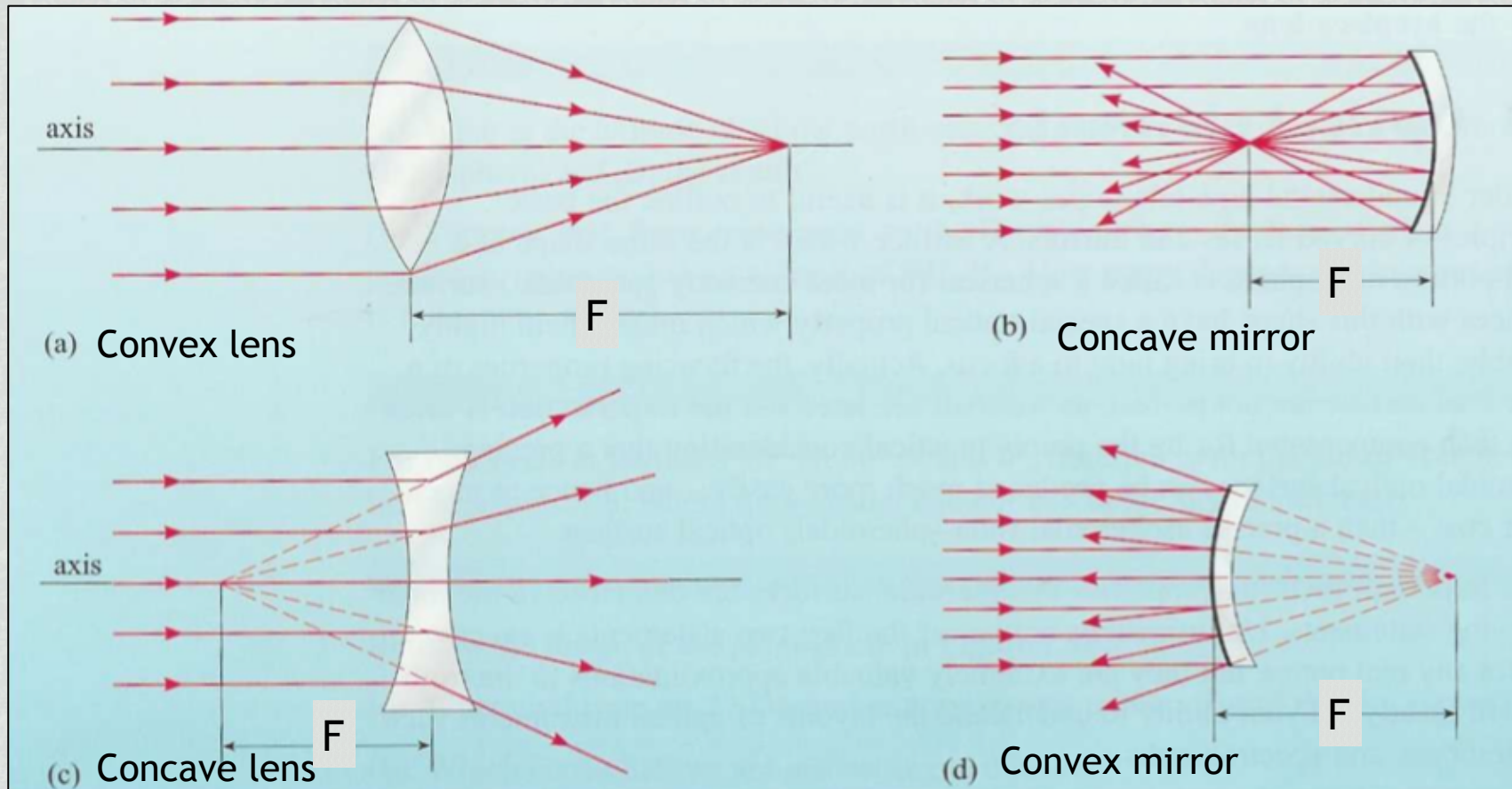


Note:

The optical path of a telescope is typically composed of various optical elements (lenses/mirrors); we refer to the *effective focal distance* for the whole optical system.

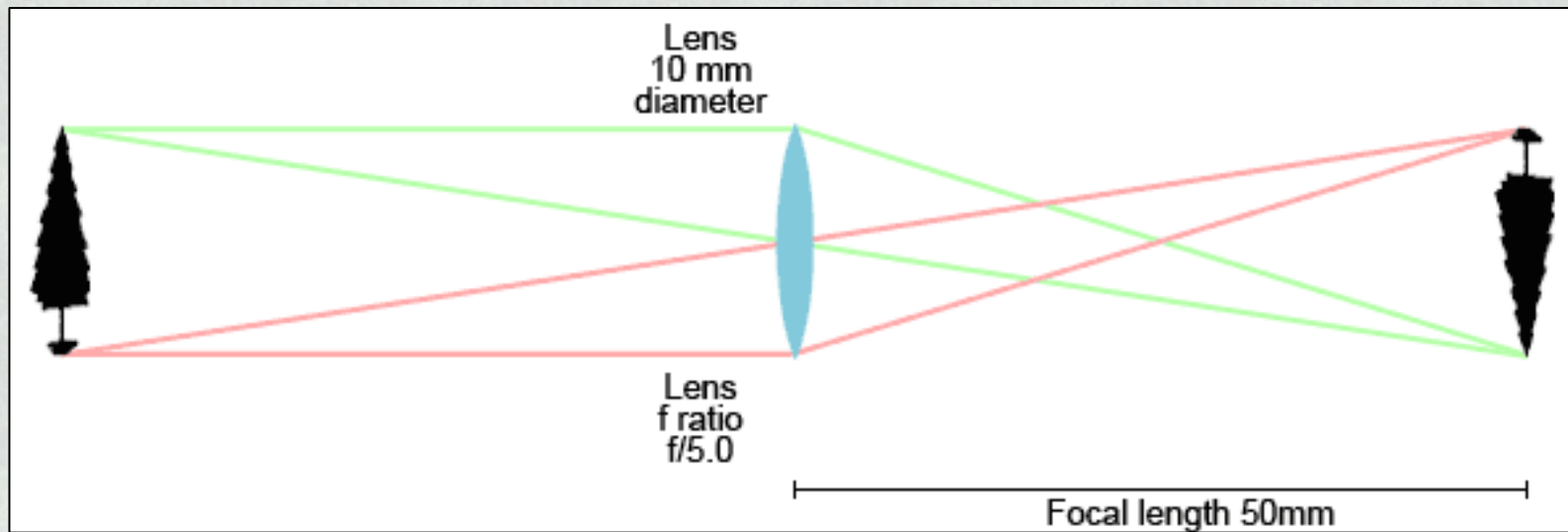
Telescopes - optical properties

- Fundamental properties of any telescope:
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= distance between lens/mirror and the focal plane



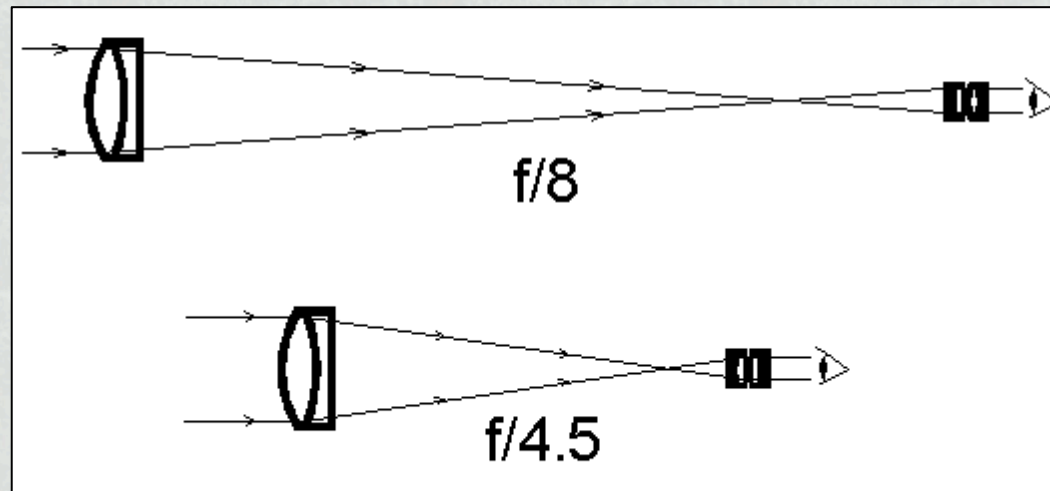
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= distance between lens/mirror and the focal plane
 - **Aperture (A)**: diameter of the primary mirror/lens
 - **Focal ratio** ($=F/A$): f/number



Telescopes - optical properties

- Fundamental properties of any telescope:
 - Focal distance (F): distance (from the objective) at which the image of an infinitely-far away object is formed
= distance between lens/mirror and the focal plane
 - **Aperture (A)**: diameter of the primary mirror/lens
 - **Focal ratio** ($=F/A$): f/number
 - The larger the focal distance, the larger the focal ratio (i.e., the larger the “number” in the expression f/number)



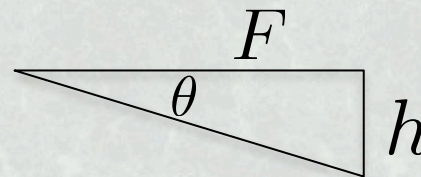
Telescopes - image size and FOV

- An object with an angular size θ (in radians) on the sky will form an image with linear physical size h (in *mm*) on the focal plane:

$$h = \theta_{\text{radians}} F$$

$$2\pi \text{ radians} = 360 \text{ deg} \times 60' \times 60''$$

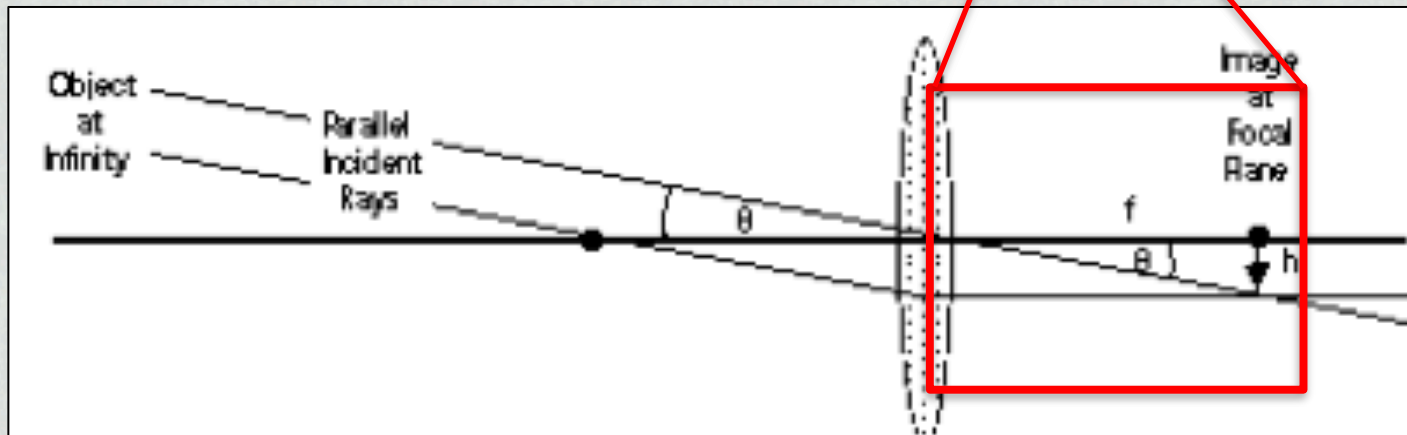
$$\rightarrow 1 \text{ rad} = 206265''$$



$$\tan\theta = h/F$$

For small θ :

$$F \times \theta = h$$



→ the larger the focal distance, the larger the physical size of the image

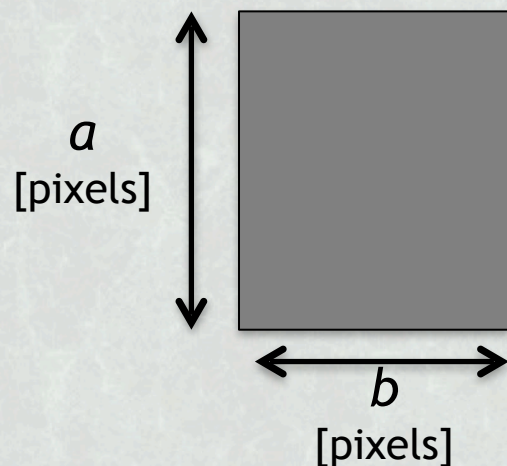
Telescopes - image size and FOV

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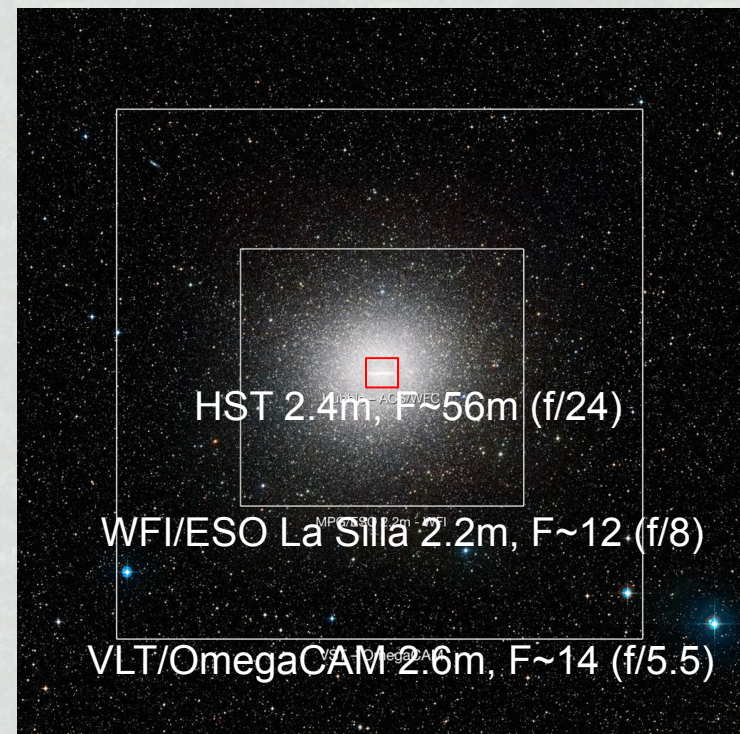
$$h = \theta_{\text{radians}} F$$

- If our detector (i.e., CCD) has physical dimensions $a \times b$, the field of view (FOV) will be:

$$\theta_a \times \theta_b = (a \times b) / F^2$$



The larger the focal ratio, the smaller the FOV



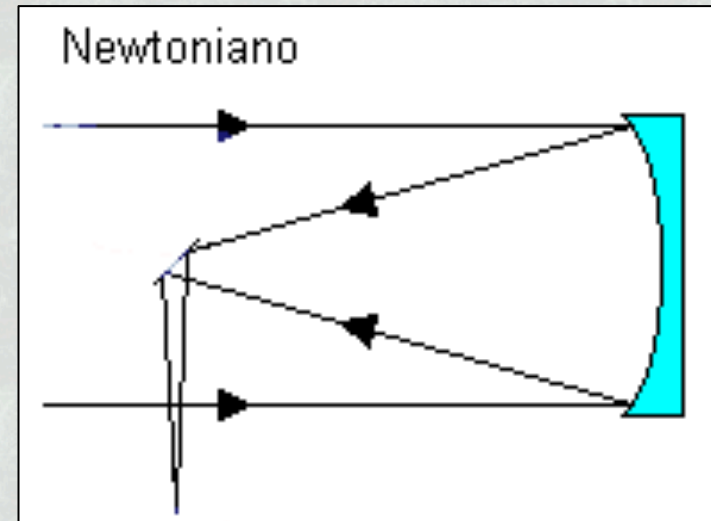
PR image globular cluster ESO1119i

<http://cmarchesin.blogspot.com.br/2011/06/first-images-from-vlt-survey-telescope.html>

Reflecting Telescopes – types

- **Newtonian:** simplest form of a reflecting telescope

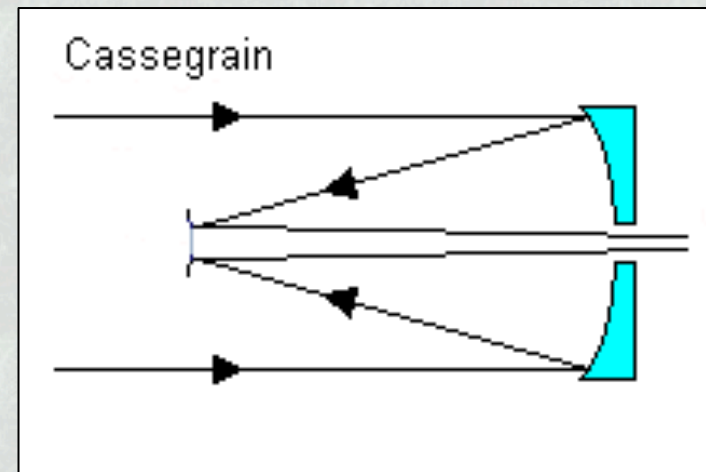
- A flat secondary mirror redirects light towards telescope side, where eyepiece/detector is placed.
- Amateur astronomer's favorite: clean image (low in aberrations) and cheap!



Reflecting Telescopes – types

- Newtonian: simplest form of a reflecting telescope
- **Cassegrain:**

- A convex secondary mirror intercepts light reflected from a concave primary and sends it down a central opening in the primary mirror, where the detector is placed. This is the “**cassegrain focus**”.
- The otherwise long light path folds onto a smaller telescope size → allows for large aperture telescopes to be placed in smaller domes!
- Most frequently found in today’s professional astronomical observatories.



Reflecting Telescopes – types

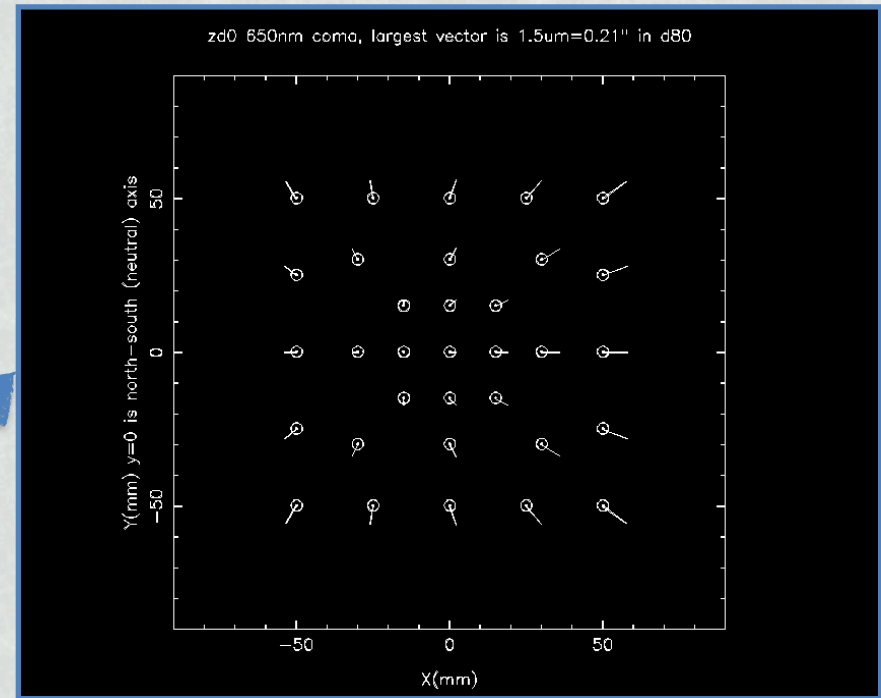
- Newtonian: simplest form of a reflecting telescope
- Cassegrain:

Variants:

- *Ritchey Chrétien*
(e.g., Keck, Hubble)

- ▶ shape of primary and secondary mirrors are different (hyperbolic) to minimize off-axis aberrations (e.g., coma)

- Happens in paraboloid mirrors → light rays incident at an angle θ from the main optical axis do not all converge exactly at the same spot on the focal plane.
- Aberration results in a comet-like image extending from the focal point.

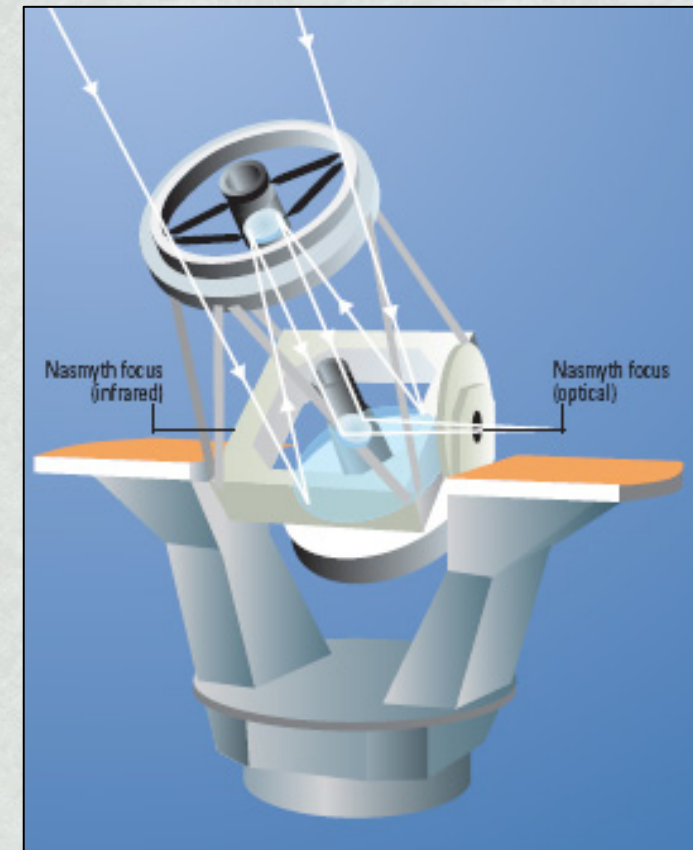
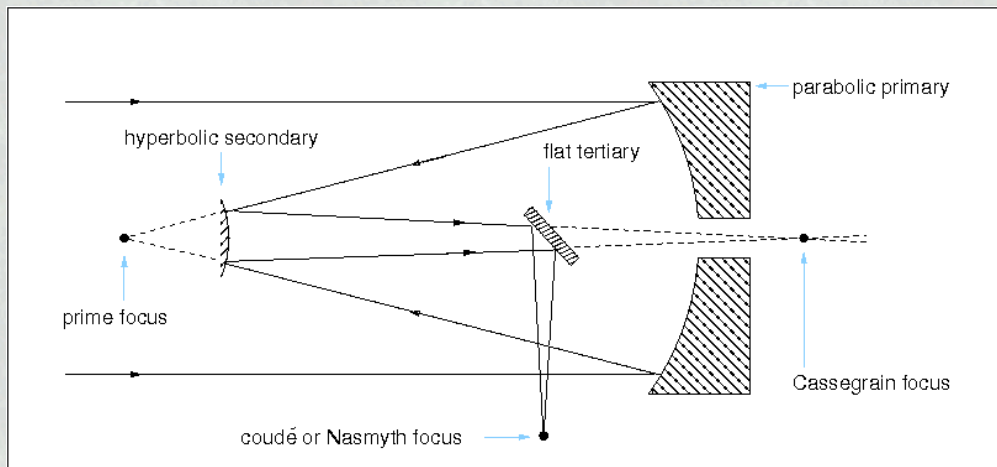


Reflecting Telescopes – types

- Newtonian: simplest form of a reflecting telescope
- **Cassegrain:**

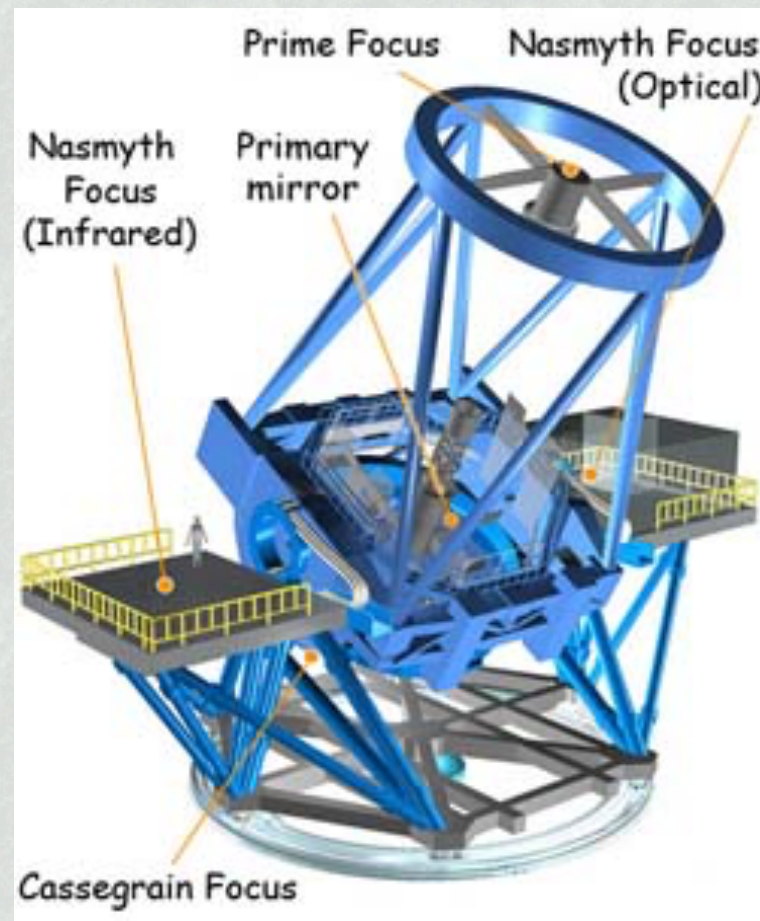
Variants:

- *Ritchey Chrétien*
- *Nasmyth*
 - ▶ A tertiary mirror redirects light reflected from the secondary mirror to a lateral focus plane
→ “**Nasmyth focus**”



Telescopes — can host of many instruments!

- A large quantity of instruments can be installed on a telescope:
 - Prime focus
 - Nasmyth focus
 - Cassegrain focus



Subaru Telescope

Telescopes — can host of many instruments!

Hale (200-inch) Palomar Observatory



Prime Focus

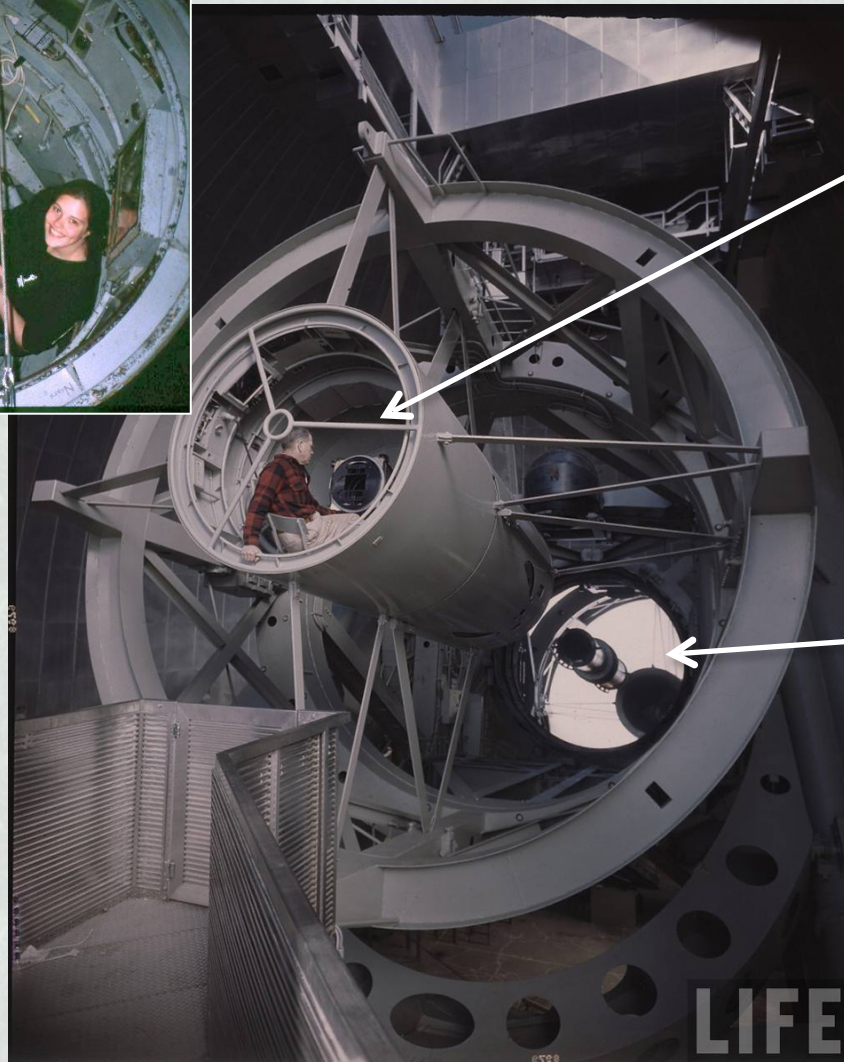
Counter-weight!

Cassegrain Focus

<http://www.astro.caltech.edu/palomar/hale.html>

Telescopes — can host of many instruments!

Hale (200-inch) Palomar Observatory



Prime Focus

Primary mirror

Telescopes — can host of many instruments!

Hale (200-inch) Palomar Observatory



Prime Focus

Primary mirror

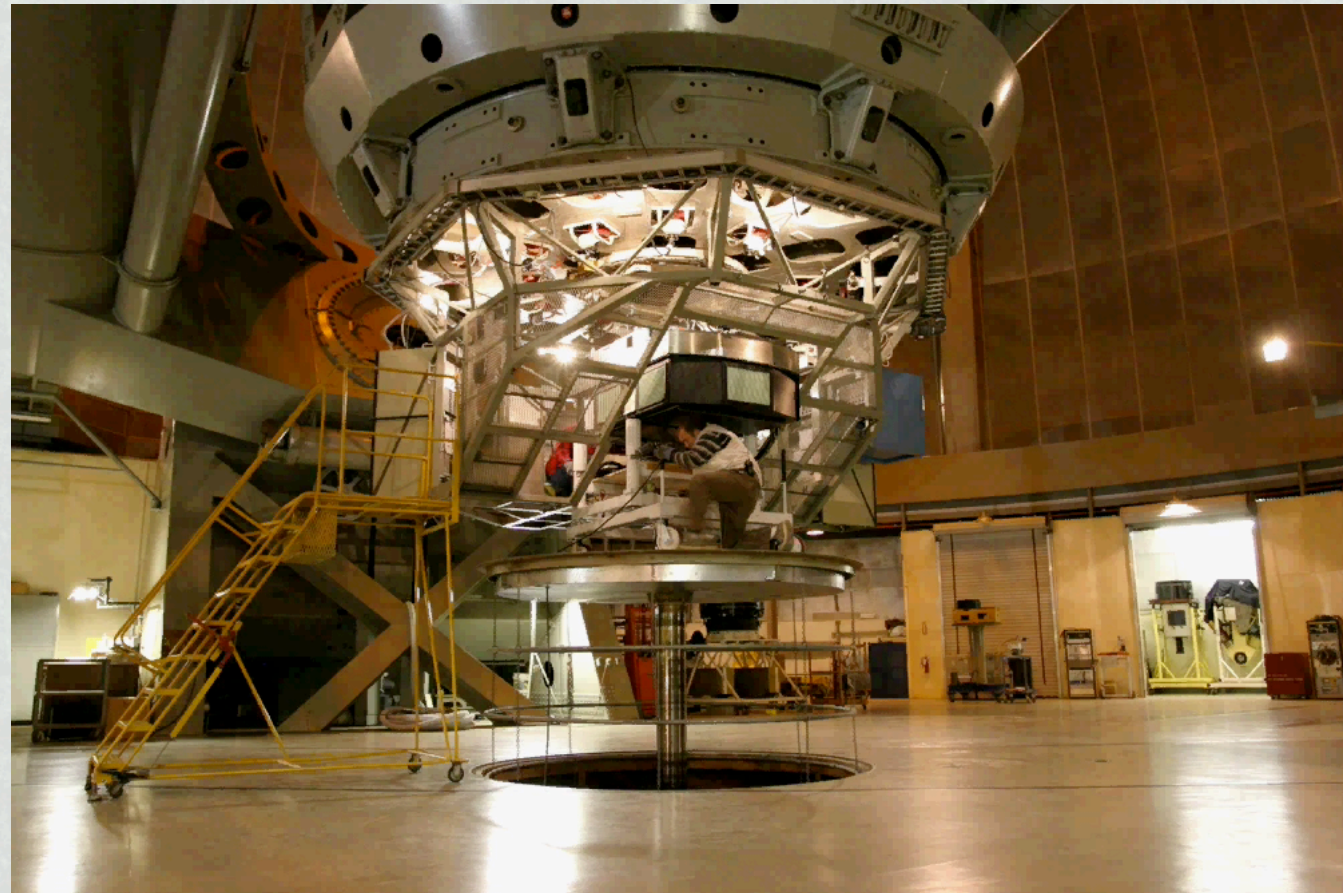
<http://www.aip.org/history/cosmology/ideas/hubble.htm>

Telescopes — can host of many instruments!

Hale (200-inch) Palomar Observatory

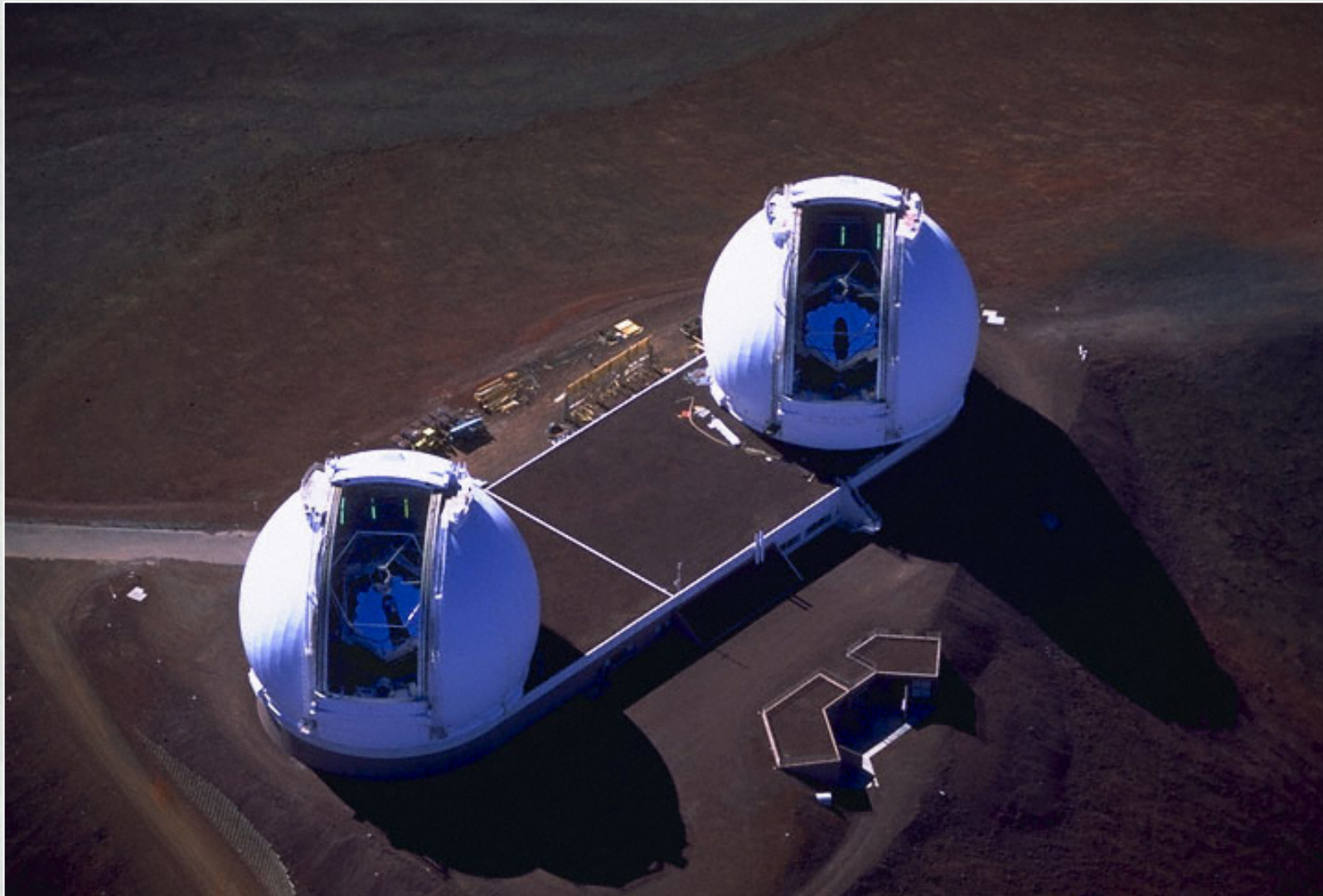
Installing AO
system on
Cassegrain focus

Being close to the
ground, the
Cassegrain focus is
a convenient site
to place/change
instruments.



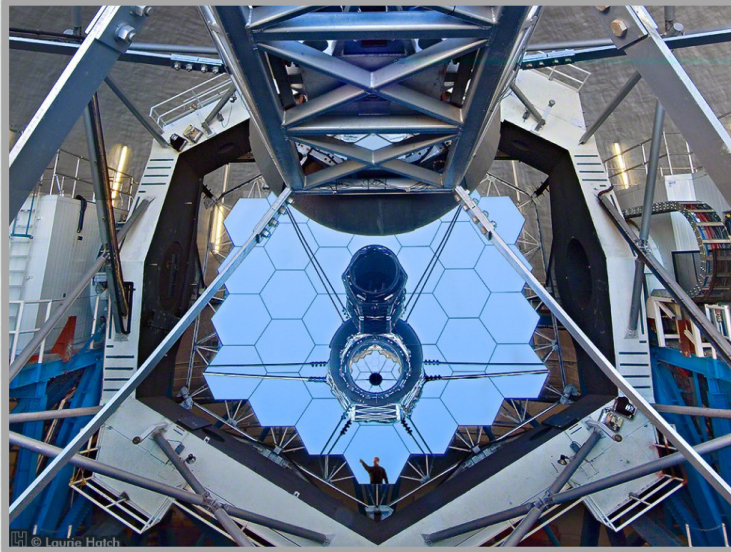
Telescopes — can host of many instruments!

Keck Telescopes (2 x 10m)

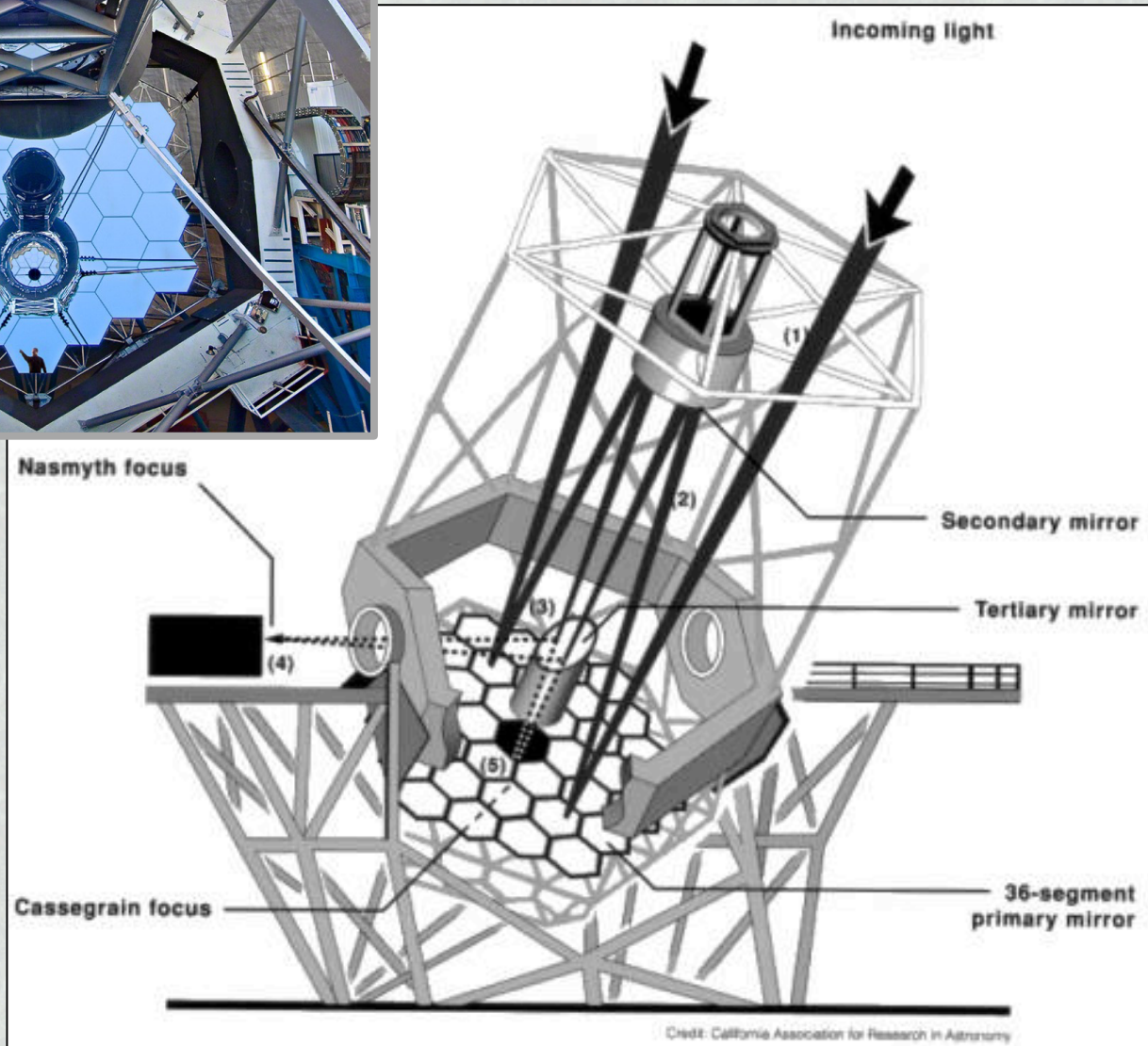


<http://www.ifa.hawaii.edu/images/aerial-tour/kecks.html>

Telescopes — can host of many instruments!



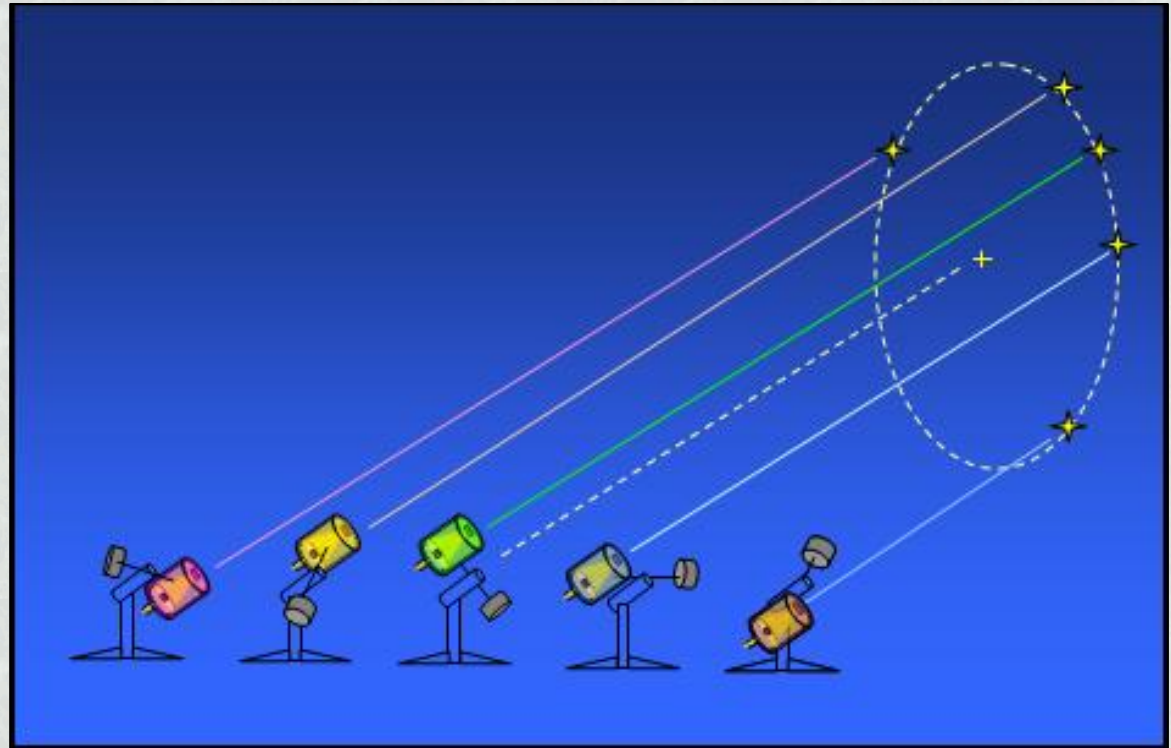
Keck Telescopes (2 x 10m)



<http://www.astro.ljmu.ac.uk/courses/phys134/scopes.html>

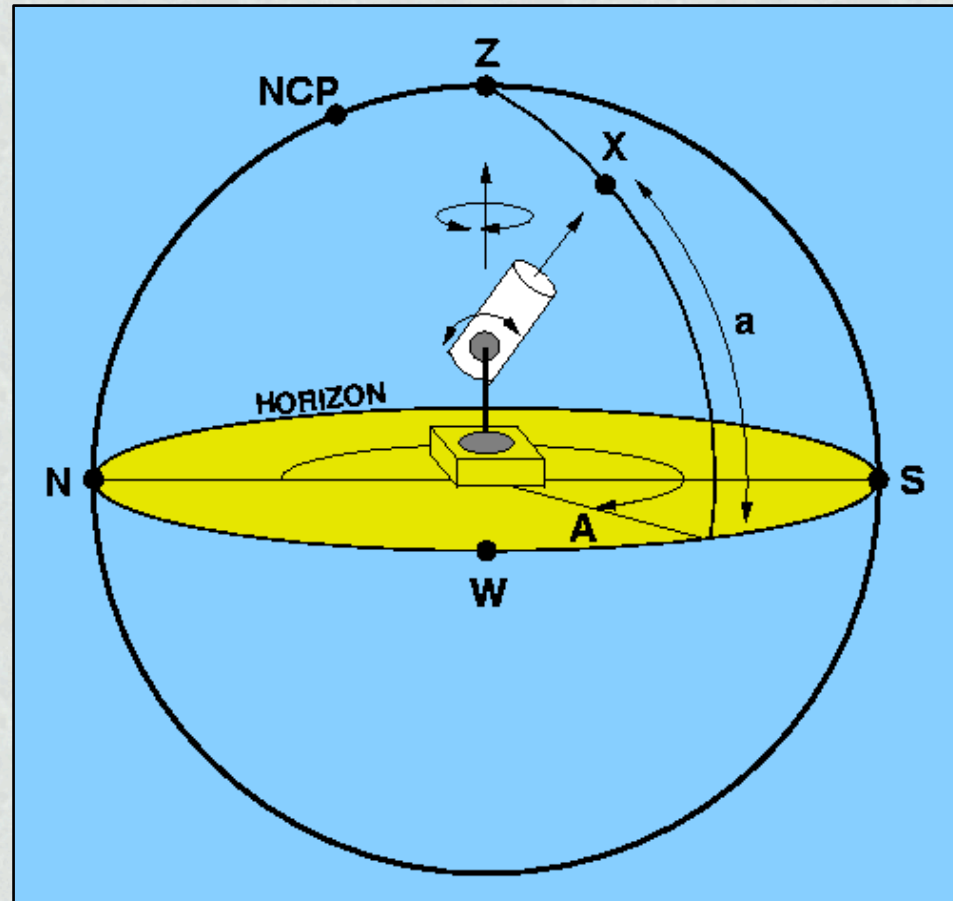
Telescopes — equatorial and azimuth mounts

- **Equatorial mount:**
 - Typically used in medium-sized telescopes
 - One of the axes is parallel to the Earth's rotation axis
 - Only need to rotate to track the daily movement of the object.



Telescopes — equatorial and azimuth mounts

- **Alt-azimuth mount:**
 - Typically used in large professional telescopes
 - 2 axis: vertical and horizontal → **mechanically more stable than the equatorial mount**
 - ▶ Rotation about the vertical axis varies the azimuth
 - ▶ Rotation about the horizontal axis varies the altitude
 - Need to rotate both axes to track objects

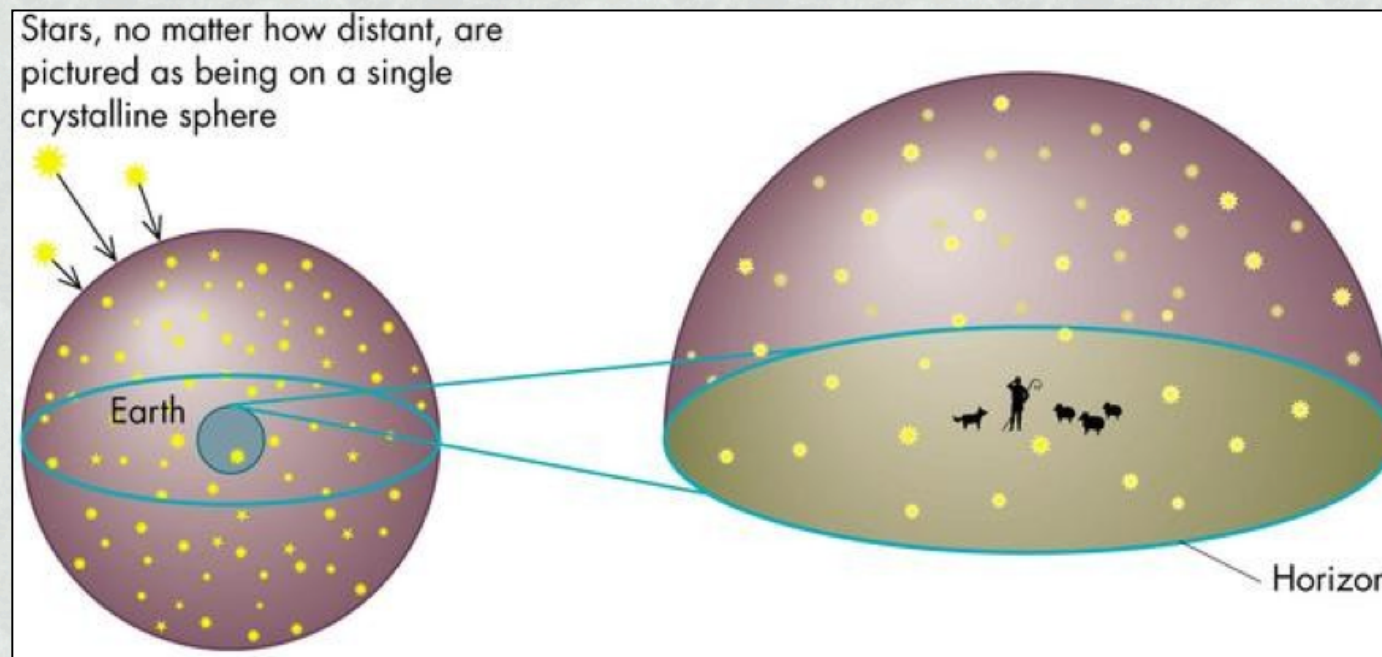


Telescopes — pointing challenges

- Pointing and guiding are not perfect in any mount:
 - Alignment of rotation axes
 - Mechanical flexure of the physical structure (gravity!)
 - Gearing errors
 - Atmospheric refraction
- > Real-time corrections on the pointing are made by *guiders*
 - a parallel tracking system that follows bright stars chosen as *guides*
 - Crucial for long integrations!

Coordinate system — the celestial sphere

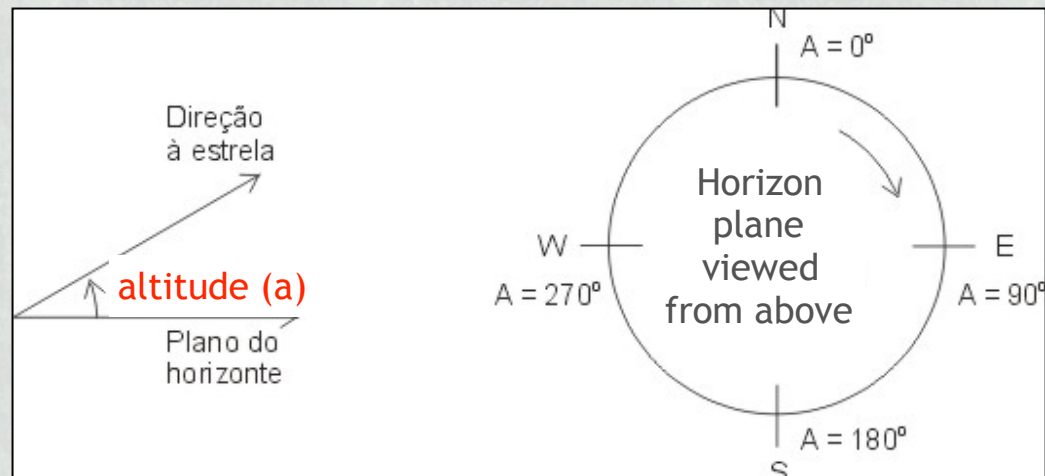
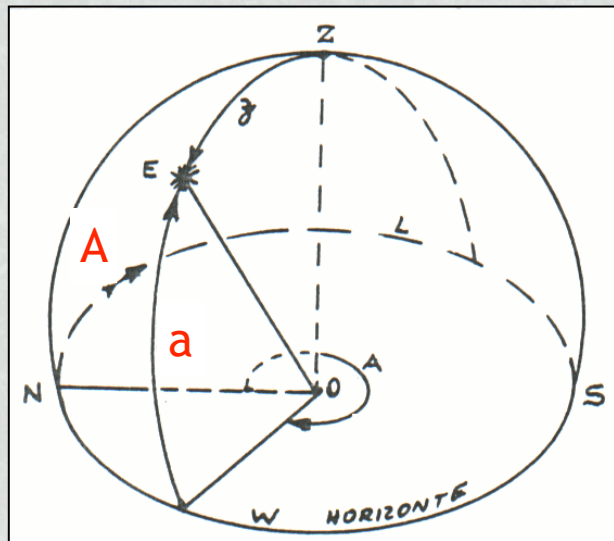
- Need a system to define the positions of celestial bodies
 - Independent of the distance!
- A 2D view (a projected view) of the night sky
- Celestial Sphere: not real, but a useful concept!
 - Consider as though stars were stickers on a large sphere, with Earth at its center



Coordinate system — the celestial sphere

- To define the position of a point on a sphere, need two angles
 - Horizontal system:** *alt* and *azimuth* - most intuitive system for an observer on the Earth's surface.
 - Altitude (*a*) or elevation: Δ above observer's horizon
 - Azimuth (*A*): Δ that defines distance between a reference point and the projection of the celestial body onto the horizon's plane.
 - Reference point: North (Δ increases towards East)

altitude < 0 corresponds to objects below the horizon

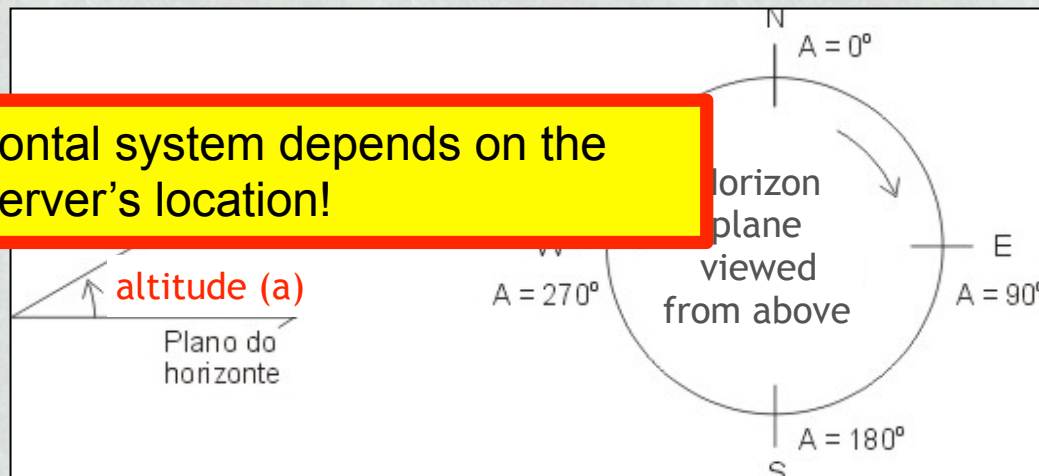
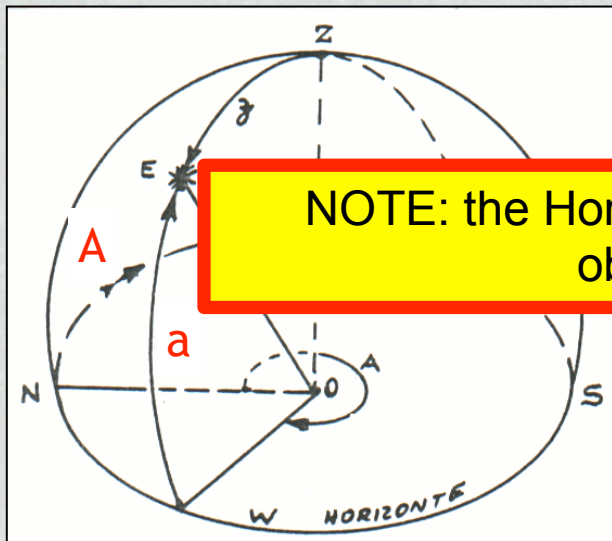


Coordinate system — the celestial sphere

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 - Horizontal system:** *alt* and *azimuth* - most intuitive system for an observer on the Earth's surface.
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 - Azimuth (*A*): Δ that defines distance between a reference point and the projection of the celestial body onto the horizon's plane.
 - Reference point: North (Δ increases towards East)

altitude < 0 corresponds to objects below the horizon

NOTE: the Horizontal system depends on the observer's location!

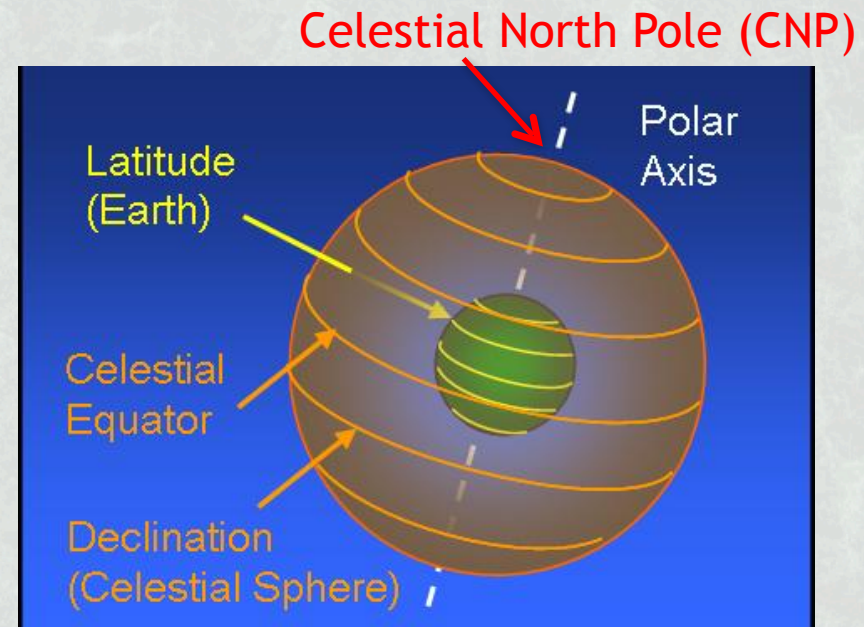
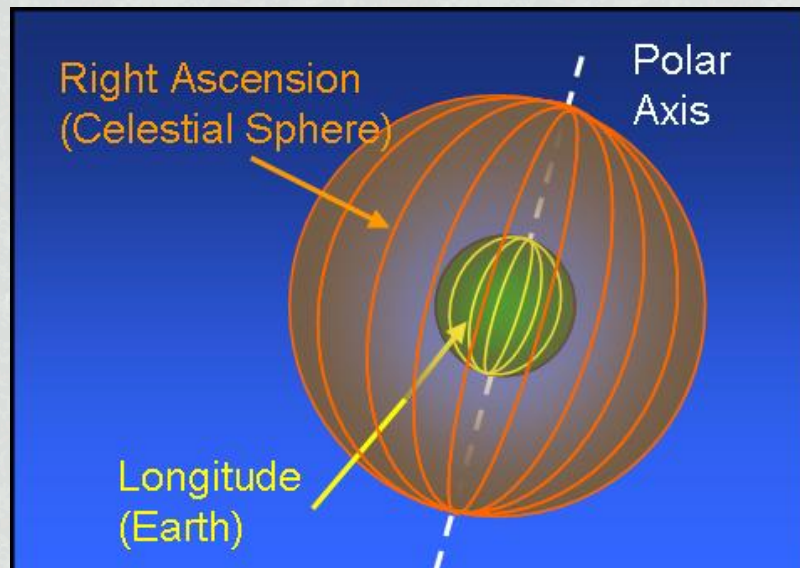


Question #2

- Consider the Sun's altitude just before (and just after) the sunset.
 - a. Does the sky become dark when the Sun sets? Immediately? A bit later?
 - b. Define the concept of "Astronomical Twilight"
 - c. Why is this concept important when observing?

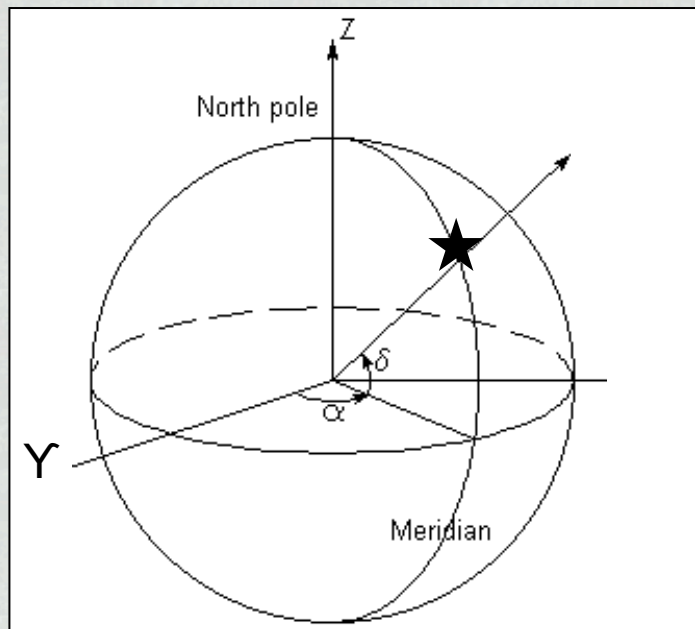
Coordinate system — the celestial sphere

- To define the position of a point on a sphere, need two angles
 - (1) Horizontal system: *alt* and *azimuth*
 - (2) **Equatorial system**: *declination (DEC)* and *right ascension (RA)*
 - Similar to the latitude system on Earth, where the plane of reference is the Earth's equator; in the equatorial system we have the celestial equator (an extension of the Earth's equator)



Coordinate system — the celestial sphere

- To define the position of a point on a sphere, need two angles
 - (1) Horizontal system: *alt* and *azimuth*
 - (2) Equatorial system: *declination (DEC)* and *right ascension (RA)*



- **Declination** (δ): \angle above celestial equator
- **Right Ascension** (α): \angle from a reference point and the projection of the celestial object onto the equatorial plane
 - ▶ Reference point: “Vernal point” (γ)
 - ▶ \angle increases towards the East

Vernal point: This is the Sun's position on the March equinox, when the Sun crosses the equatorial plane towards the North.

Question #3

- What are the approximate RA/DEC coordinates of a celestial body that would be ideal to observe tonight?

Socorro's latitude: $\sim 6.5^\circ \text{N}$
Today's date: July 9, 2018

Object Visibility – STARALT

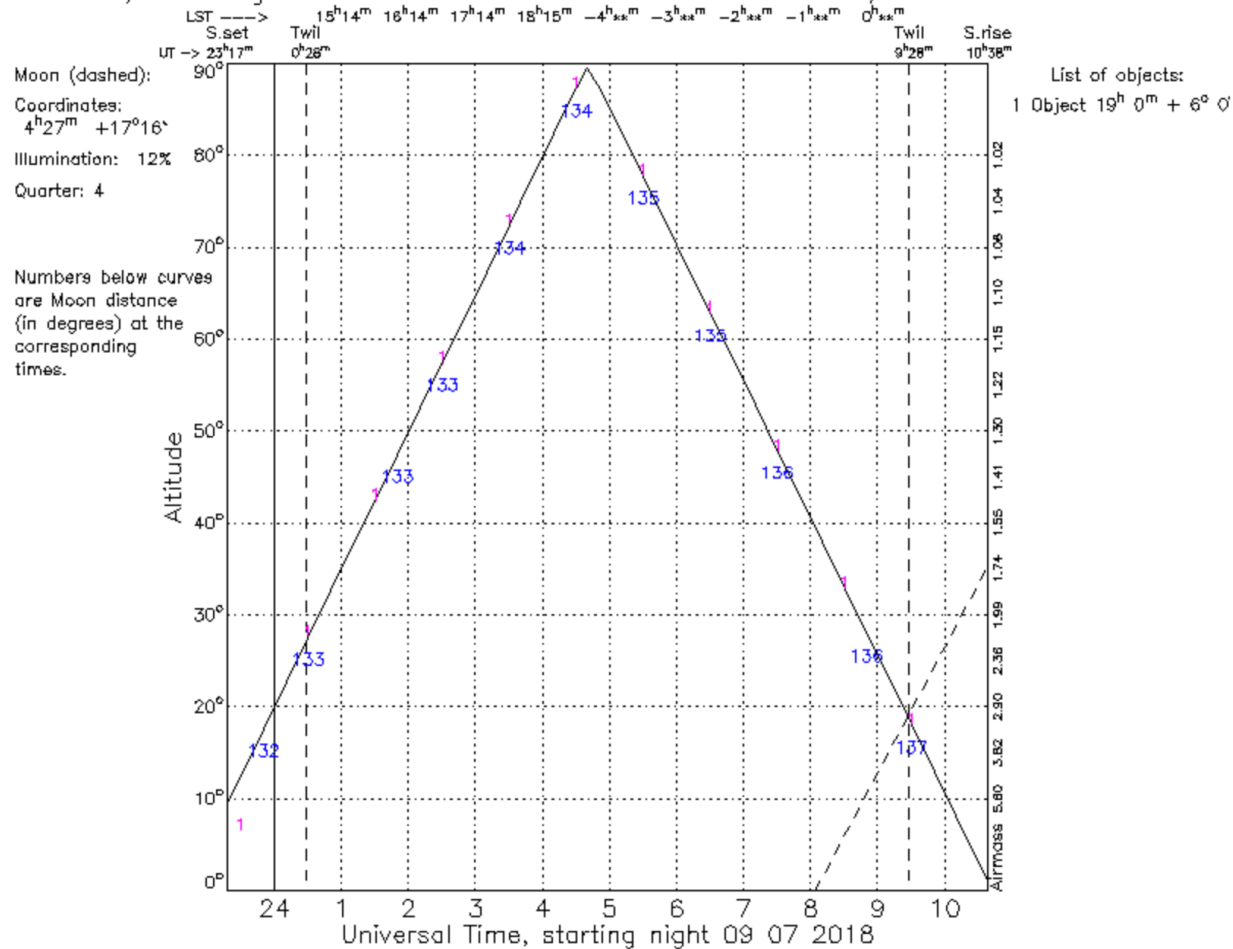
Staralt is a program that shows the observability of objects in various ways: either you can plot altitude against time for a particular night (Staralt), or plot the path of your objects across the sky for a particular night (Startrack), or plot how altitude changes over a year (Starobs), or get a table with the best observing date for each object (Starmult). For further information, click on the "help" button at the bottom of the page.

Mode	Staralt
Night	09 July 2018 or date when the local night starts. Staralt, Startrack only.
Observatory	<input type="text" value="Roque de los Muchachos Observatory (La Palma, Spain)"/> Select one above or specify your own site with this format: Longitude (°E) Latitude (°N) Altitude (metres) UT-offset (hours) Ex.: 289.2767 -30.2283 2725 -4 -73.2640 6.4687
Coordinates	Formats can be any of these: name hh mm ss ±dd mm ss name hh:mm:ss ±dd:mm:ss name ddd.ddd dd.ddd name must be a single word with no dots, avoid using single numbers. Every entry must be in the same format, do not use different formats with different entries. We recommend a maximum of 100 targets per submission. 19:00:00 +6:00:00 Alternatively, you can upload a file with coordinates. You can use the same format as in the TCS catalog . Target names must be single words with no dots. <input type="button" value="Choose File"/> no file selected
Options	Moon distance <input type="checkbox"/> Included on plot. Moon coordinates at ~02:00 UT. Staralt only. 10° X=5.8 <input type="checkbox"/> Min. elevation (or max. airmass X). Starobs, Starmult only. GIF [inline] <input type="checkbox"/> Output format
Submit	<input type="button" value="Retrieve"/> <input type="button" value="Help"/>
ING telescope limits	WHT: 89.8° < Altitude < 12° (plot). Targets with +28:57:40>Dec>+28:33:40 won't be accessible when transiting the zenithal blind spot (~0.2° size). INT: 90° < Altitude < 33° (20° if lower shutter raised), -6h < HA < +6, +90°>Dec>30° 09' 30" (HA-Dec plot - lower shutter raised; lowest altitude-Dec plot).
More	These are other useful resources for planning observations: iObserve , astronomy tools , JSkyCalc , obstools , NOT's visplot .

19:00:00.00 +06:00:00.00

Question #3

Altitudes, Observing site coordinates: -73.2640E 6.4687N, 1500 m above sea level



StarAlt:

<http://catserver.ing.iac.es/staralt/>

Question #3

- What are the approximate RA/DEC coordinates of a celestial body that would be ideal to observe tonight?

Socorro's latitude: $\sim 6.5^\circ \text{N}$
Today's date: July 9, 2018

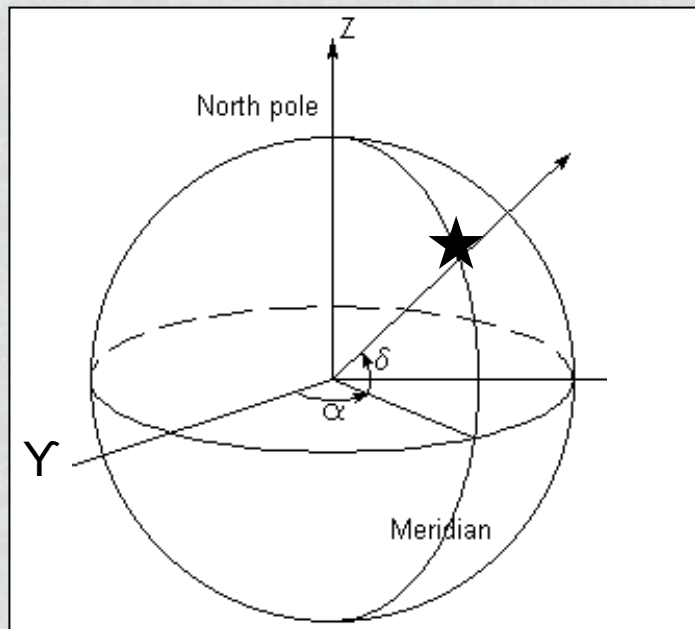
19:00:00.00 +06:00:00.00

Accessible RA
range depends
on time of the
year

Accessible DEC
range depends
on telescope's
latitude

Coordinate system — the celestial sphere

- To define the position of a point on a sphere, need two angles
 - (1) Horizontal system: *alt* and *azimuth*
 - (2) Equatorial system: *declination (DEC)* and *right ascension (RA)*

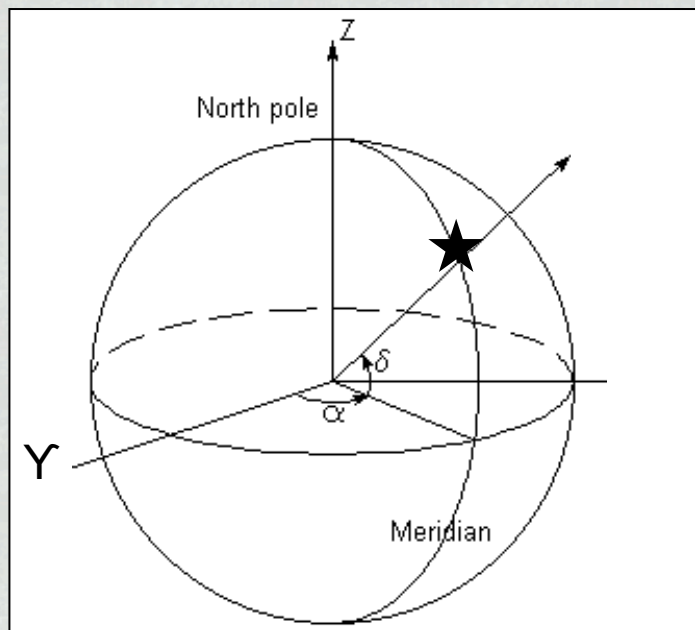


- Declination(δ) in degrees:
dd:mm:ss.ss
degrees : arcminutes : arcseconds
 $\delta > 0$ Northern hemisphere;
 $\delta < 0$ Southern hemisphere
- Right ascension (α) in hours:
hh:mm:ss.ss
hours : minutes : seconds

Note: RA is typically expressed as hh:mm:ss.ss. However, at times we can also find it in terms of decimal hours (i.e., hh.hh) or degrees (i.e., dd.dd).

Coordinate system — the celestial sphere

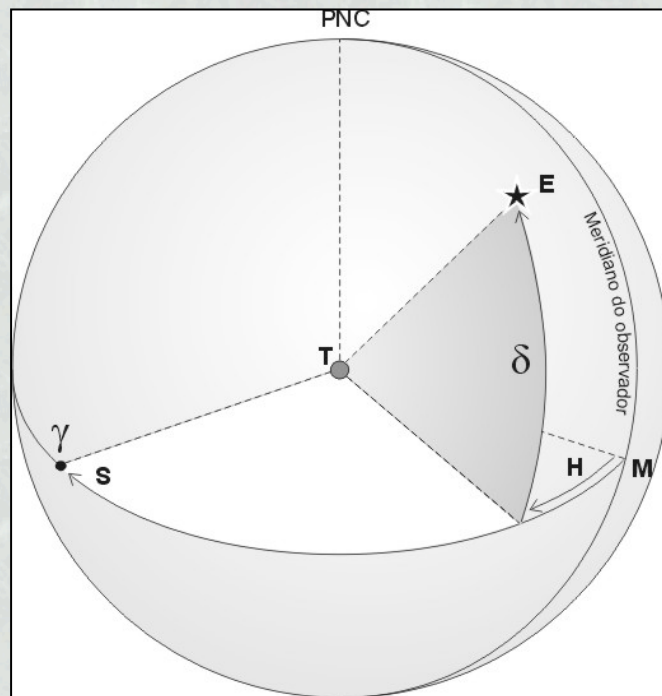
- To define the position of a point on a sphere, need two angles
 - (1) Horizontal system: *alt* and *azimuth*
 - (2) Equatorial system: *declination (DEC)* and *right ascension (RA)*



- Declination(δ)
- Right ascension (α)
- * Reminder: The angular distance between two points with the same declination is not simply the difference in RA.
- * factor of **cos(DEC)**!
- * RA is measured on the plane of the equator.

Coordinate system — the celestial sphere

- To define the position of a point on a sphere, need two angles
 - (1) Horizontal system: *alt* and *azimuth*
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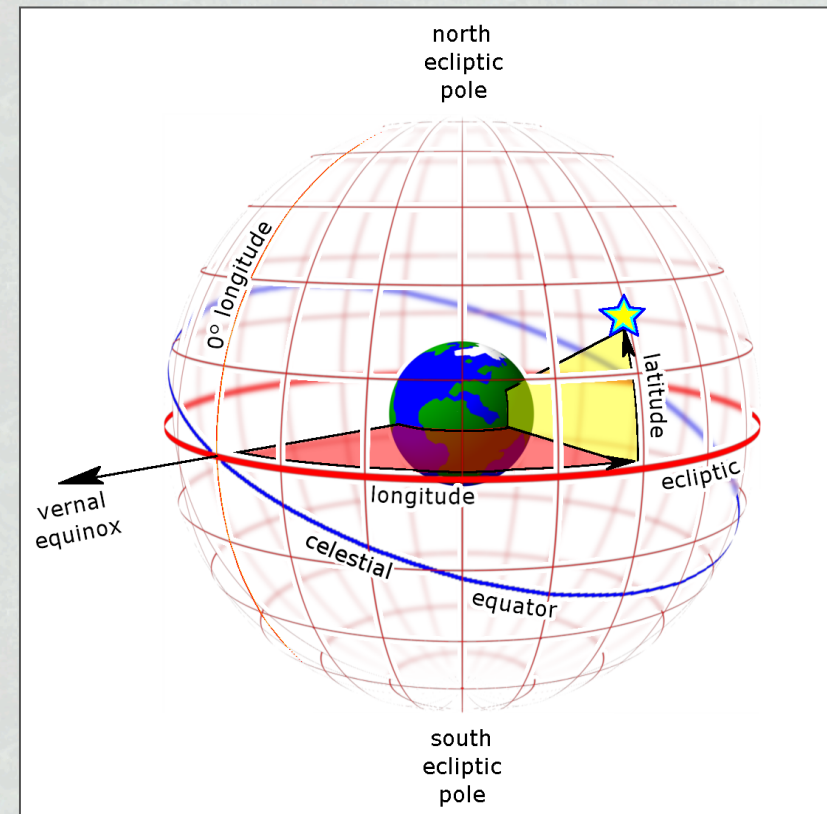


Hour angle (HA) of a celestial body

- \angle between the observer's local meridian (which connects the zenith with the Celestial North Pole) and the RA of a celestial body.
- It indicates how far East/West the object is from the local meridian
- $HA > 0$: object is to the West of the meridian (already passed it)
- $HA < 0$: object still East of local meridian
- When observing, it is useful to consider the HA of an object to characterize its position in the local night sky.

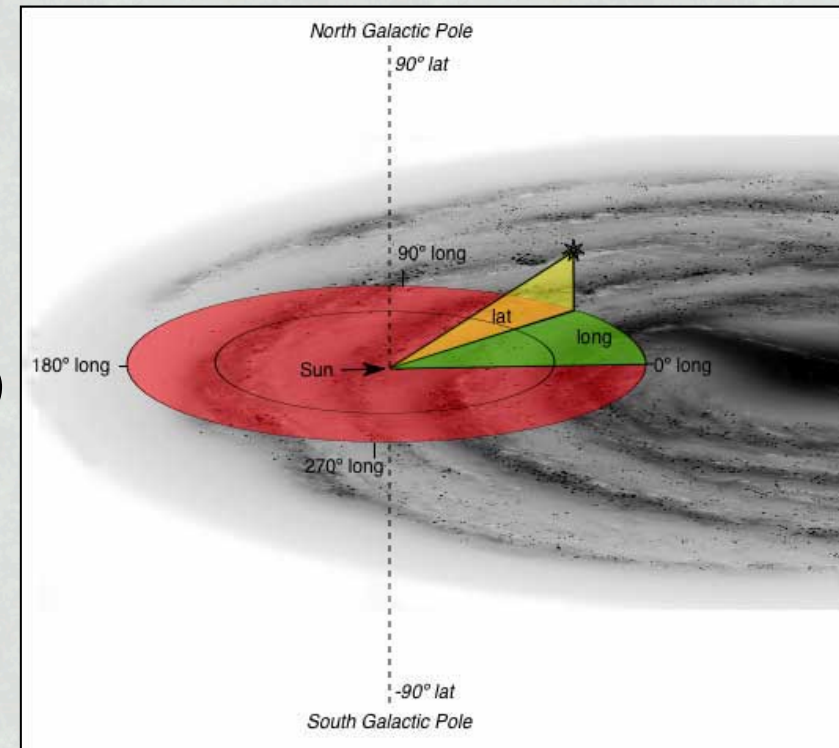
Coordinate system — the celestial sphere

- To define the position of a point on a sphere, need two angles
 - (1) Horizontal system: *alt* and *azimuth*
 - (2) Equatorial system: *declination (DEC)* and *right ascension (RA)*
 - (3) **Ecliptic system: *ecliptic latitude (β)* and *longitude (λ)***
- Plane of reference for latitude: ecliptic
- Point of reference for longitude: vernal point (Υ)
—> particularly useful for Solar System objects.



Coordinate system — the celestial sphere

- To define the position of a point on a sphere, need two angles
 - (1) Horizontal system: *alt* and *azimuth*
 - (2) Equatorial system: *declination (DEC)* and *right ascension (RA)*
 - (3) Ecliptic system: *ecliptic latitude (B)* and *longitude (λ)*
 - (4) **Galactic system: *Galactic latitude (b)* and *longitude (l)***
- Plane of reference for latitude: Galactic equator
- Point of reference for longitude: Sagittarius constellation (Milky Way center)



Coordinate system — the celestial sphere

- To define the position of a point on a sphere, need two angles

(1) Horizontal system: *alt* and *azimuth*

(2) Equatorial system: *declination (DEC)* and *right ascension (RA)*

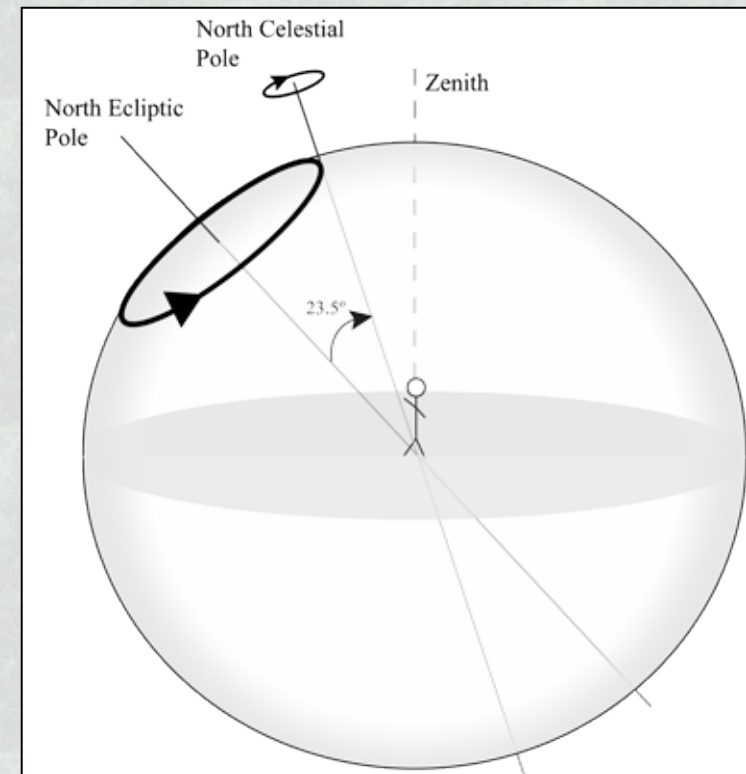
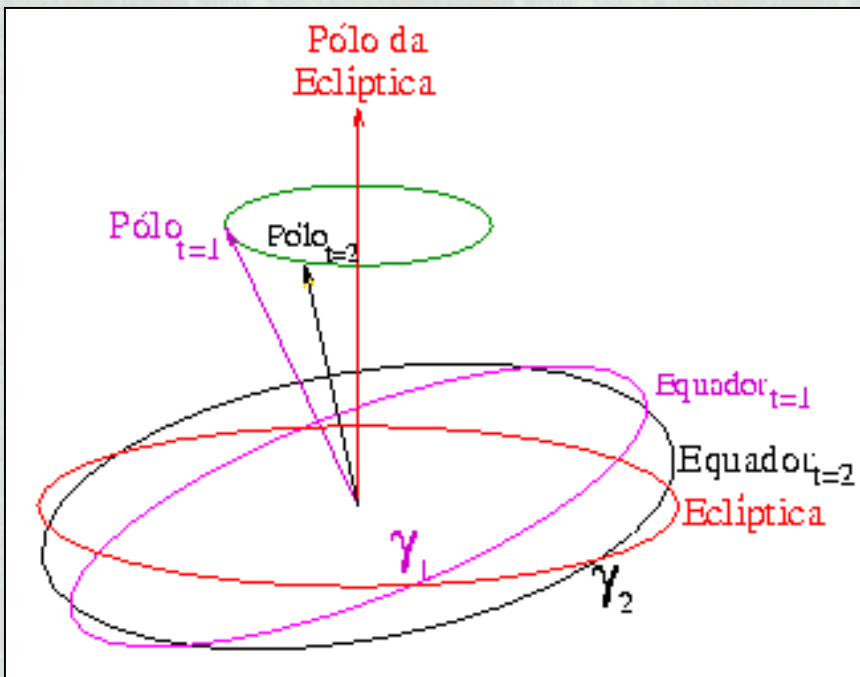
(3) Ecliptic system: *ecliptic latitude (B)* and *longitude (λ)*

(4) Galactic system: *Galactic latitude (b)* and *longitude (l)*

The Horizontal system depends on the observer's location.
The Equatorial system does not.

Coordinate system — precession

- As Earth revolves around the Sun, it rotates on its own axis at an angle of 23.5° from vertical (or 66.5° from the ecliptic).
- However, the Earth's rotation axis precesses around the North Pole of the Ecliptic with a period of $\sim 26,000$ years.
- Some direct consequences are shifts in:
 - Celestial Poles
 - Vernal Point



<https://dept.astro.lsa.umich.edu/ugactivities/Labs/precession/index.htm>

Coordinate system — precession

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- Some direct consequences are shifts in:
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 - Vernal Point

—> Equatorial coordinates vary with time —> An object's coordinates need to be corrected for the effect of precession.

$$\begin{aligned} 360^\circ / 26000 \text{ yrs} &= \\ 0.014^\circ/\text{yr} \times 50 \text{ years} &= \\ &= 0.7^\circ!! \end{aligned}$$

Coordinate system — epoch conversion

- Catalogs/Papers provide coordinates with a given **epoch** (B1950.0 or J2000.0), based on the positions of the poles and vernal point at these times (1950 or 2000)

Need to convert from
one epoch to the other?

<https://ned.ipac.caltech.edu/forms/calculator.html>

Question:

Considering the just-calculated
“ideal RA” for this epoch (2nd week
of July) — which one of these
objects is more likely to be
accessible for a South-based
telescope?

Table 1. Observed AGNs

Romero+99

Object	$\alpha_{1950.0}$	$\delta_{1950.0}$	z	m_V	Type
0537 – 441	05 37 21.1	–44 06 45.0	0.894	16.48	RBL
0637 – 752	06 37 23.25	–75 13 38.2	0.651	15.75	RLQ
1034 – 293	10 34 55.9	–29 18 27.0	0.312	16.46	RLQ
1101 – 232	11 01 11.1	–23 13 20.0	0.186	16.55	XBL
1120 – 272	11 20 34.2	–27 13 35.0	0.389	16.80	RQQ
1125 – 305	11 25 04.0	–30 28 14.0	0.673	16.30	RQQ
1127 – 145	11 27 35.6	–14 32 54.0	1.187	16.90	RLQ
1144 – 379	11 44 30.9	–37 55 31.0	1.048	16.20	RBL
1157 – 299	11 57 10.0	–29 55 10.0	0.207	16.40	RQQ
1244 – 255	12 44 06.7	–25 31 25.0	0.638	17.41	RLQ
1256 – 229	12 56 27.6	–22 54 28.0	?	17.30	RBL
1349 – 439	13 49 52.5	–43 57 55.0	?	16.37	RBL
1510 – 089	15 10 08.9	–08 54 48.0	0.360	16.54	RLQ
1519 – 273	15 19 37.3	–27 19 30.0	?	17.70	RBL
2005 – 489	20 05 46.6	–48 58 43.0	0.071	13.40	RBL
2155 – 304	21 55 58.3	–30 27 54.0	0.116	13.09	XBL
2200 – 181	22 00 27.0	–18 16 14.0	1.160	15.30	RQQ
2254 – 204	22 54 00.5	–20 27 43.0	?	16.60	RBL
2316 – 423	23 16 20.9	–42 23 14.0	0.055	16.00	XBL
2340 – 469	23 40 34.2	–46 56 42.0	1.970	16.40	RQQ
2341 – 444	23 41 08.2	–44 23 58.0	1.900	16.50	RQQ
2344 – 465	23 44 02.3	–46 29 10.0	1.890	16.40	RQQ
2347 – 437	23 47 57.5	–43 42 31.0	2.900	16.30	RQQ

Coordinate system — epoch conversion

- Catalogs/Papers provide coordinates with a given **epoch** (B1950.0 or J2000.0), based on the positions of the poles and vernal point at these times (1950 or 2000)

Need to convert from
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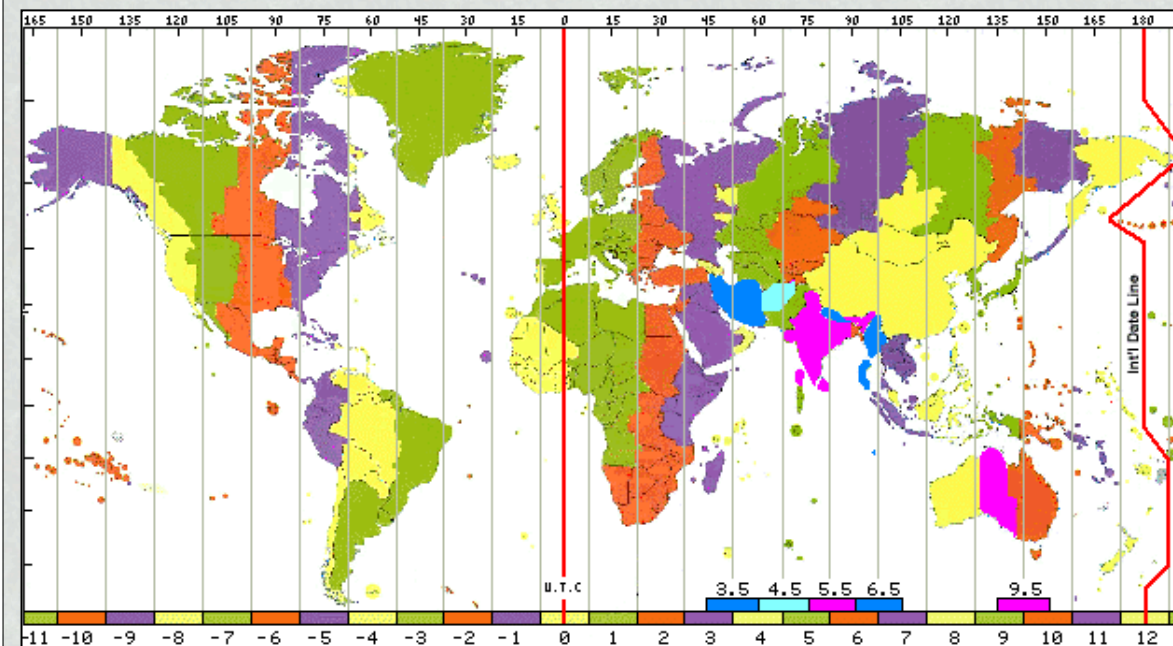
- When observing at the telescope, an object's coordinates must always be precessed prior to pointing so that the input coordinates reflect the date/time of observation.

How we measure time

- Local Time

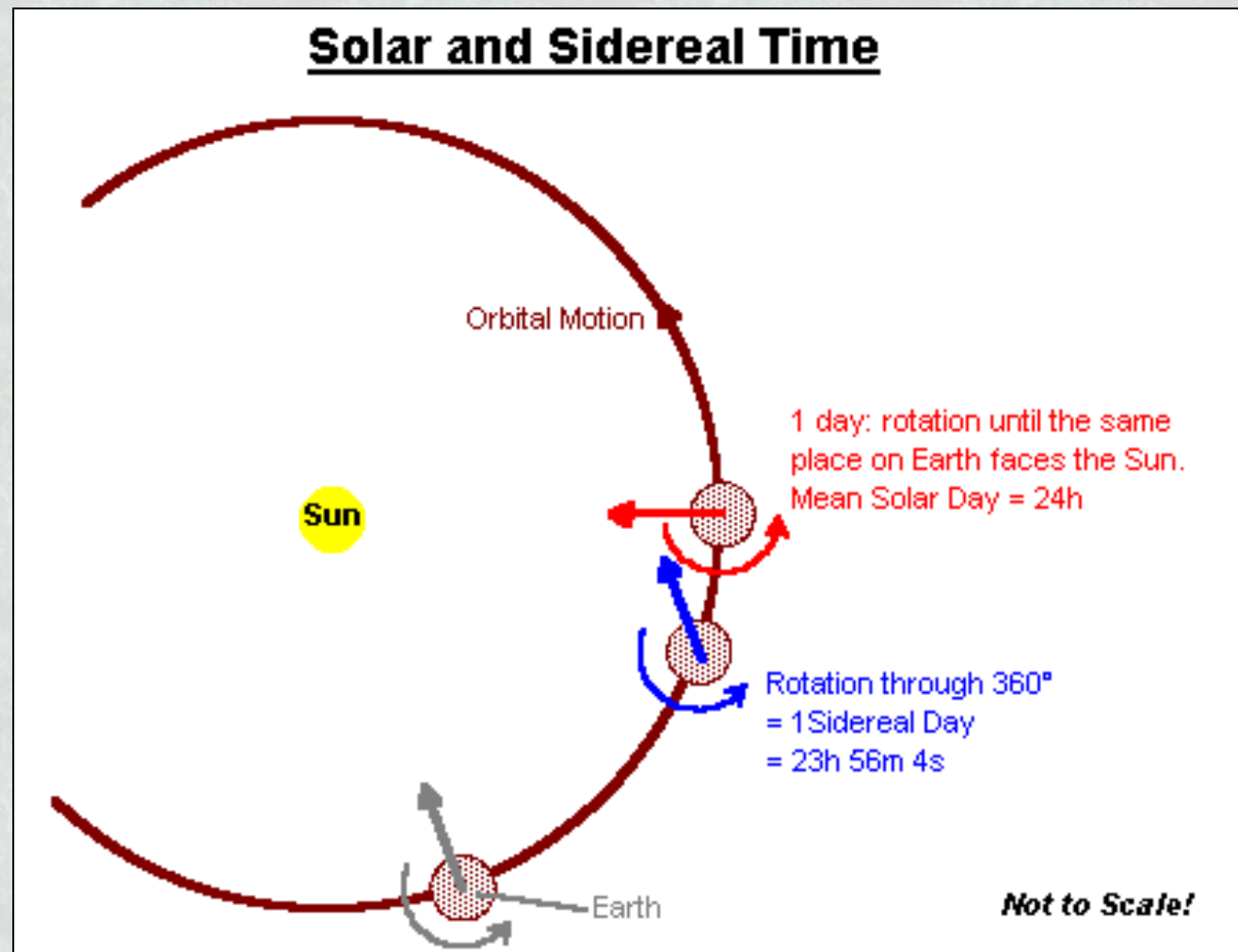
- Based on the Sun's position with respect to the local meridian (that connects the zenith with the celestial north pole)
- International Meridian Conference in Washington (1884)
 - 25 countries got together and established a reference meridian (longitude 0°) → Meridiano de Greenwich

AM: "Ante" meridian
PM: "Post" meridian



How we measure time

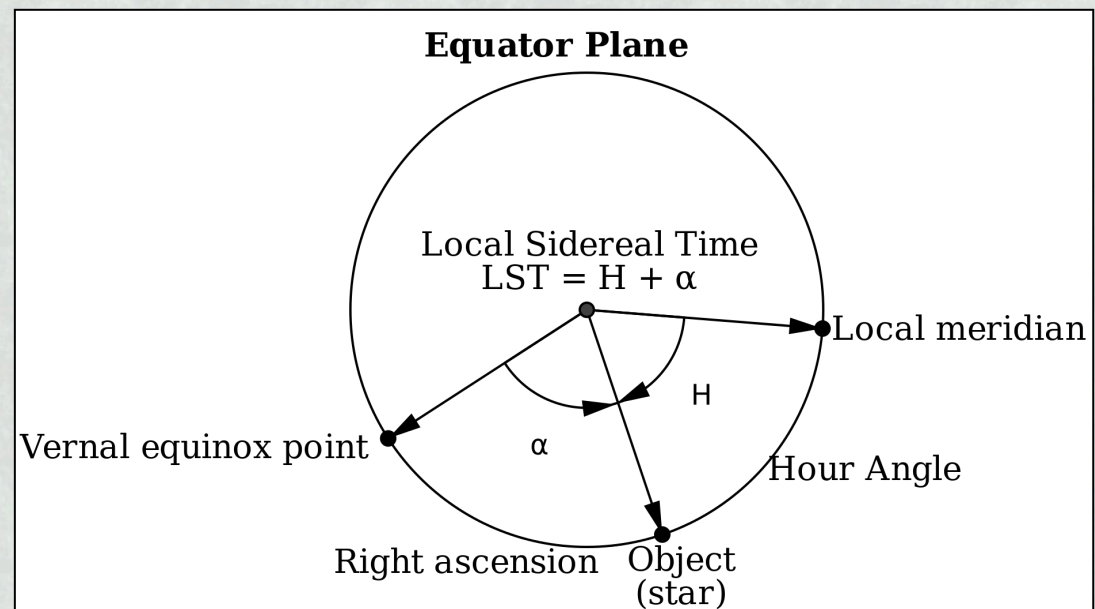
- Local Time
- Local Sidereal time (LST)



How we measure time

- Local Time
- **Local Sidereal time (LST)**
 - LST is based on the positions of stars: which part of the Celestial Sphere is passing through the observer's local meridian at a given time.
 - **LST corresponds to the right ascension of a celestial body that is just passing through the local meridian.**
- To determine the hour angle (HA) of an object, one must simply subtract its RA from the local sidereal time.

$$\mathbf{LST = RA_{obj} + HA_{obj}}$$



Note: LST changes continuously!

How we measure time

- Local Time
- Local Sidereal time (LST)
- **Universal Time (UT)**
 - A time that serves as a reference for all observers on Earth.
 - Approximately equivalent to local time in Greenwich, UK (GMT = *Greenwich Mean Time*)

$$UT = HA_{\text{Sun in Greenwich}} + / - 12^h$$

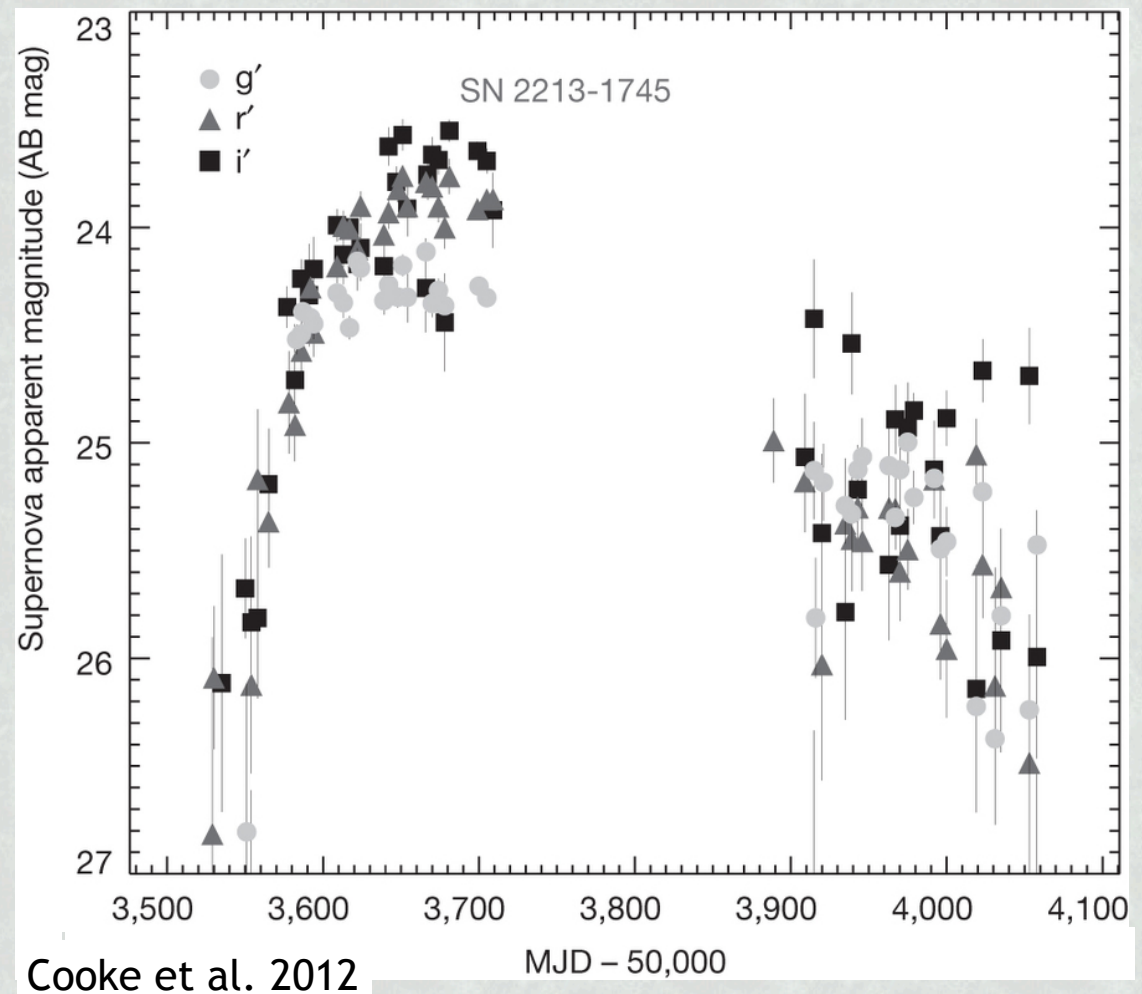
(so that midnight in Greenwich corresponds to UT=0^h)

How we measure time

- Local Time
- Local Sidereal time (LST)
- Universal Time (UT)
- **Julian Date (JD)**
 - A system that counts time in units of days exclusively
 - Bypass the graphically-complex system of day/month/year/leap year, etc.
 - Day 0: January 1, 4713 BC
 - *Modified Julian Date* (MJD) = $JD - 2.400.000,5$
 - Days since 17-nov-1858

How we measure time

- Local Time
- Local Sidereal time (LST)
- Universal Time (UT)
- **Julian Date (JD)**
 - Convenient in the context of transient events (e.g., supernovae), planet transit, stellar variability, etc.



How we measure time

- Local Time
- Local Sidereal time (LST)
- Universal Time (UT)
- **Julian Date (JD)**
 - Convenient in the context of transient events (e.g., supernovae), planet transit, stellar variability, etc.

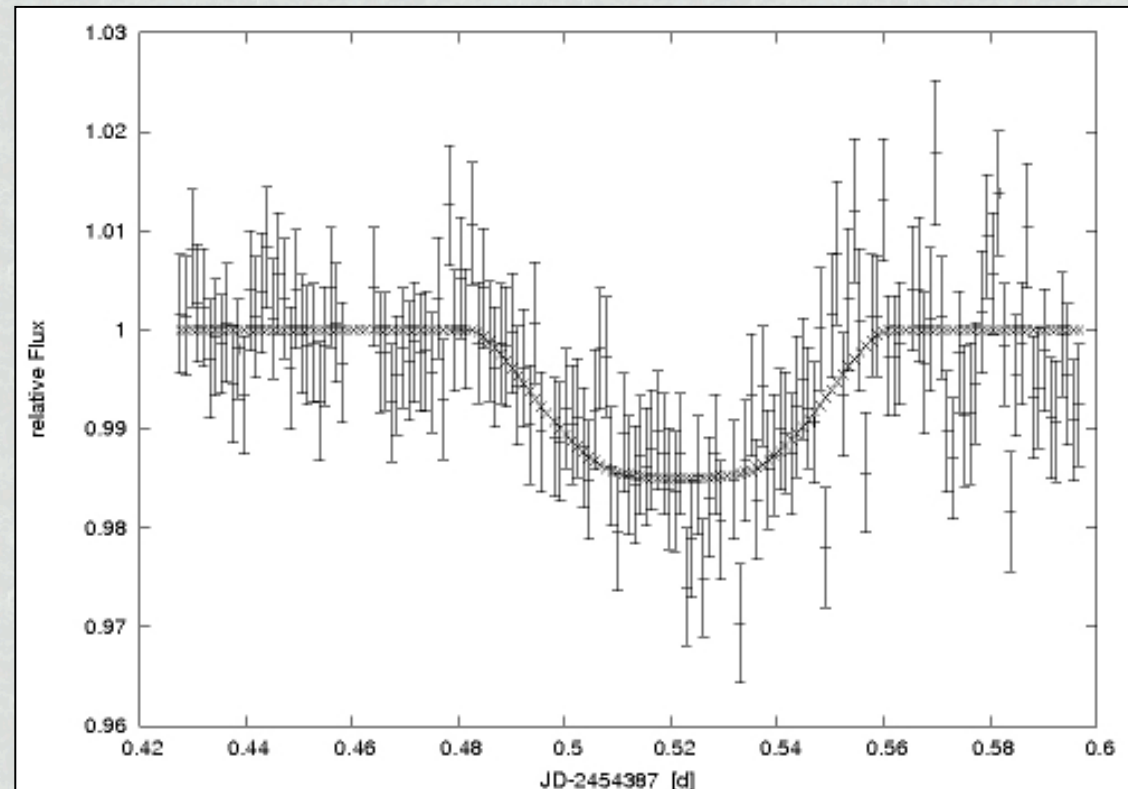
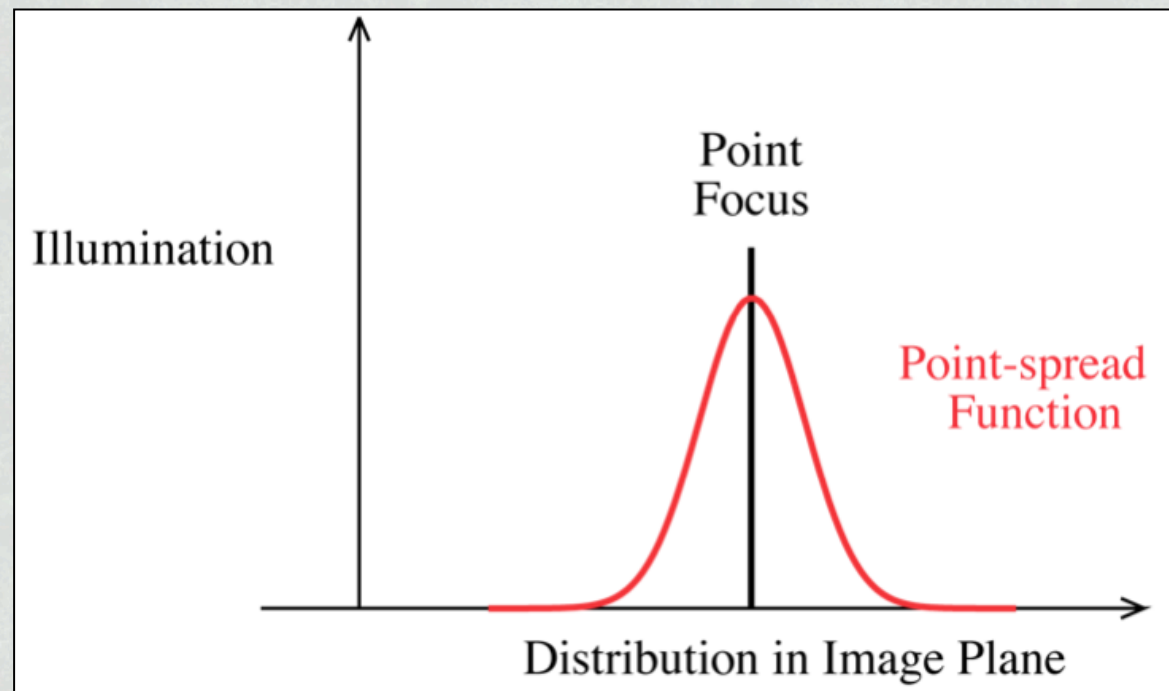


Image Quality: the Point-Spread Function (PSF)

- Ideally, a telescope focusses parallel light rays onto a perfect point.
- In reality, the resulting image is “blurred out” around this ideal focussed point → this dispersion is characterized by the PSF.
- The PSF describes the angular resolution of a telescope.



<http://hyperphysics.phy-astr.gsu.edu/hbase/geoopt/aber2.html>

Image Quality: the Point-Spread Function (PSF)

- Many effects contribute to the PSF of an instrument:
 - Limit of diffraction (given by the Rayleigh criterion)
 - Atmospheric turbulence (seeing)
 - Aberrations due to the collection of lenses/mirrors used
 - ▶ These can be minimized

Image Quality: Diffraction limit

- **Diffraction** occurs when light encounters obstacles along its path.
- In telescopes – which are composed of a large metallic structure that holds a finite, round aperture, a secondary mirror, etc. – light interacts with walls and edges in the structure.
- Although stars are ideally point sources (due to their large distances), even in the best conditions the resulting image is that of a diffraction pattern: a disk of finite size (Airy disk) and diffraction rings of lower brightness.

~84% of the energy
is within the
central source in
the diffraction
pattern

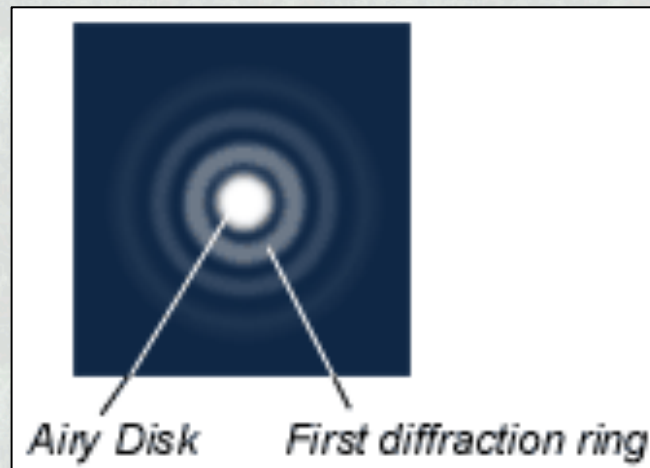


Image Quality: Rayleigh Criterion

- Two objects are considered to be spatially resolved (i.e., distinguishable from each other) if the distance between the diffraction pattern maxima is larger than the distance to the first minimum.
- Rayleigh Criterion:
 - The first minimum is a distance d_0 from the center of the Airy Disk:

$$d_0 = 1.22 \lambda / D$$

$$\sim \lambda / D$$

where:

D = telescope's aperture

D, λ [same units]

d_0 = angular resolution

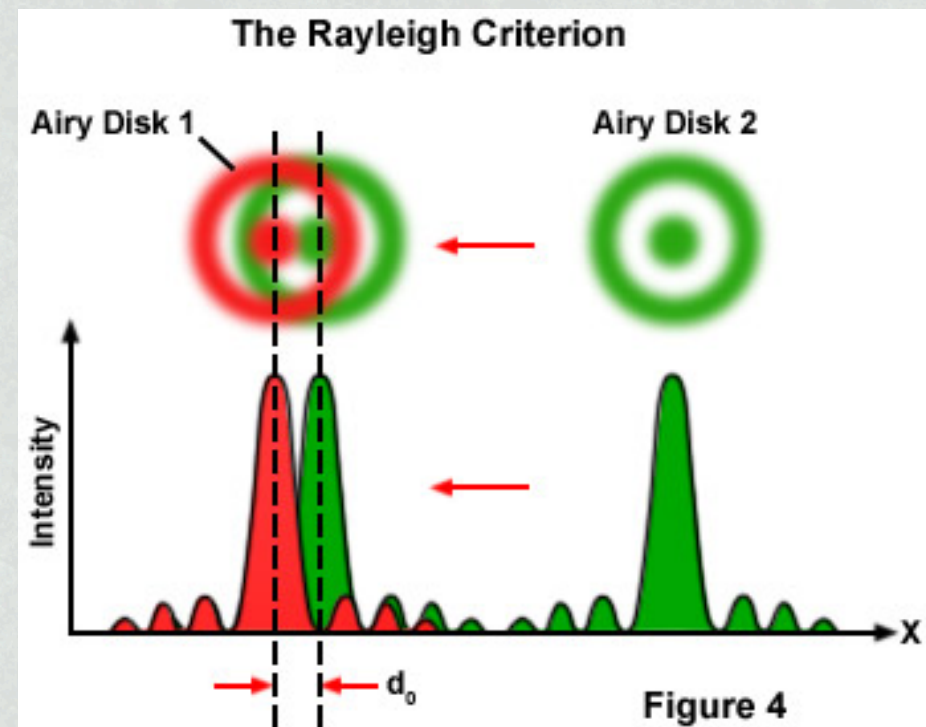
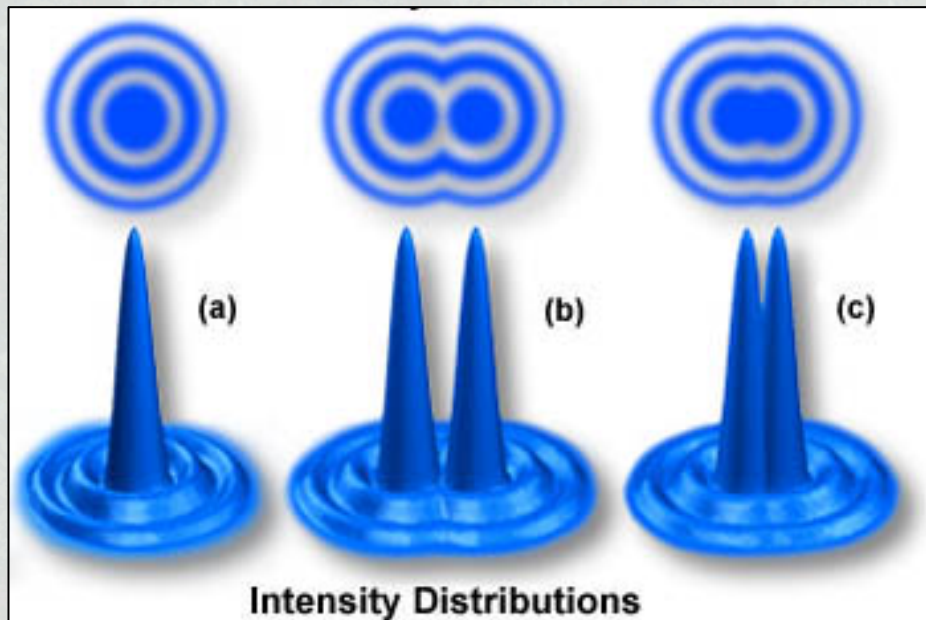


Image Quality: Rayleigh Criterion

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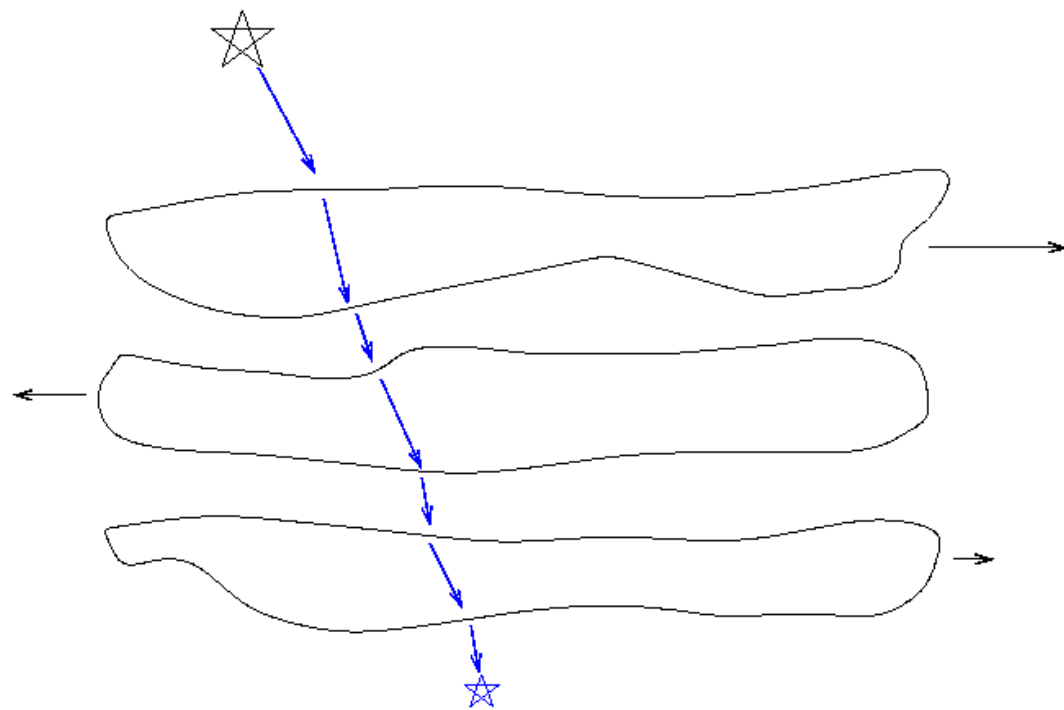
- (a) Single-object diffraction pattern
- (b) Two diffraction patterns
→ objects are resolved
- (c) Objects are NOT resolved

Image Quality: the Point-Spread Function (PSF)

- Many effects contribute to the PSF of an instrument:
 - Limit of diffraction $\rightarrow \sim \lambda/D$
 - dominates the PSF at larger λ (e.g., radio)
 - as we'll see, the impact of atmospheric turbulence is insignificant at these wavebands
 - Example: HI (21cm) observations with Arecibo ($D \sim 300\text{m}$)
 - Limit of diffraction: ~ 0.0007 radians ~ 2 arcmins
 - Atmospheric Turbulence (*seeing*)
 - In optical/near-IR observations taken with ground-based telescopes, biggest contributor to PSF size \rightarrow limits the angular resolution of images
 - Typical (good) seeing $\sim 1''$

Image Quality: *seeing*

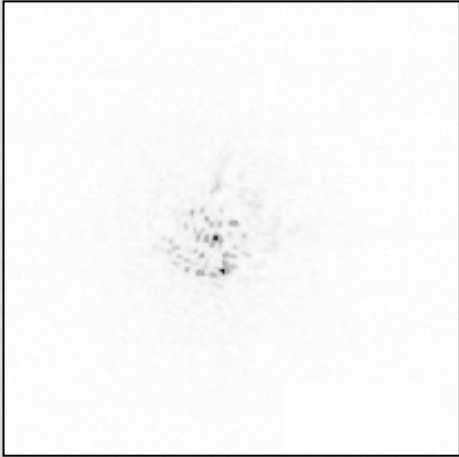
- Turbulence in atmosphere causes small-scale temperature and density inhomogeneities → refraction index varies along the light rays' trajectory → random changes in the light ray direction (timescales ~10ms)



The apparent position of the celestial body changes in small timescales

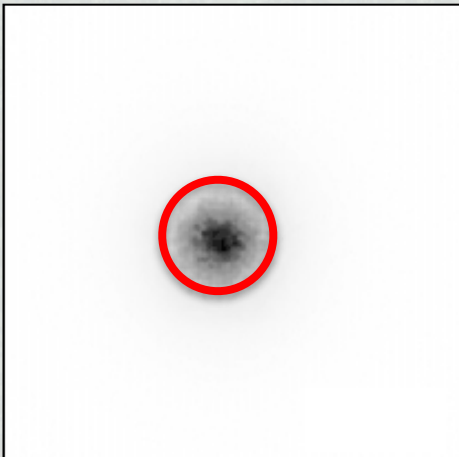
→ Stars twinkle!

Image Quality: *seeing*



- The multiple images of the star “dance” within the FOV
- The source spreads into an apparent disk (“**seeing disk**”)

Short images
(apparent position changes!)



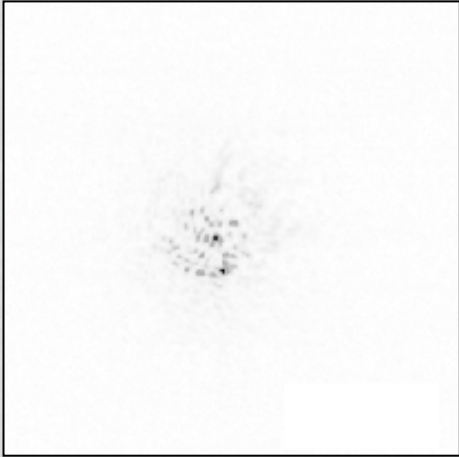
As time goes by → sum of the
apparent positions form a disk

What about planets? Do they twinkle?

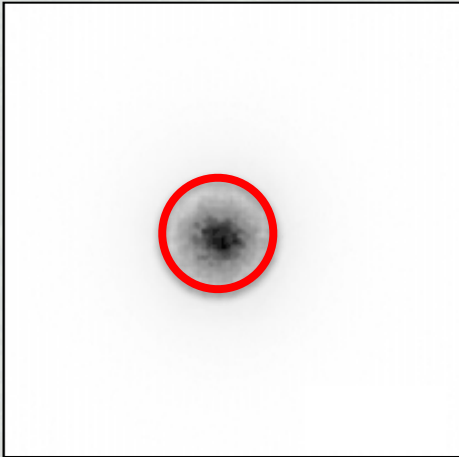
Apparent size of planets is larger than that of
stars → small changes in the apparent position
go undetected

→ **Planetas do not twinkle!**

Image Quality: *seeing*



Short images
(apparent position changes!)



As time goes by → sum of the
apparent positions form a disk

- The multiple images of the star “dance” within the FOV
- The source spreads into an apparent disk (“**seeing disk**”)

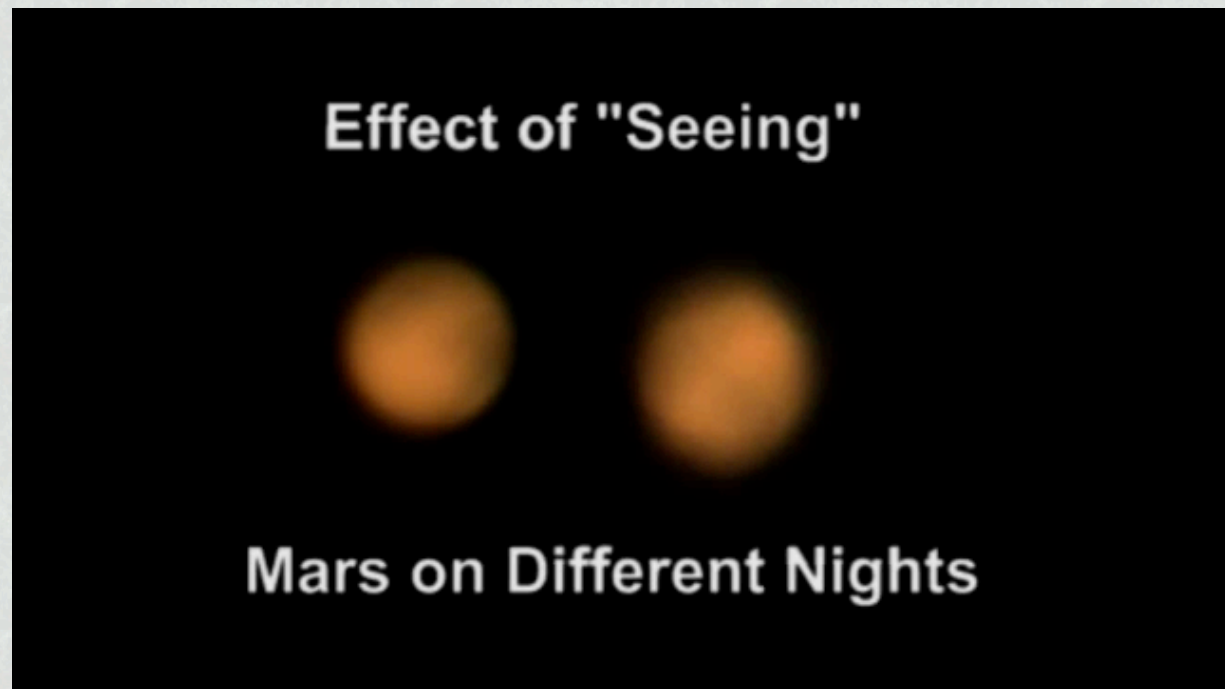
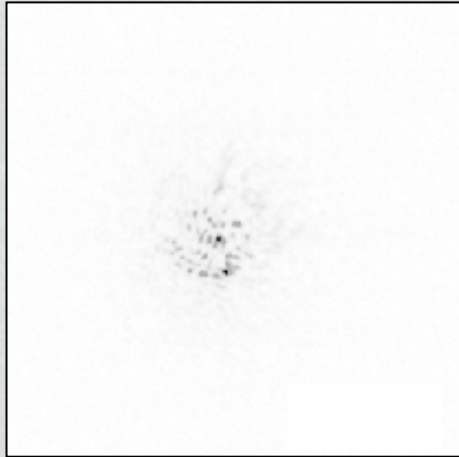
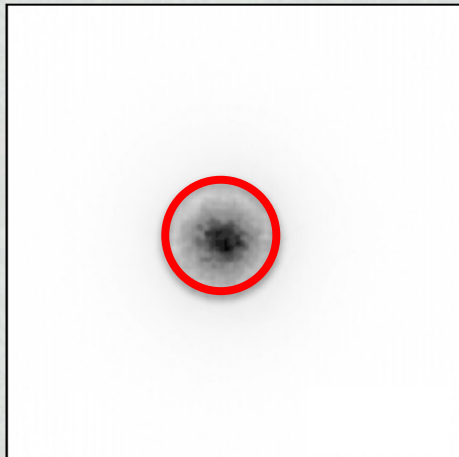


Image Quality: *seeing*

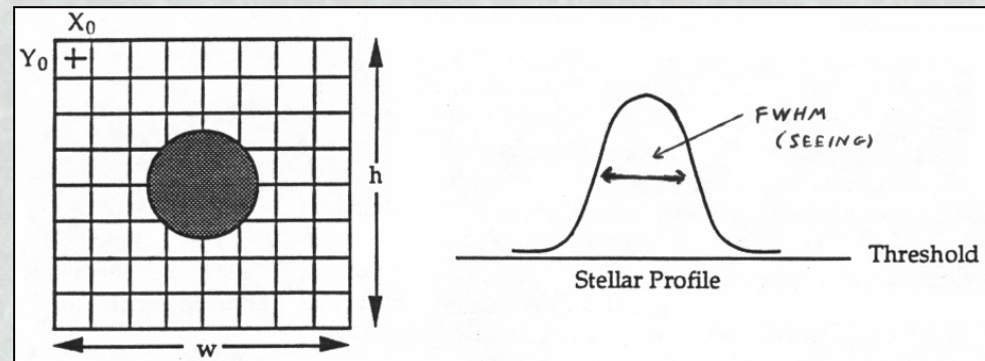


Short images
(apparent position changes!)



As time goes by → sum of the
apparent positions form a disk

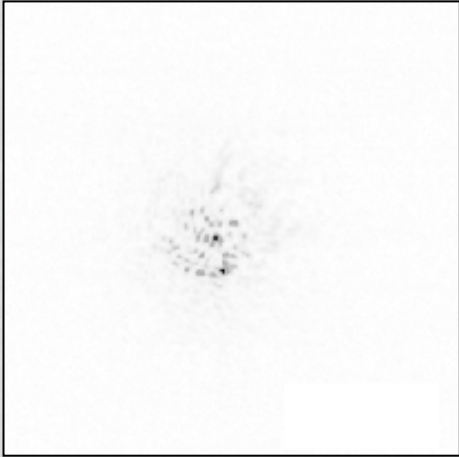
- The multiple images of the star “dance” within the FOV
- The source spreads into an apparent disk (“seeing disk”)
- Distribution of light within this disk is well fit by a gaussian curve:



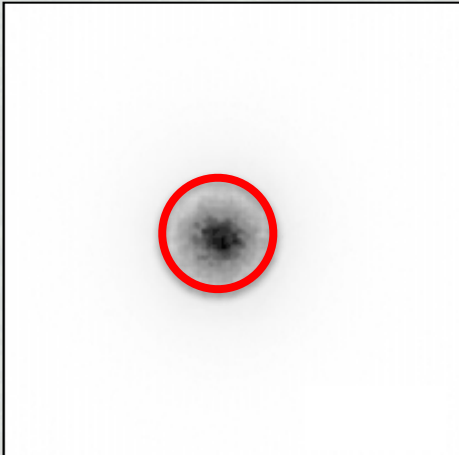
$$f(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-(x-\mu)^2/(2\sigma^2)}$$

$$FWHM = 2.355\sigma$$

Image Quality: *seeing*



Short images
(apparent position changes!)

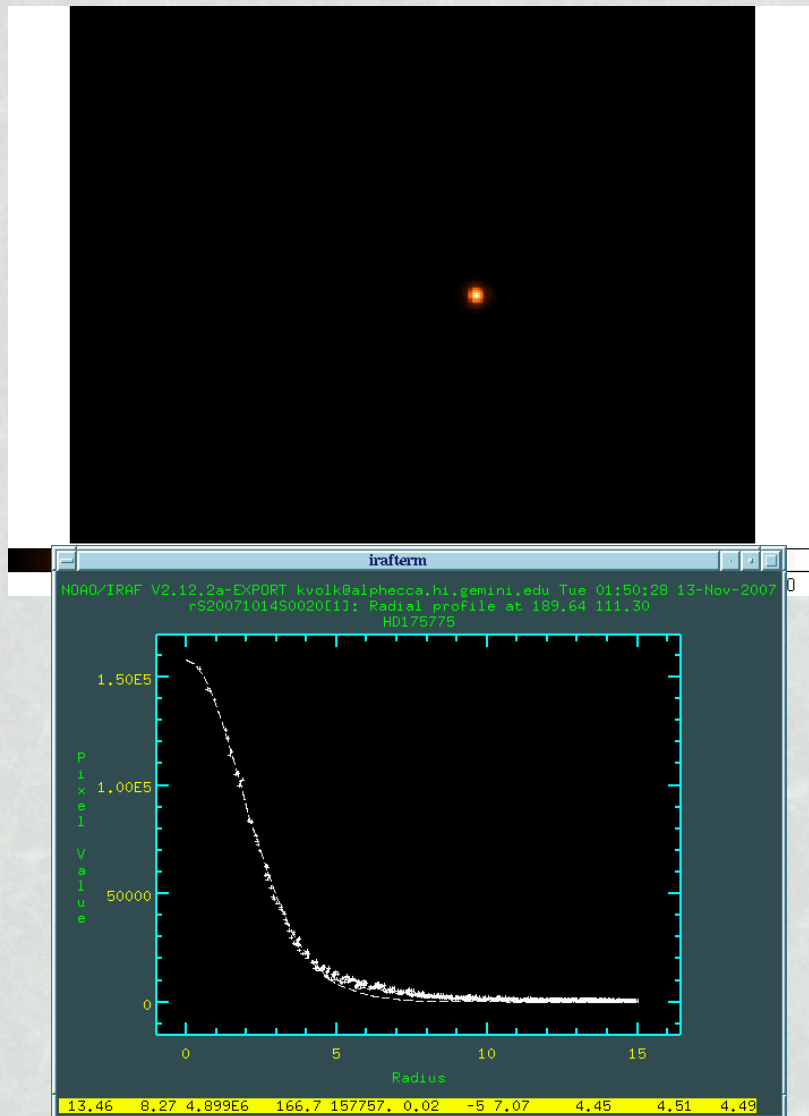


As time goes by \rightarrow sum of the
apparent positions form a disk

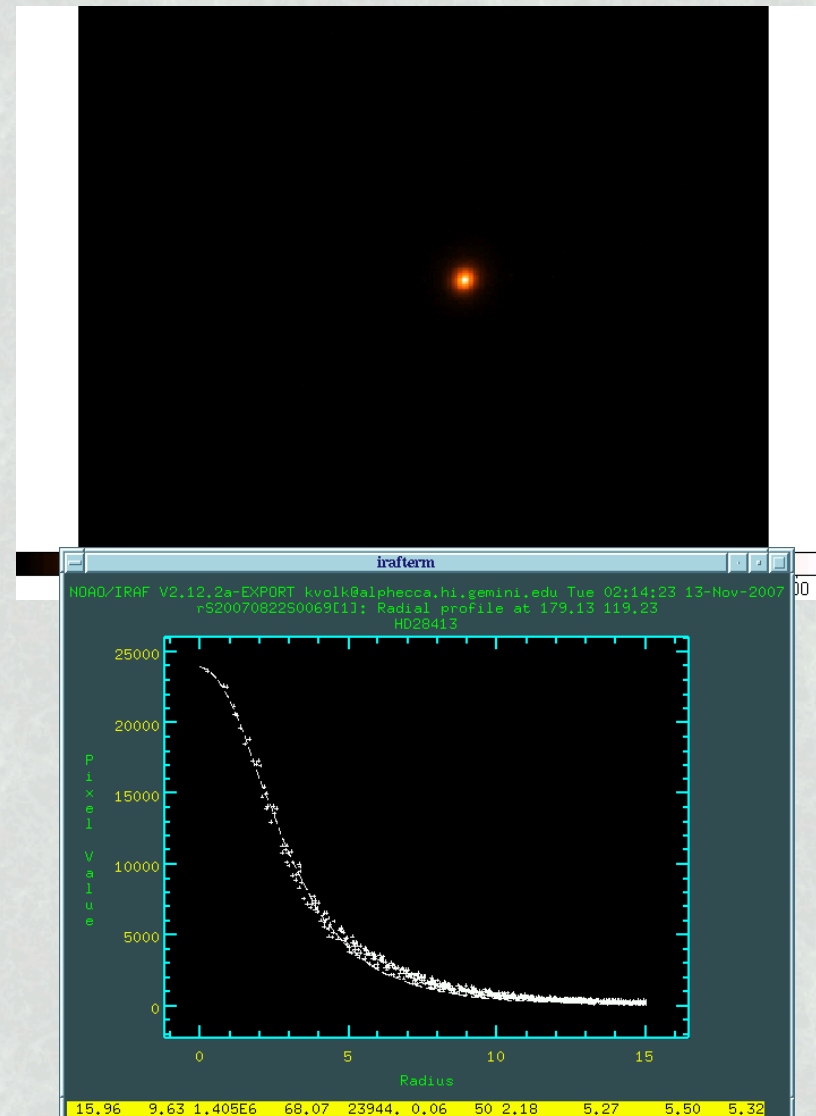
- The multiple images of the star “dance” within the FOV
- The source spreads into an apparent disk (“seeing disk”)
- Distribution of light within this disk is well fit by a gaussian curve
- We quantify the seeing using the size of the FWHM of the gaussian fit to the PSF
 - FWHM = seeing
 - “good seeing” \rightarrow small FWHM ($<1''$)
 - “bad seeing” \rightarrow large FWHM ($>1''$)

Image Quality: *seeing*

Better seeing

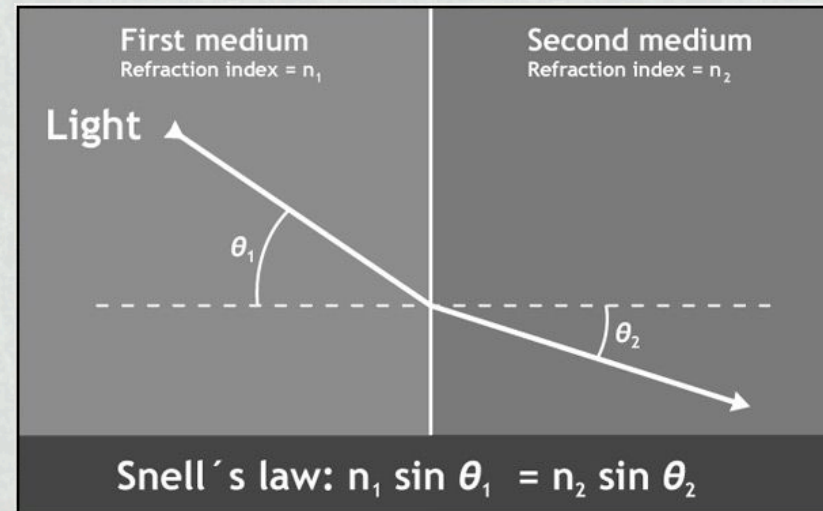


Worse seeing



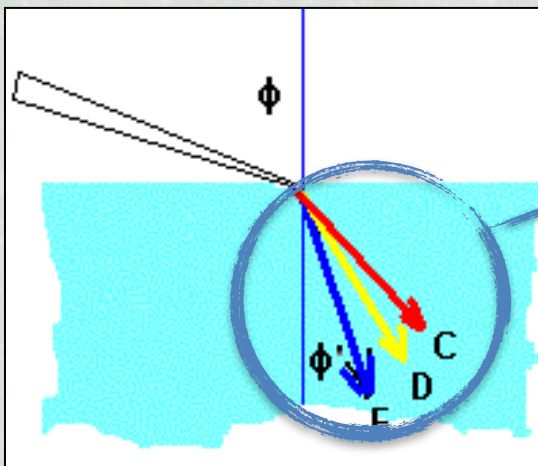
Seeing: wavelength (λ) dependence

- Snell's law:



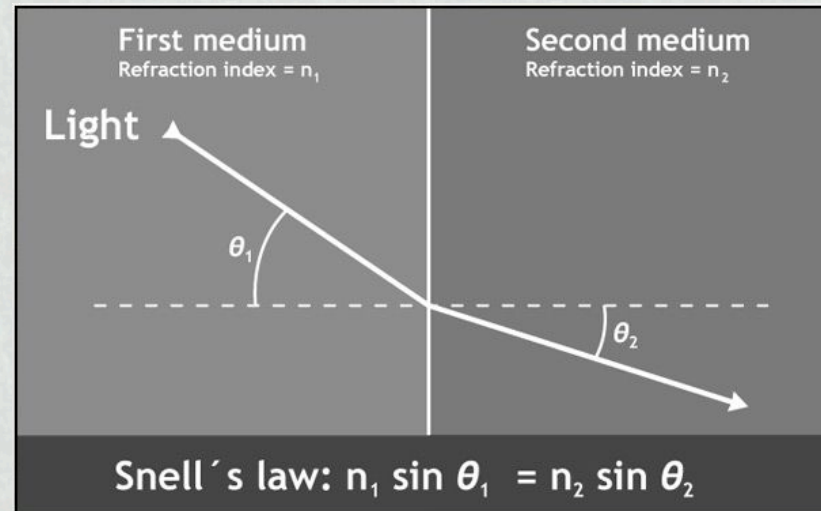
Light deflection (θ) depends on the index of refraction

- A material's index of refraction varies with $\lambda \rightarrow$ **dispersion**



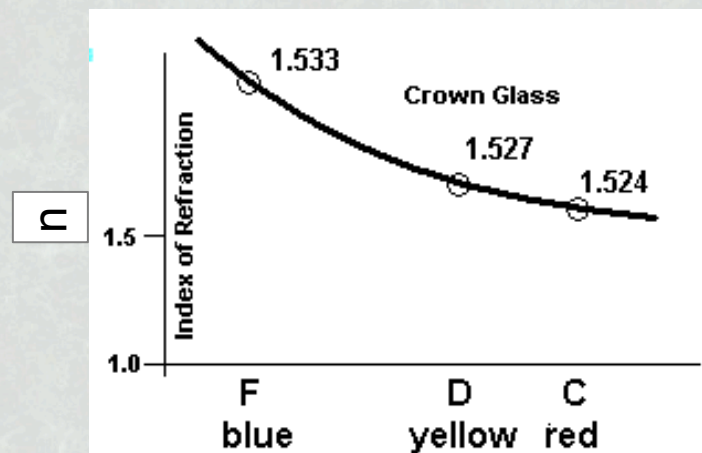
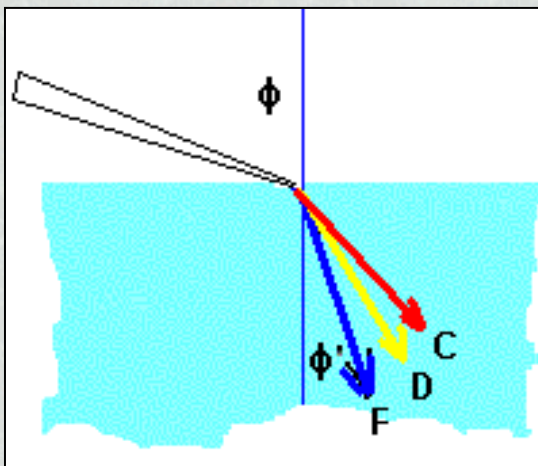
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Light deflection (θ) depends on the index of refraction

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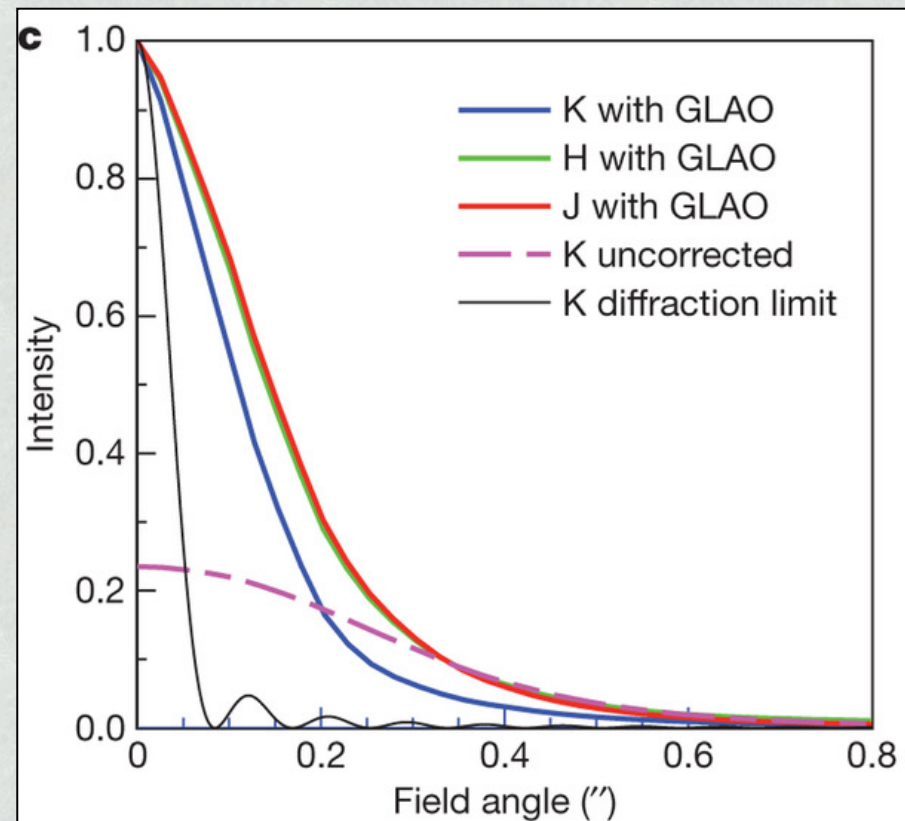
n decreases with increasing λ

Which λ is more affected?

Seeing: wavelength (λ) dependence

- The disk extension due to seeing is smaller in redder bands \rightarrow bluer bands are more affected by seeing (i.e., for the same atmospheric conditions, the resulting PSF is larger)

Hart et al. 2010, Nature
MMT, Arizona (EUA)



PSF and seeing

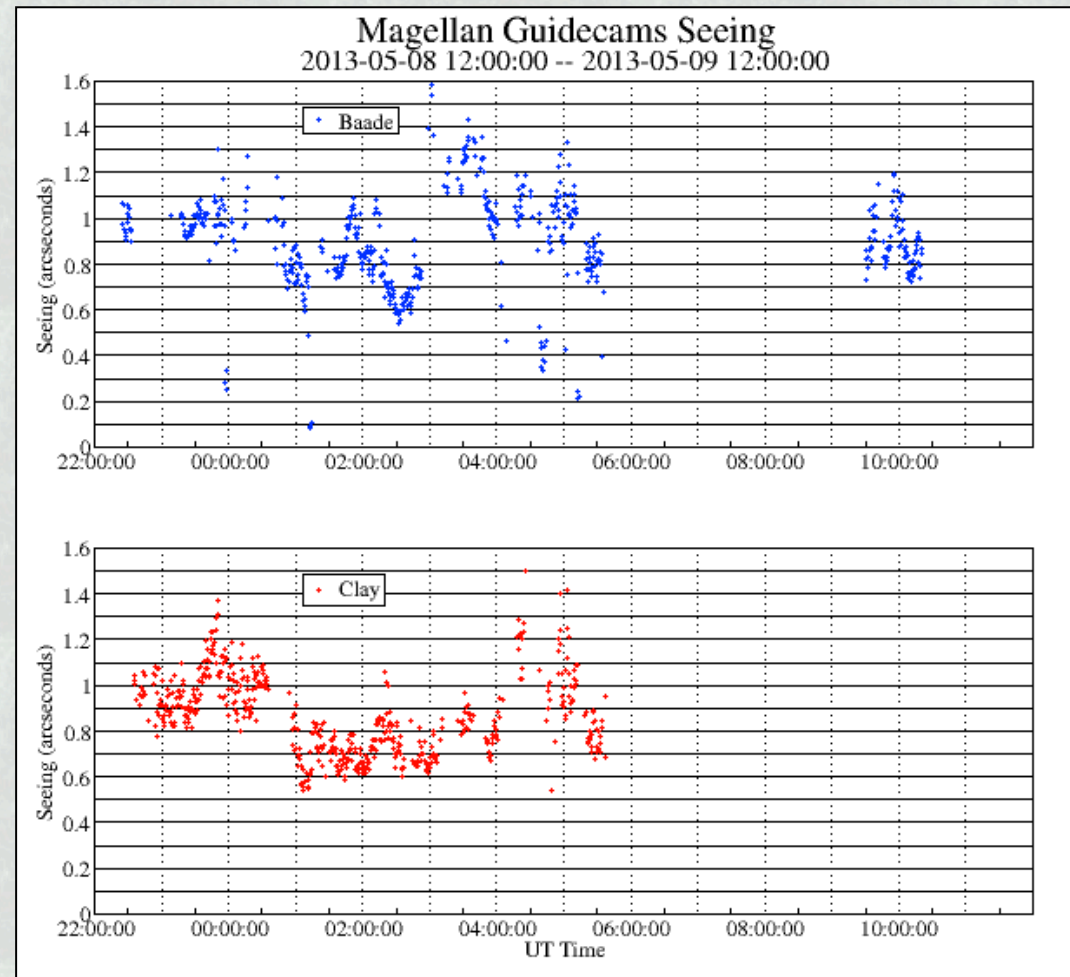
- The angular resolution of ground-based telescopes is limited by the seeing.

Magellan Telescopes guidecam Seeing

Local Time Date

Corrigido pela massa de ar:

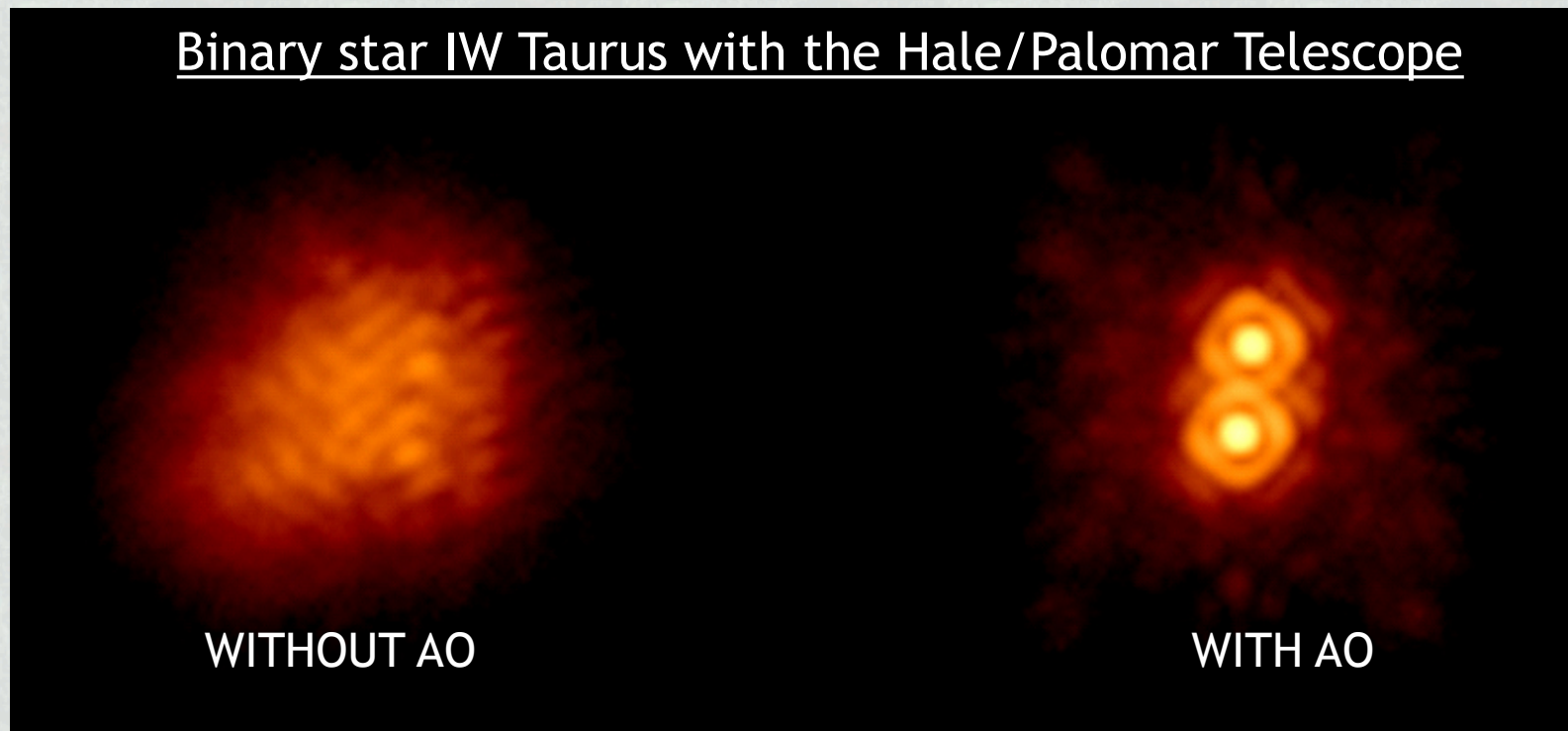
$$\text{FWHM}_{\text{corr}} = \text{FWHM}_{\text{obs}} / \text{airmass}^{0.6}$$



What about space-based telescopes?

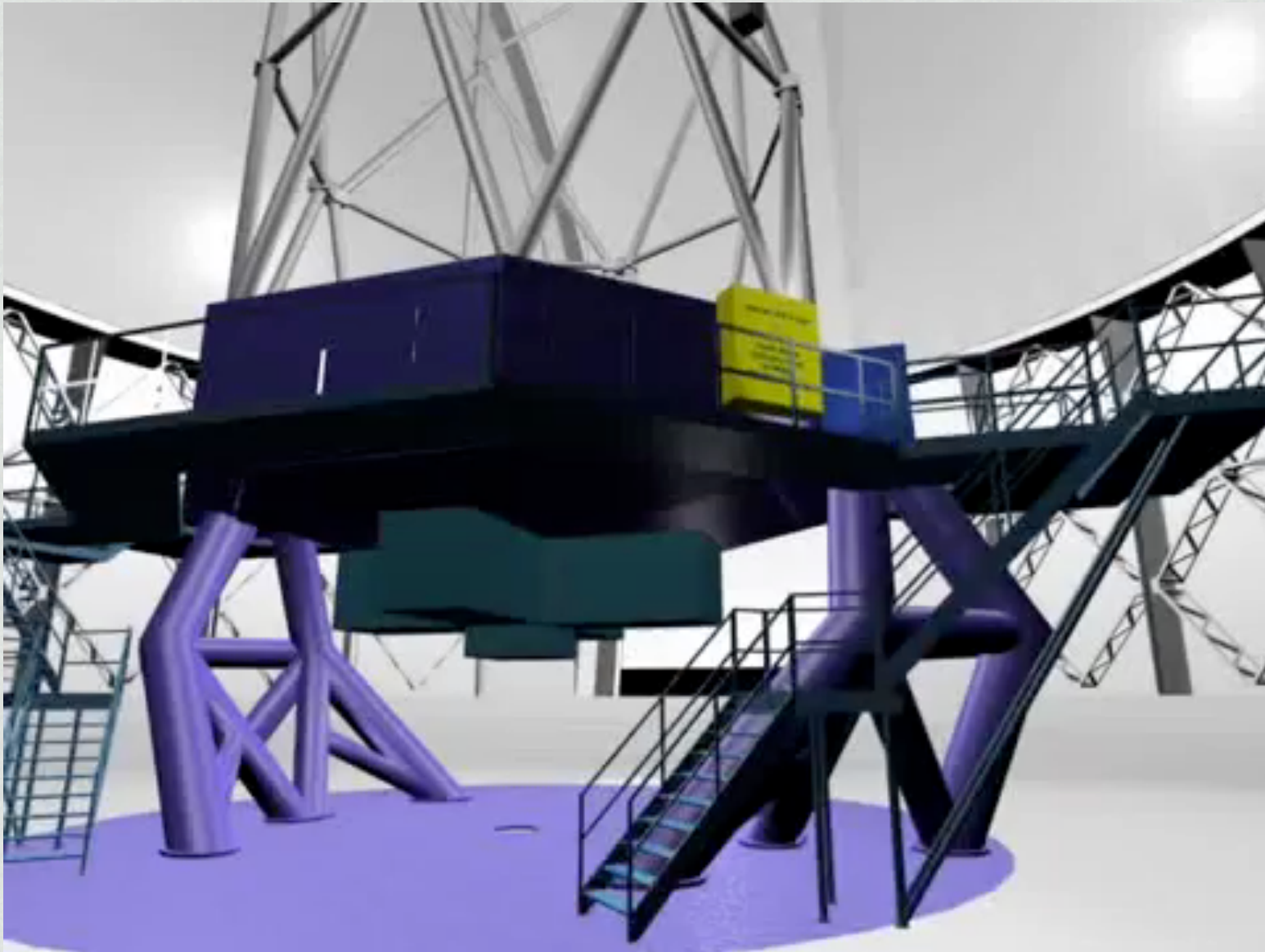
Beating down atmospheric effects from the ground

- Adaptive Optics (AO) — a technique based on the use of deformable mirrors to correct for distortions that atmosphere produces in observed image
 - Improves angular resolution down to the diffraction limit



Adaptive Optics (AO)

- beating down atmospheric effects from the ground



https://www.youtube.com/watch?v=3BpT_tXYy_I